

# **Voluntary Social Insurance VSI**

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## Introduction

A **Voluntary** and Redistributive Health Insurance seems infeasible but

- Since 1981 one can opt out of social health insurance in Chile.

Employees are required to spend at least 7% of their income on health insurance.

In 1996, **60%** of Chileans were benefiting from Social Health Insurance.

- Some US state health insurance programs.

**Maryland** Health Insurance Plan, **Minnesota** Care, **New Jersey** Health Insurance Plans, Family Health Plus and Healthy NY in **NY**, Adult Basic in **Pennsylvania**, and **Vermont** Health Access Plan.

- **Literature:** Top-up of compulsory social insurance.  
**This paper:** Top-up of voluntary social insurance.
- **Literature:** Implications for the social policy due to possibility of topping-up.  
**This paper:** Additionally, implications to the private market.  
Anderberg (1999), Besley and Coate (2003), Casamatta et al.(2000), Epple and Romano (1996), Fernandez and Rogerson (1999), Gouveia (1997), De Donder and Hindriks (2003).

## Results:

1. **VSI always subsists.**
2. If there is VSI, **private market coverage can increase.**
3. Welfare implications.
  - If Status Quo has social insurance: ↑ private coverage, ↓ redistribution.
  - Otherwise, **Pareto Improvement:** ↑ private coverage, ↑ redistribution.
4. **There is no political opposition** to voluntary social coverage.

## Voluntary Social Insurance

Possibility of not participating in the social insurance both by not benefiting from it and by not contributing to its financing.

- Private coverage supplements social coverage.
- Social insurance pool risks and redistributes wrt income.
- Private market Rothschild and Stiglitz (1976):  
Full coverage high risk + Incomplete coverage low risk.

Private information on risk + Competitive market  $\Rightarrow$

$\Rightarrow$  Adverse selection, Ins. contracts separate risks.

Private market does not redistribute wrt risk or income.

# Possibilities of Insurance

**Damage**

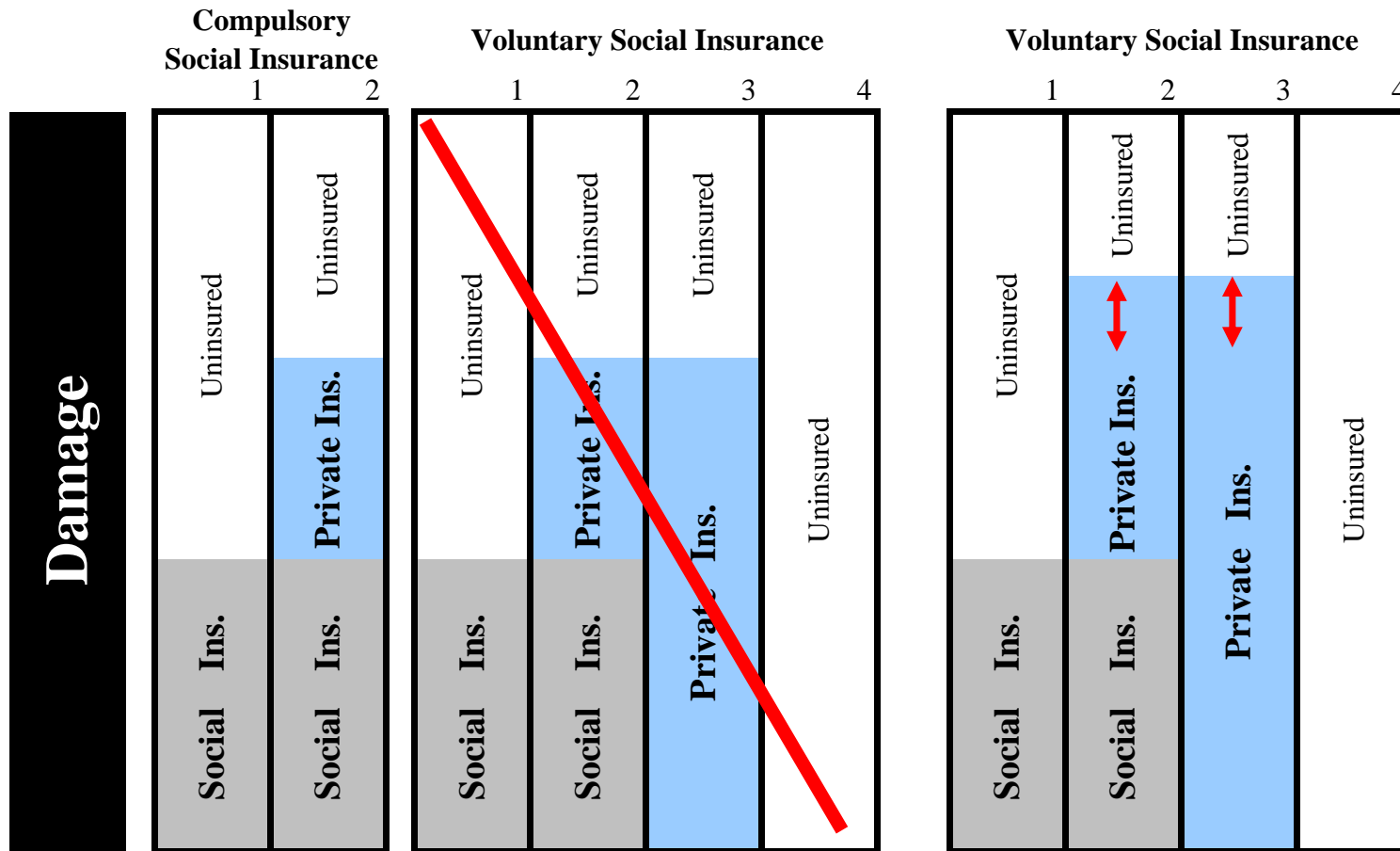
**Compulsory Social Insurance**

1	Social Ins.	Uninsured
2	Social Ins.	Private Ins.

**Voluntary Social Insurance**

1	Social Ins.	Uninsured
2	Social Ins.	Private Ins.
3	Private Ins.	Uninsured
4	Uninsured	

# Possibilities of Insurance



If participation in social insurance becomes informative to the market

## The Setup

- Individuals are characterized by **probability of accident**  $\theta$  and **income**  $w$ .
- Two levels of income  $w_L < w_H$ , two levels of risk  $\theta_L < \theta_H$ .  
 $\lambda_{ij} > 0$ : share of the population of risk  $\theta_i$  and income  $w_j$ , with  $i, j = L, H$ .
- Individuals' Private Information:  $\theta_i$ .      Common Knowledge:  $\lambda_{ij}, (w_j)$ .
- Individuals incur a damage  $d = 1$ .      Insurance Contract:  $\{\pi, \delta\}$ .
- **Yaari (1987)'s Dual Theory (DT):**

$$\begin{aligned} V(w, \theta; \pi, \delta) &= \phi(\theta_i)(w_j - \pi - (1 - \delta)) + (1 - \phi(\theta_j))(w_j - \pi) \\ &= w_j - \pi - \theta_i(1 + \alpha)(1 - \delta) \end{aligned}$$

- With DT, still, Full coverage high risk + Incomplete coverage low risk.
- With DT, corner preferences wrt wealth.

Risk aversion  $\Rightarrow \phi(\theta_i) > \theta_i$ , De Donder and Hindriks (2003):  $\phi(\theta_i) = (1 + \alpha)\theta_i$  with  $0 \leq \alpha \leq \frac{1 - \theta_H}{\theta_H}$

## Voluntary Social Insurance

1. Individuals vote on the level of social coverage  $\delta^u \in [0, 1]$ .
2. Private companies compete in offering insurance contracts.

$$\left\{ \underbrace{\pi(I_{ij}^u, I_{-(ij)}^{u*}; \theta_i)}_{\text{Premium}}, \underbrace{(\delta(I_{ij}^u, I_{-(ij)}^{u*}; \theta_i) - \delta^u \times I_{ij}^u)}_{\text{Private Coverage}} \right\}.$$

3. Individuals choose whether to participate in social insurance ( $I_{ij}^u$ ), and which contract to purchase in the private market.
4. Purchasing of contracts and government implements  $\{\pi^u, \delta^u\}$ .

$I_{ij}^u$  - indicator of the participation in the public system.

**The outcome of each stage is revealed before the next stage begins.**

**Subgame-perfect Nash Equilibrium.**



## Compulsory Social Insurance ( $I_{ij}^u = 1$ )

1. Individuals vote on the level of social coverage  $\delta^u \in [0, 1]$ .
2. Private companies compete in offering insurance contracts.

$$\left\{ \underbrace{\pi(1, 1; \theta_i)}_{\text{Premium}}, \underbrace{(\delta(1, 1; \theta_i) - \delta^u \times 1)}_{\text{Private Coverage}} \right\}.$$

3. Individuals choose which contract to pick up in the private market.
4. Purchasing of contracts and government implements  $\{\pi^u, \delta^u\}$ .

$I_{ij}^u$  - indicator function of the participation in the public system.

**The outcome of each stage is revealed before the next stage begins.**

**Subgame-perfect Nash Equilibrium.**

**Stage 4: Purchasing of contracts and implementation of  $\{\pi^u, \delta^u\}$**

Budget Balance:  $\pi^u = \frac{w_j}{w'_\mu} \delta^u \theta'_\mu.$

**Stage 3: Choice whether to participate in VSI + private contract.**

$$\max_{\{\pi, \delta\}, I_{ij}^u} V \left( \underbrace{\pi^u, \delta^u}_{\text{Social Ins.}}, \underbrace{\pi(I_{ij}^u; \theta_i), (\delta(I_{ij}^u, I_{-(ij)}^u); \theta_i) - \delta^u \times I_{ij}^u}_{\text{Private Ins. Contract}}, I_{ij}^u; \theta_i, w_j \right)$$

*s.t.* **(RC)**  $V \left( \pi^u, \delta^u, \pi(I_{ij}^u; \theta_i), (\delta(I_{ij}^u, I_{-(ij)}^u); \theta_i) - \delta^u \times I_{ij}^u, I_{ij}^u; \theta_i, w_j \right) \geq V \left( \pi^u, \delta^u, 0, 0, I_{ij}^u; \theta_i, w_j \right).$

- **RC:**  $\Rightarrow$  Reservation premium  $>$  Actuarially fair premium (due to risk aversion).

- **Nash equilibrium in the staying in-opting out subgame ( $I_{ij}$ ):**

What do they want from social insurance?

$\theta_L$  want coverage.  $\theta_H$  want redistribution.

$w_L$  want redistribution.  $w_H$  want nothing.

## Stage 2: The private market designs menus of insurance contracts

$$\pi(I_{ij}^u, I_{-(ij)}^u; \theta_i) = (1 + \alpha)\theta_i(\delta(I_{ij}^u, I_{-(ij)}^u; \theta_i) - \delta^u \times I_{ij}^u) \quad \delta^*(I_{ij}^u, I_{-(ij)}^u; \theta_i) - \delta^u \times I_{ij}^u$$

**Proposition 1:** In a VSI system, private coverage increases for:

- $(\theta_L, w_H)$ , when this type is the only opting out,

and private contracts do not change when

(i) all participate in social insurance, (ii) the rich opt out,

(iii)  $(\theta_H, w_H)$  opts out, (iv)  $(\theta_H, w_L)$  participates in social insurance.

**Corollary:** If voluntary, there are always individuals participating in social insurance.

**Stage 1: Political Equilibrium** ( $\delta^u$ ) (corner preferences)

**Proposition 2:** Nobody is against a VSI coverage. In particular, *when only low risks opt out full social insurance* ( $\delta^u = 1$ ) *is unanimously politically supported.*

## Welfare Analysis

- If Status Quo with Compulsory Social Insurance  
Voluntary Social Insurance  $\longrightarrow$  Less Redistribution, More Efficiency  
Chilean Reform.
- **Proposition 3:** If Status Quo without Compulsory Social Insurance  
Voluntary Social Insurance  $\longrightarrow$  More Redistribution, More Efficiency

### Pareto Improvement

US states example, and eventual creation of VSI in developing countries.

**Proposition 4:** The absence of social insurance cannot be justified by efficiency or redistribution arguments. **A voluntary system is always desirable** to no social insurance at all.

## **Conclusion**

- A voluntary Social Insurance system is motivated by efficiency reasons.
- Sometimes at the cost of less redistribution; others at the benefit of more (Pareto improvement).
- The possibility of opting out strengthens the political support of social insurance.
- The absence of social insurance cannot be justified by efficiency or redistribution arguments.

## **Discussion and future research**

- Minimal Contribution for all. Implementation.
- Is the private market needed?
- Empirical validation of the results: Chilean reform, US states.