

## **Line of research : modelling postal market liberalisation with universal service obligations (USO)**

We use the same model to answer two questions :

1. What will happen to the USO provider under different liberalisation scenarii ?
2. How should we fund the cost of USO under liberalisation ?

Third set of questions with modified model :

Parcels market when entrants need access to incumbent's rural delivery network. What should be the access pricing ?

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**This presentation : methodological survey with hints at calibration results.**

For more calibration results, see CRRI books :

- 2001 (Vancouver) for question 1
- 2002 (Sorrento) for question 2

## Model's building blocks

- Each operator offers **one good** (letter) sent to **different areas** (with different costs) by **different senders** (with different demand elasticities)
- **Submarkets**
  - Two geographical areas : urban and rural
  - Two **types** of senders and recipients : households and firms
  - Location of senders plays no role
  - ⇒ [households, firms] send letters to [urban, rural]  $\times$  [households, firms] : **8 sub-markets**
- **Demand**
  - No substitution between mail sent to different areas/recipients
  - Demand more elastic for firms than for households
- **Cost**
  - Cost function : four (constant) marginal costs according to recipient market

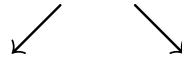
Incumbent has fixed cost (linked to USO)

# How do we use this model to answer the two questions ?

**Starting case :**  
Monopoly-Uniform Price-max Welfare



**Entry while Inc.  
does not move  
COMUSOUL**



## **What happens ?**

- Duopoly, Uniform, Welfare
- Duopoly, Differentiated, Welfare
- Duopoly, Differentiated, Profit

## **How to fund ?**

- Pricing flexibility
- Compensation fund
- Reserved Area + same
- Welfare analysis [who gains, who loses]

Sensitivity analysis  
Extensions

## Starting case : Monopoly – Uniform Price – maximises Welfare

- $U_i(p) = S(Q_i^h(p)) - pQ_i^h(p)$   
for market  $i \in R = \{uh, rh, ub, rb\}$ ,

$$U(p) = \sum_{i \in R} U_i(p)$$

- Same by analogy for businesses  
(using “indirect” production function)  
 $\Pi(p)$  and  $Q_i^b(p)$

- Incumbent’s profit :

$$\Pi^I(p) = \sum_{i \in R} (p - C'_i) (Q_i^h(p) + Q_i^b(p)) - F$$

- Incumbent’s objective :

$$\max_p \overbrace{U(p) + \Pi(p) + \Pi^I(p)}^{W(p)}$$

s.t.  $\Pi^I(p) \geq 0$  [Lagrange multiplier  $\lambda$ ]

- Assume  $\lambda = 0$

**F.O.C.**

$$(A) \sum_{i \in R} \frac{p - C'_i}{p} \left( \varepsilon_h \frac{q_i^h}{Q} + \varepsilon_b \cdot \frac{Q_i^b}{Q} \right) = 0$$

where  $\varepsilon_h$  : households demand elasticity

$\varepsilon_b$  : businesses demand elasticity

$$Q = \sum_i (Q_i^h + Q_i^b)$$

- If  $\lambda > 0$

$$\text{F.O.C.} : \lambda Q + (1 + \lambda)(A) = 0$$

Parameters calibrated on this situation

## Introducing an entrant

Entrant offers 1 good (letter) seen as imperfect substitute to incumbent's good :

- **Households :**

$$\begin{aligned}
 U_i(p, p_i^h) &= S \left( Q_i^h(p, p_i^h), Q_i^{E,h}(p, p_i^h) \right) \\
 &\quad - p Q_i^h(p, p_i^h) - p_i^h Q_i^{E,h}(p, p_i^h) \\
 i \in R &= \{uh, rh, ub, rb\}
 \end{aligned}$$

with  $S(\cdot)$  not separable

$$U \left( p, p_{uh}^h, p_{rh}^h, p_{ub}^h, p_{rb}^h \right) = \sum_{i \in R} U_i(p, p_i^h)$$

- Same for **Business senders :**

$$\begin{aligned}
 &\Pi \left( p, p_{uh}^h, p_{rh}^h, p_{ub}^h, p_{rb}^h \right), Q_i^{E,b}(p, p_i^b) \\
 \text{and } &Q_i^b(p, p_i^b), \quad i \in R
 \end{aligned}$$

- We have

$$Q_i^j(p, p_i^j) \text{ and } Q_i^{E,j}(p, p_i^j) \quad i \in R, \quad j \in \{h, b\}$$

- **Entrant's costs :**

4 marginal costs but no fixed costs

- Incumbent is always maximising profit :

$$\max_{\{p_i^j\}} \Pi^E(p, \{p_i^j\}) = \sum_{(i,j)} (p_i^j - C_i^{E'}) Q_i^{E,j}(p, p_i^j)$$

⇒ 8 F.O.C. (one by sub-market)

On sub-market  $(i, j)$  :

$$\frac{p_i^j - C_i^{E'}}{p_i^j} = \frac{1}{\varepsilon_i^j(p_i^j)}$$

where  $\varepsilon_i^j$  stands for demand direct-price elasticity in sub-market  $(i, j)$

⇒ Only link between sub-markets is through  $p$  which affects elasticities.

- Short term equilibrium :  $p$  unchanged  
 ⇒ Incumbent makes a loss (743 million euros)

# 1 First Question : Different scenarii

## 1.1 Duopoly, Uniform Price, Maximises Welfare

- Entrant : as previously
- Incumbent :

$$\max_p U(p, \{p_i^j\}) + \Pi(p, \{p_i^j\}) \\ + \Pi^E(p, \{p_i^j\}) + \Pi^I(p, \{p_i^j\})$$

$$\text{s.t. } \Pi^I(p, \{p_i^j\}) \geq 0$$

### • Results

- We obtain one, "Ramsey like", F.O.C.
- F.O.C. for entrant is unchanged
- $p$  increases to cover cost
- entrant's prices also increase because goods are substitute
- both profits increases

**Remark :** Bertrand - Nash equilibrium, so no collusion



## 1.2 Duopoly, Differentiated Prices, Maximises Welfare

F.O.C. entrant unchanged

F.O.C. incumbent : 1 by sub-market

- **If  $\lambda = 0$** , F.O.C. on sub-market  $(i, j)$  :

$$(p_i^j - C_i^{E'}) \frac{\partial Q_i^{E,j}(\cdot)}{\partial p} + (p - C_i') \frac{\partial Q_i^j(\cdot)}{\partial p} = 0$$

$\Rightarrow p > C_i'$  even without zero-profit constraint

**Intuition** : Increasing quantity sold by entrant, which is too low because entrant's price too high

- **If  $\lambda > 0$**  : further increase of  $p$

### 1.3 Duopoly, Differentiated Prices, Maximises Profit

F.O.C. entrant unchanged

F.O.C. incumbent : 1 on each sub-market

$$\frac{p_i^j - C_i'}{p_i^j} = \frac{1}{\varepsilon_i(p_i^j)}$$

⇒ usual inverse elasticity rule

### 1.4 Sensitivity analysis

- Variations in demands elasticities, degree of substitution, asymmetric demands
- Variations in marginal costs

### 1.5 Extensions

- Multiple entry  
Bertrand competition, competitive fringe
- Fixed costs for entrants  
Look at entry pattern

## 2 Second question : Funding the cost of USO under liberalisation

### 2.1 Keeping full opening to competition

#### 2.1.1 Giving more price flexibility to entrant

- **Downward pricing flexibility**

Bertrand-Nash competition on each sub-market  
Take min (equilibrium incumbent's price, pre-liberalisation uniform price)

**Result :**

- Not much profit gained
- On one sub-market, incumbent's profit even decreases! Illustrates **value of commitment**, to prevent a "price war"

- **Full pricing flexibility**

Bertrand-Nash competition

- **Increasing Uniform Price**

**Calibration results :** does not generate enough profit for incumbent to break even

## 2.1.2 Establishing a compensation fund

Fund is financed by entrant, through an **excise** or a **proportional** tax on entrants

- Tax incidence literature tells us that part of tax/excise paid by consumer, part by suppliers

⇒ Consumers and Entrant lose and Incumbent gains

- We show that **total welfare may increase!**

### **Explanation :**

Take any sub-market  $(i, j)$

Total Welfare  $W$  :

$$S(Q_i^j(p, p_i^h), Q_i^{E,j}(p, p_i^h)) \\ - C(Q_i^j(p, p_i^h)) - C^E(Q_i^{E,j}(p, p_i^h))$$

$$\frac{\partial W}{\partial p_i^h} = \frac{\partial Q_i^j(\cdot)}{\partial p_i^h} (p - C'(Q_i^j)) + \frac{\partial Q_i^j(\cdot)}{\partial p_i^h} (p_i^h - C^{E'}(Q_i^{Ej}))$$

Assume  $p > C'(Q_i^j)$  and that goods are substitute

Then  $\frac{\partial W}{\partial p_i^h} > 0$  if  $p_i^h = C^{E'}(Q_i^{E,j})$

$\Rightarrow$  If  $p_i^h$  low enough, **taxing entrant's good improves welfare** because it increases the quantity of incumbent's good which is too low.

Corollary to the “Duopoly-Differentiated Prices-Maximises Welfare” scenario

- **calibrations** : taxing increases total welfare but does not generate enough proceeds to fund cost of USO for incumbent

## 2.2 Introducing a Reserved Area

- **“Across-the-board”** : same proportion  $r$  of each market
- Incumbent freely fixes its **uniform price on the reserved areas** so that its profit on reserved area exactly covers loss on opened area.  
⇒ Different values of  $r$  are possible.
- We choose **value of  $r$  that maximises total welfare**

$$\operatorname{argmax}_r W(r) = V_R(p_{RA}(r), r) + \Pi^E(r) + V_{NR}(r)$$

where  $p_{RA}(r)$  is such that

$$\Pi_R(p_{RA}(r), r) + \Pi_{RN}(r) - F = 0$$

**Remark 1** : With linear demands, value of  $r$  does not affect equilibrium prices in non reserved area.

**Remark 2** : We allow incumbent to increase uniform price selectively in reserved area.

Reason is it is much easier to raise profit on reserved area. The break-even price may then be **lower if price increases only on reserved area.**

**Remark 3** : We investigate, for non reserved area, same scenarii as before

● **Calibration results** :

- Different ways to fund cost of USO
- Even though total welfare increases, **consumers welfare nearly always decreases !**

Results similar to Estrin-de Meza (JPubE, 1995) : Competition prevents incumbent from fully exploiting returns to scale : prices increase because average cost increases.

## 2.3 Extensions and Sensitivity Analysis

- fixed costs for entrants
- competitive fringe
- more efficient entrants

## 2.4 Increased Efficiency

Classical argument in favour of liberalisation.

Difficult to model. Arbitrariness of “black box” approach

**Question** : By how much should marginal costs decrease following opening to competition

- to fully compensate incumbent ? :  $2/3$
- for consumers as a whole to gain with optimal reserved area ? :  $1/3$