One-Stop Shopping Behavior and Upstream Merger Incentives

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Trends in the Retail Industry

Motivation

One-Stop Shopping Behavior

- Increasing requirements in professional life
- ► Time-consuming spare-time activities
- Buying decision depends on price for the entire shopping basket
- ▶ Positive demand externalities between goods at a single retail outlet

Consolidation Process

- ► CR(5) in Germany: 50% (1993), 77,6% (2002)
- ► CR(5) in the UK: 50% (1993), 68,3% (2002)

Retailers = Essential Intermediaries

- Reduced importance of direct sales
- Products have to pass the decision making screen of an increasingly concentrated retail industry
- Intensive competition between manufacturers for getting access to retailers' shelf space
- Do suppliers counter retailers' buyer power by upstream consolidation?



Objectives & Results

Objectives

Impact of retailers' buyer power and consumers' one-stop shopping behavior on upstream merger incentives

Main Results

- Upstream merger incentives increase with consumers' preference for one-stop shopping.
- Merged suppliers internalize the positive demand externalities resulting from one-stop shopping ⇒ wholesale prices decrease ⇒ social welfare increases
- Suppliers counter retailers' buyer power by negotiating separately
- Buyer power detrimental to welfare as upstream merger incentives are decreasing in the retailers' buyer power



The Model

Structure

- ▶ Two independent suppliers S_i producing each one single good $i \in \{1,2\}$
- One monopolistic retailer R
- Distribution and production costs normalized to zero
- Simultaneous negotiations on a linear wholesale price
- ▶ Two different types of consumers: λ one-stop shoppers, 1λ single shoppers $(\lambda \in [0,1])$.
- Consumers are unifomly distributed on a line of length 1.

Utilities:

▶ Single-Shopper located at $\theta_i^s \in [0,1]$:

$$U_i^s(\cdot) = \begin{cases} 1 - p_i - \theta_i^s t & \text{if good } i \text{ is bought} \\ 0 & \text{otherwise,} \end{cases}$$

▶ One-Stop Shopper located at $\theta_i^o \in [0,1]$:

$$U^{o}\left(\cdot\right) = \left\{ \begin{array}{ll} 2 - \sum\limits_{i=1}^{2} p_{i} - \theta^{o}t & \text{if goods } i \text{ and } j \text{ are bought} \\ 1 - p_{i} - \theta^{o}t & \text{if only one good } i \text{ is bought} \\ 0 & \text{otherwise,} \end{array} \right.$$



Profits

Retailer:

Contracts with both suppliers (separate or merged):

$$\pi\left(p_{i},p_{j},w_{i},w_{j},\cdot\right)=\sum_{i=1}^{2}\left(p_{i}-w_{i}\right)\left[\lambda q_{i}^{o}\left(p_{i},\cdot\right)+\left(1-\lambda\right)q_{i}^{s}\left(p_{i},\cdot\right)\right]$$

▶ Negotiation break-down with supplier S_i :

$$\widehat{\pi}_{j}\left(p_{j}, w_{j,\cdot}\right) = \left(p_{j} - w_{j}\right) \left[\lambda \widehat{q}_{j}^{o}\left(p_{j}, \cdot\right) + \left(1 - \lambda\right) q_{j}^{s}\left(p_{j}, \cdot\right)\right]$$

Suppliers:

Separate:

$$\varphi_{i}\left(w_{i},\cdot\right)=w_{i}\left[\lambda q_{i}^{o}\left(p_{i},\cdot\right)+\left(1-\lambda\right)q_{i}^{s}\left(p_{i},\cdot\right)\right]$$

Merged:

$$\varphi^{m}\left(w_{i},w_{j},\cdot\right)=\sum_{i=1}^{2}w_{i}\left[\lambda q_{i}^{o}\left(p_{i},\cdot\right)+\left(1-\lambda\right)q_{i}^{s}\left(p_{i},\cdot\right)\right]$$

Negotiation break-down with the retailer:

$$\varphi_i = 0$$
 , $\varphi^m = 0$



Timing

- 1. Suppliers decide whether to merge or not.
- 2. The retailer bargains either simultaneously with both suppliers or with one merged supplier over wholesale prices.
- 3. Finally, the retailer sets her prices in final consumer markets and consumers make their shopping decision.



▶ Focussing on interior solutions for $\theta^{o}(\cdot)$ and $\theta_{i}^{s}(\cdot)$, we obtain:

$$p_i^*(w_i) = \frac{1+w_i}{2}$$



Bargaining

Separate Suppliers:

$$\begin{array}{ll} w_{i}^{*} & : & = \arg\max_{w_{i}} N_{i} \\ \\ \text{with} & : & N_{i} := \left[\pi^{*}\left(\cdot\right) - \widehat{\pi}_{i}^{*}\left(\cdot\right)\right]^{\delta} \varphi_{i}^{*}\left(\cdot\right)^{1-\delta} \end{array}$$

Merged Suppliers:

$$\begin{array}{ll} w_m^* & : & = \arg\max_{w_i} N^m \\ \\ \text{with} & : & N^m := \pi^* \left(\cdot \right)^\delta \varphi^{m*} \left(\cdot \right)^{(1-\delta)} \end{array}$$

- Results:
 - $w_i^* \ge w_i^{m*}$ with equality if $\lambda = 0$
 - $dw_i^*/d\delta < 0$, $dw_i^{m*}/d\delta < 0$
 - $\blacktriangleright dw_i^*/d\lambda > 0$

Merger Incentives

Merger Incentives:

$$\Psi\left(\cdot\right) := \varphi^{m**}\left(\cdot\right) - \sum_{i=1}^{2} \varphi_{i}^{**}\left(\cdot\right)$$

- $\lambda = 0$:
 - $|\mathbf{w}_{i}^{*} = \mathbf{w}_{i}^{m*} \Rightarrow |\varphi^{m**}(\cdot)|_{\lambda=0} = \sum_{i=1}^{2} |\varphi_{i}^{**}(\cdot)|_{\lambda=0}$
- $\lambda > 0$:
 - $w_i^* > w_i^{m*} \Rightarrow$ double mark-up problem
 - Trade-off: w_i^{*} ↑ suppliers' share of the total pie is increasing, while the total pie is decreasing.
- $\triangleright \lambda^k$
 - There exists a unique threshold value $\lambda^k\left(\delta\right)$ such that $\varphi_m^{**}\left(\lambda^k,\cdot\right)=\sum_{i=1}^2\varphi_i^{**}\left(\lambda^k,\cdot\right)$.
 - $\lambda^k(0) = 0$ and λ^k is monotonically increasing in δ .



Welfare Enhancing:

An increase in the retailer's buyer power from δ' to δ'' (with $\delta' < \delta''$) increases social welfare if suppliers remain merged (i.e. $\lambda \geq \lambda^k(\delta'')$) or remain separated (i.e., $\lambda < \lambda^k(\delta')$).

Welfare Decreasing:

An increase in the retailer's buyer power reduces social welfare if it triggers a separation of suppliers; i.e., if $\lambda \geq \lambda^k(\delta')$ holds before and $\lambda < \lambda^k(\delta'')$ holds after the increase in buyer power.



Motivation:

- Retail investments in physical, ambient and social features of the in-store environment and provision of conveniences like child care, parking facilities, and well-trained service staff.
- Consumers benefit differently.

Modelling:

- In-store conveniences ν affecting only one-stop shoppers.
- Investment costs $c(\nu)$ with c', c'' > 0.
- One-stop shoppers' utility:

$$U^{o}\left(\nu,\cdot\right) = \left\{ \begin{array}{ll} 2 + \nu - \sum\limits_{i=1}^{2} p_{i} - \theta^{o}t & \text{if goods } i \text{ and } j \text{ are bought} \\ 1 - p_{i} - \theta^{o}t & \text{if only one good } i \text{ is bought} \\ 0 & \text{otherwise} \end{array} \right.$$



Merger Incentives & Optimal Retail Investments

Merger Incentives:

$$\sum_{i=1}^{2} \varphi_{i}^{**} \left(w_{i}^{*}, \nu^{k}, \cdot \right) \equiv \varphi^{m**} \left(w^{m*}, \nu^{k}, \cdot \right).$$

- Merger incentives are positive if $\nu > \nu^k (\lambda)$
- $\rightarrow dv^k(\lambda)/d\lambda < 0$

Optimal Retail Investments:

$$\nu^{*}\left(\lambda\right) := \arg\max\left\{ \begin{array}{ll} \pi^{**}\left(w_{i}^{*}\left(\nu,\cdot\right),\nu,\cdot\right) & \nu \leq \nu^{k}\left(\lambda\right) \\ \pi^{**}\left(w_{i}^{m*}\left(\nu,\cdot\right),\nu,\cdot\right) & \nu \geq \nu^{k}\left(\lambda\right). \end{array} \right.$$

$$d\nu^{m*}/d\lambda > 0$$

• Maximal investment level v^{max} :

$$\pi(p_i^*, w_i^*, \lambda, \nu^*, \cdot) \equiv \pi(p_i^*, w_i^{m*}, \lambda, \nu^{\text{max}}, \cdot)$$
.



Excessive Investments (cont'd)

Example: Overinvestment for $\delta=0.1$, t=1

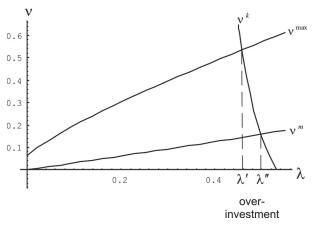


Figure:



- One-stop shopping induces positive demand externalities which are not internalized by separate suppliers.
- ▶ Hence, one-stop shopping induces upstream merger incentives.
- However, the more bargaining power the retailer has, the less likely a merger becomes at the upstream level.
- Upstream mergers are always socially beneficial (due to lower wholesale prices).
- Assessing the increasing buyer power of large retail chains gives a rather mixed picture:
 - Increasing buyer power tends to lower wholesale prices which is desirable both from a consumer and a social welfare perspective.
 - However, suppliers may respond to increasing buyer power by separating their business, which raises wholesale prices.

