

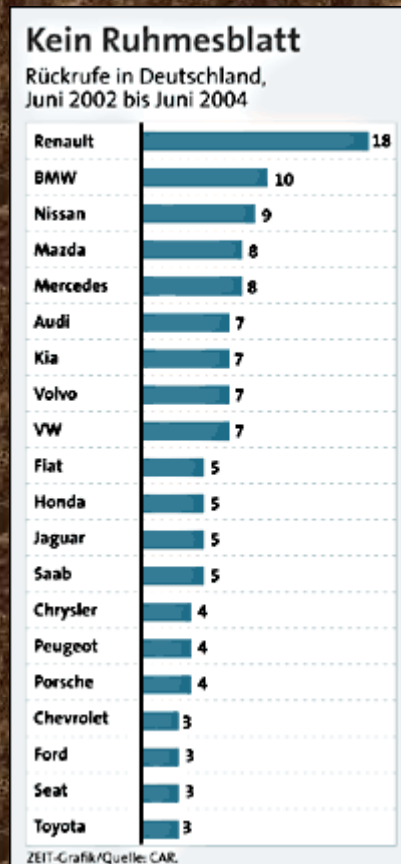
CERTIFICATION AND EXCHANGE IN VERTICALLY CONCENTRATED MARKETS

Konrad Stahl (Mannheim)
Roland Strausz (Berlin)

Motivation

- ▣ 2005: Biggest loss of Mercedes Car Group
 - Quality problems braking systems
 - ▣ Repair-costs: 500 Million Euro (680.000 cars)
 - Quality problems battery control unit software
 - ▣ 1.3 million cars
 - Reputation cost: laughing stock in Germany
- ▣ Parts delivered by BOSCH
 - quality management of supplied goods

Motivation



- ▣ Recalls in automobile industry due to increased outsourcing
- ▣ Informational asymmetries between upstream and downstream producer
- ▣ Role for external certification

Motivation

- ▣ EDAG: independent certifier of car modules and systems

- ▣ Interview:

- one of seven certifiers worldwide
- holds a dominant, if not exclusive, market position in a number of components
- large economies of scope in certification
- **mostly upstream supplier who orders certification**

Unternehmen

Karriere

Presse/Download
Messen

Dienstleistungen

IT + Beratung

Produkte

After-Sales / Service

Elektrik/Elektronik

VisionSystems

Schweisstechnik

Lasertechnik

Schutzeinrichtung

Fördersysteme

Rollfahrsysteme

Werkzeuge für Kleinserien

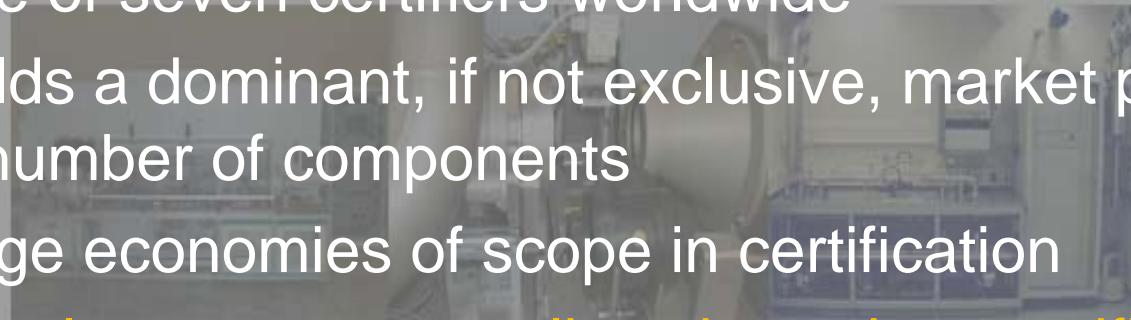
Pipelinezubehör

PLM-Lösungen

Prüftechnik

Strömungsprüfstände

Prüfung von Strömungen an Fahrzeugkomponenten und
Messanalysen



In unseren Strömungsprüfständen erzeugen wir definierte und reproduzierbare Strömungszustände an den zu überprüfenden Fahrzeugkomponenten. So werden z. B. Volumenströme, Drücke oder Differenzdruck simuliert und im zweiten Schritt die Auswirkungen der Strömungen auf das Bauteil untersucht.

Folgende Fahrzeugkomponenten können untersucht werden:

- ▣ Zylinderköpfe
- ▣ Luftmassenmesser
- ▣ Ventile

Kontakte

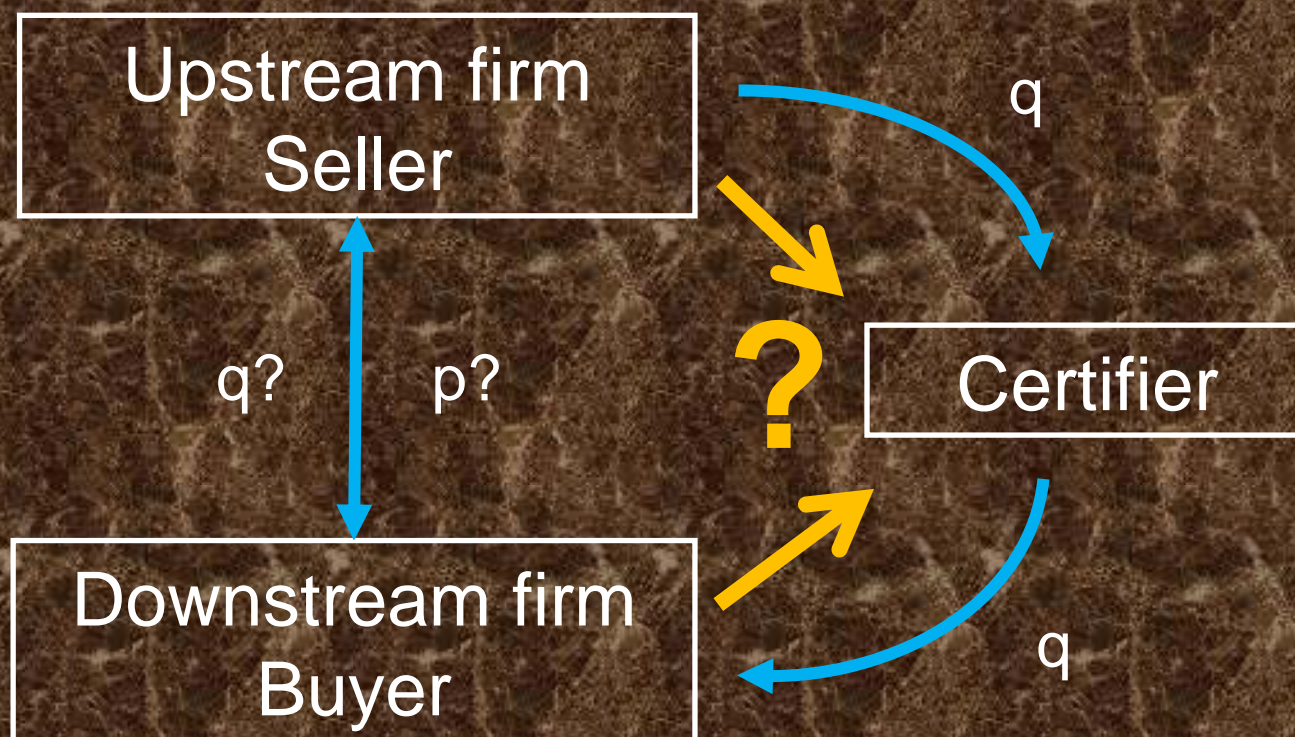
Ihr Ansprechpartner für den
Fachbereich Produkte –
Prüftechnik

Thomas Schuster
Leitender Ingenieur
Telefon: +49 51 6033 1704

> e-mail

Motivation

Role of certification in a bilateral monopoly?



Model

- ▣ Seller: $\Pr\{q_h\}=\lambda$; $\Pr\{q_l\}=1-\lambda$ with $q_h > q_l$
- ▣ Production cost quality q_i is c_i , where $c_h > c_l = 0$
- ▣ Lemons problem: $c_h > q^e = \lambda q_h + (1-\lambda)q_l$
- ▣ With asymmetric information q_h -seller does not sell his good
- ▣ Certification: An external certifier can reveal the sellers quality credibly at a cost c_c
 - q_h -seller has a demand for certification
 - buyer has a demand for certification

The Game

Buyer certification

1. Certifier sets p_c
2. Nature picks q_i
3. Seller sets price p
4. **Buyer** decides to buy certification
5. Buyer decides about buying the good

Seller certification

1. Certifier sets p_c
2. Nature picks q_i
3. Seller sets price p
4. **Seller** decides to buy certification
5. Buyer decides about buying the good

Questions:

1. Which game does the certifier like better?
2. Which game delivers higher social welfare?
3. What are the driving differences behind the two models?

Results/Intuition

Buyer certification

- ▣ Certification is an inspection device
- ▣ Inspection game
- ▣ Mixed equilibrium
- ▣ Both goods are certified with positive prob.
- ▣ q_l good sometimes not sold in EQ
- ▣ Inefficient

Seller certification

- ▣ Certification is a signaling device
- ▣ Signaling game
- ▣ Pure equilibrium
- ▣ Only q_h goods are certified
- ▣ All goods are sold in EQ
- ▣ Efficient

Buyer certification

- ▣ Optimal pricing behavior certifier?
- ▣ Inspection device: Buyer certifies to prevent cheating
- ▣ Demand for certification high when
 - Buyer's uncertainty about quality is large: $\mu=1/2$
 - Intermediate price of the good: $p=(q_h+q_l)/2$
- ▣ Certifier tries to induce this outcome

Buyer certification

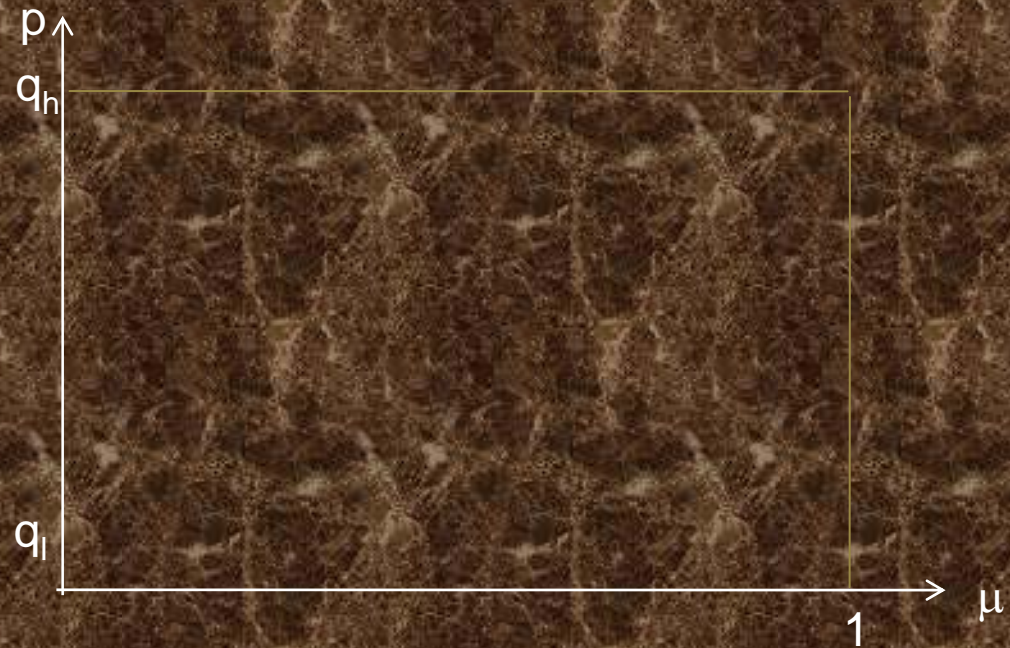
- ▣ Buyer's strategy: certifying and buying
 1. s_{nb} : no certification, always buying
 2. s_{nn} : no certification, no buying
 3. s_{ch} : certify, buy only h quality
 - ~~4. s_{cb} : certify, always buy~~
 - ~~5. s_{cl} : certify, buy only l quality~~
- ▣ Decision conditional on p_c , p , and belief μ

Buyer's behavior

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$

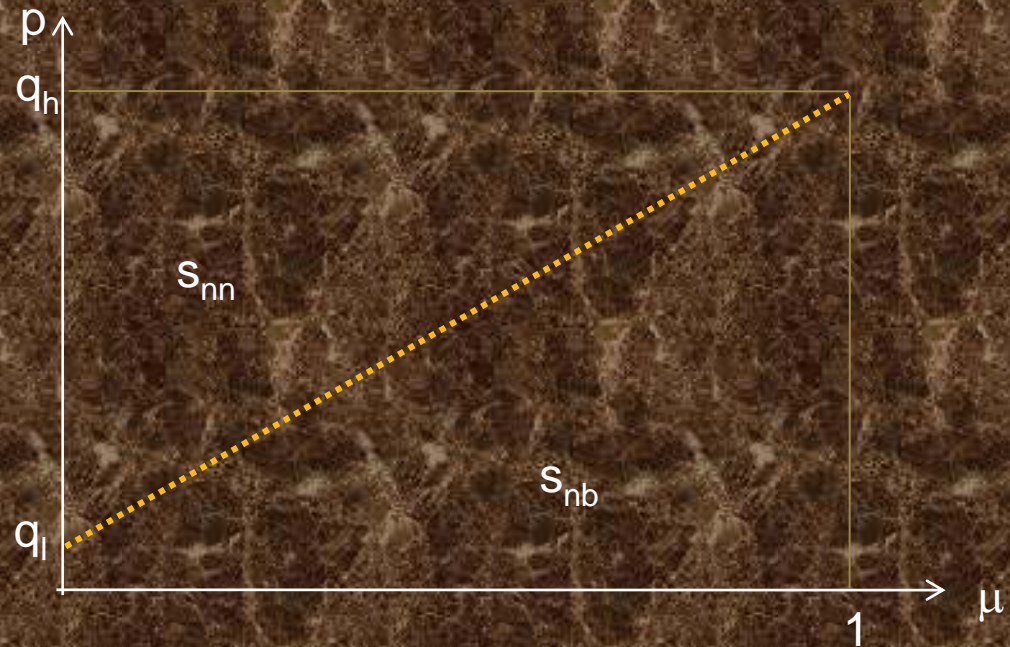


Buyer's behavior

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$

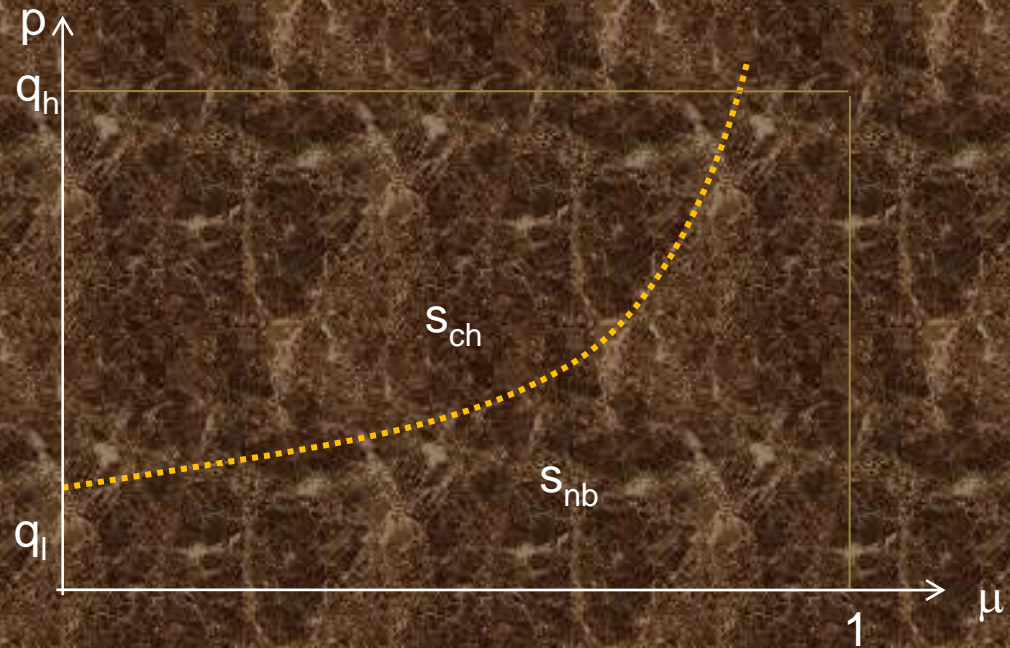


Buyer's behavior

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$

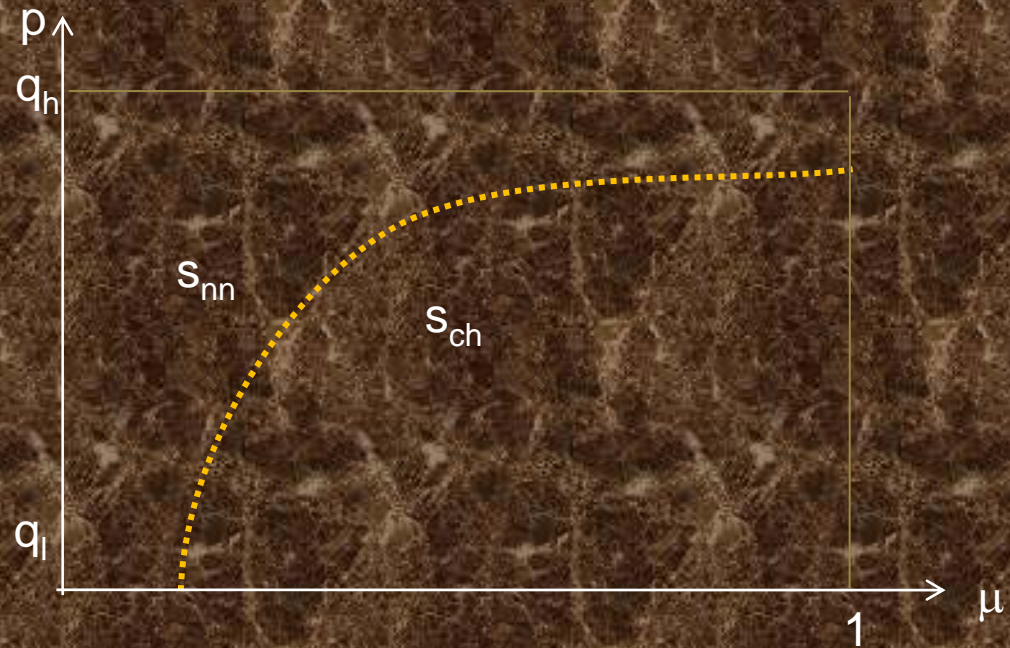


Buyer's behavior

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$

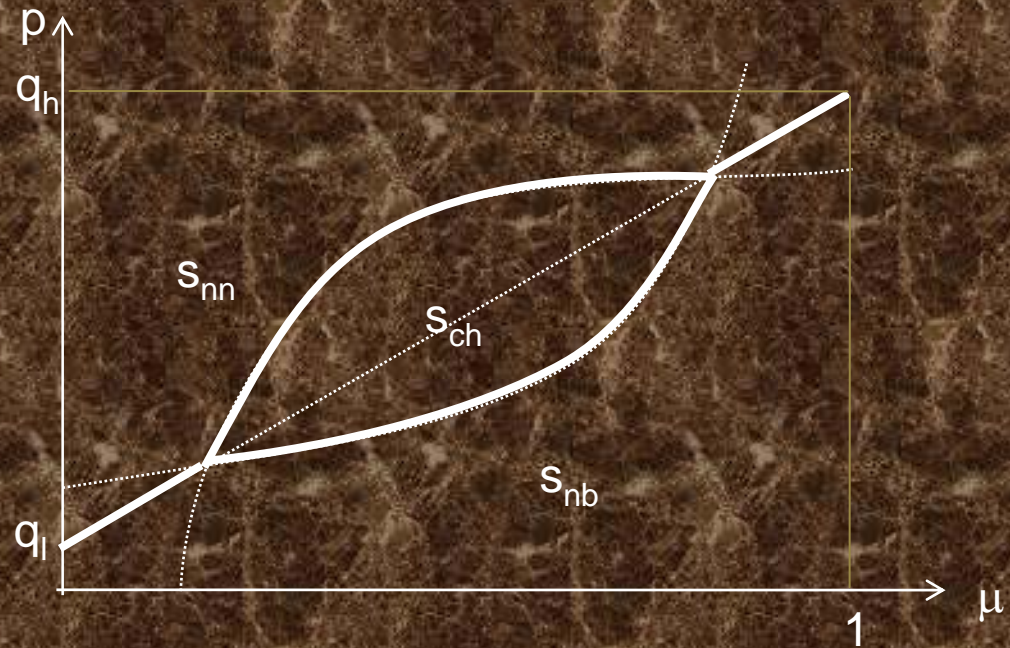


Buyer's behavior

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$

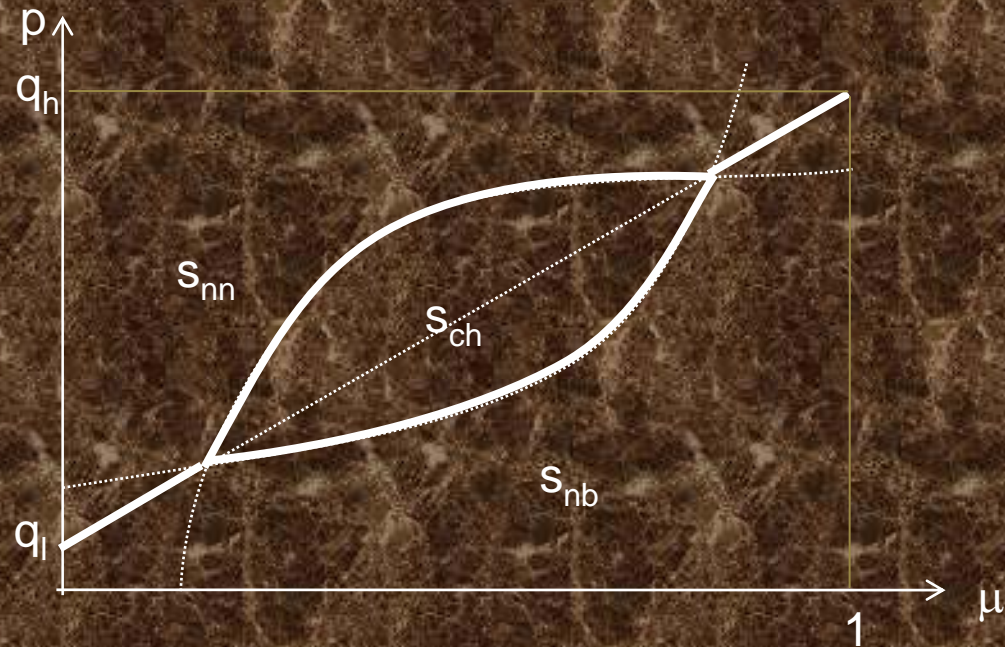


Buyer's behavior

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$



Willingness to pay for certification

$$\Delta U_1 = U(s_{ch}) - U(s_{nb}) = \mu(q_h - p) - (q^e - p)$$

$$\Delta U_2 = U(s_{ch}) - U(s_{nn}) = \mu(q_h - p)$$

Buyer's willingness to pay: $\min\{\Delta U_1, \Delta U_2\}$

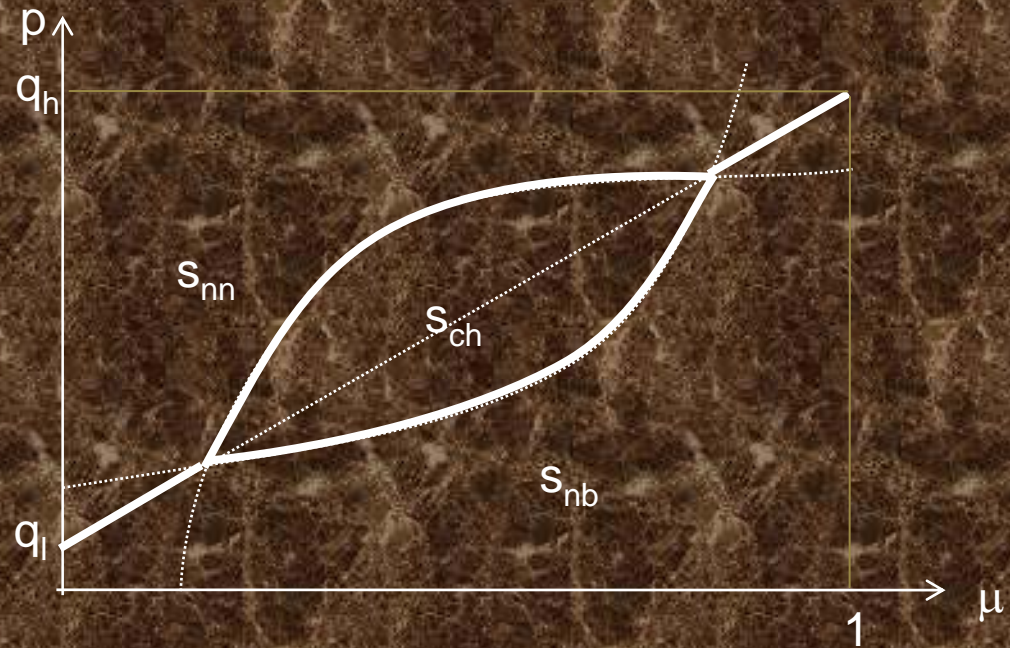
$$\max_{(p, \mu)} \min\{\Delta U_1, \Delta U_2\} \quad p = (q_h + q_l)/2; \mu = 1/2$$

Buyer's behavior

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$

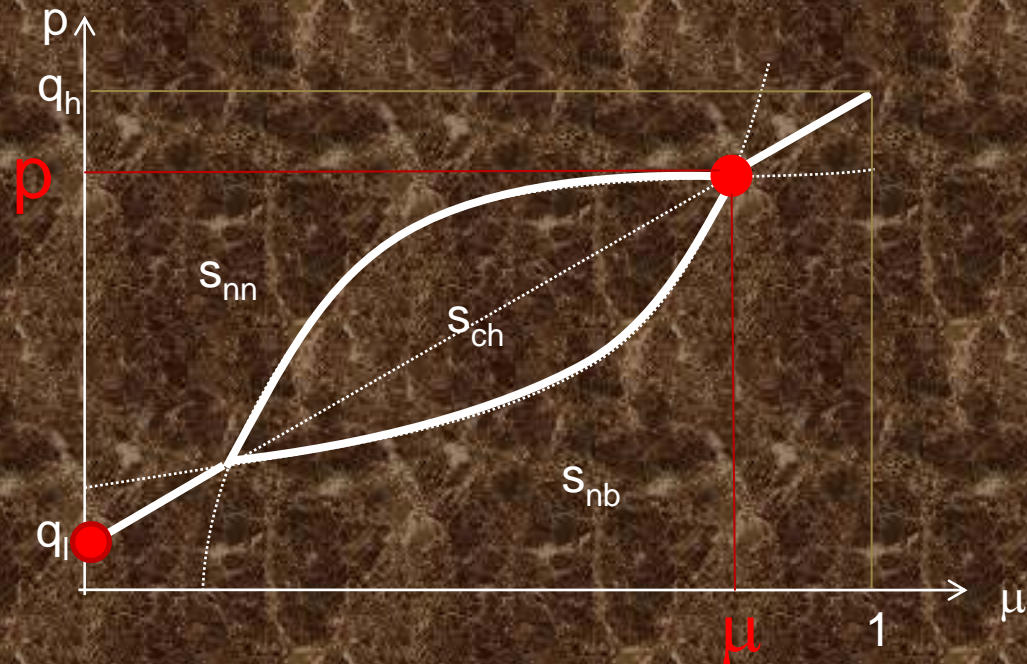


Buyer certification equilibrium

$$U(s_{nb}) = \mu q_h + (1 - \mu) q_l - p$$

$$U(s_{nn}) = 0$$

$$U(s_{ch}) = \mu(q_h - p) - p_c$$



Result: Given $\mu > \lambda$ and an equilibrium refinement $(q_l, 0)$ together with (p, μ) is the unique equilibrium outcome:

- q_h -seller always sets price p
- q_l -seller randomizes between price q_l and p
- upon seeing price p , buyer certifies at random

Details

Lemma: In any PBE $(\sigma_l^*, \sigma_h^*, \mu^*, \sigma^*)$ of the subgame $\Gamma(p_c)$ we have

- i) $\sigma_l^*(p) = 0$ for all $p \notin [q_l, q_h]$
- ii) $\sigma_h^*(p) = 0$ for all $p < q_l$;
- iii) $\Pi_l^* \geq q_l$;
- iv) $\Pi_h^* < q_h - c_h$.

Refinement: A Perfect Bayesian Equilibrium $(\sigma_h^*, \sigma_l^*, \mu^*, \sigma^*)$ satisfies the Belief Restriction if, for any $\mu \in (0, 1]$ and any out-of-equilibrium price p , we have

$$\Pi_l(p, \mu) < \Pi_l^* \wedge \Pi_h(p, \mu) > \Pi_h^* \Rightarrow \mu^*(p) \geq \mu.$$

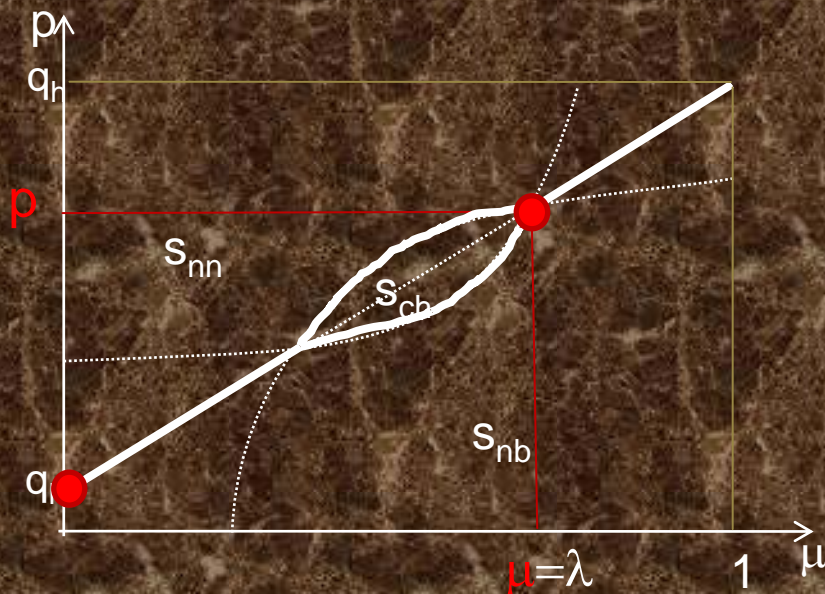
□ Bester&Ritzberger(2001); extends Cho-Kreps: $\mu=1$

Lemma: Any Perfect Bayesian Equilibrium $(\sigma_l^*, \sigma_h^*, \mu^*, \sigma^*)$ of the subgame $\Gamma(p_c)$ that satisfies B.R. exhibits

- i) $\sigma_h^*(p) = 0$ for all $p < \tilde{p}$;
- ii) $\Pi_h^* \geq \tilde{p} - c_h$.

Optimal p_c buyer certification

▣ $\lambda > 1/2$



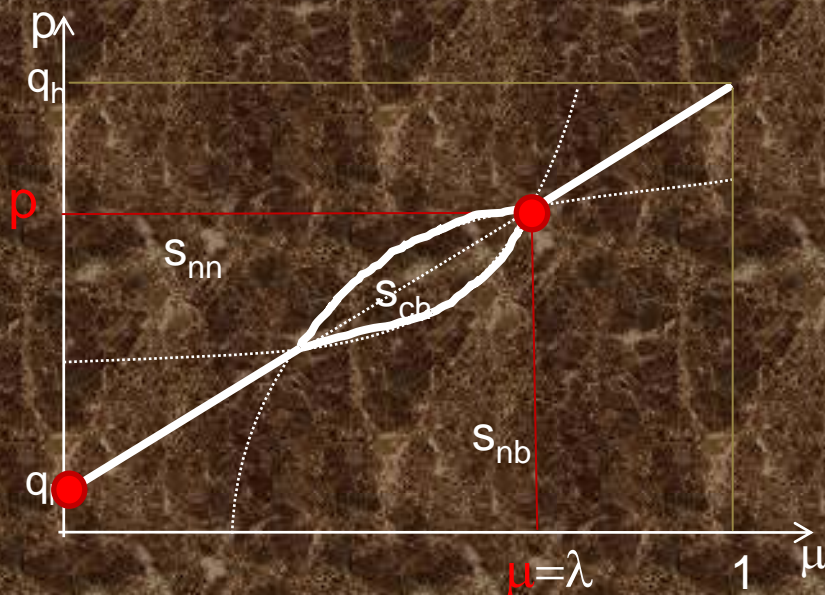
▣ $p_c = (q_h - q_l)(c_h - q_l) / \Delta q$

▣ randomization
degenerated

▣ $\lambda < 1/2$

Optimal p_c buyer certification

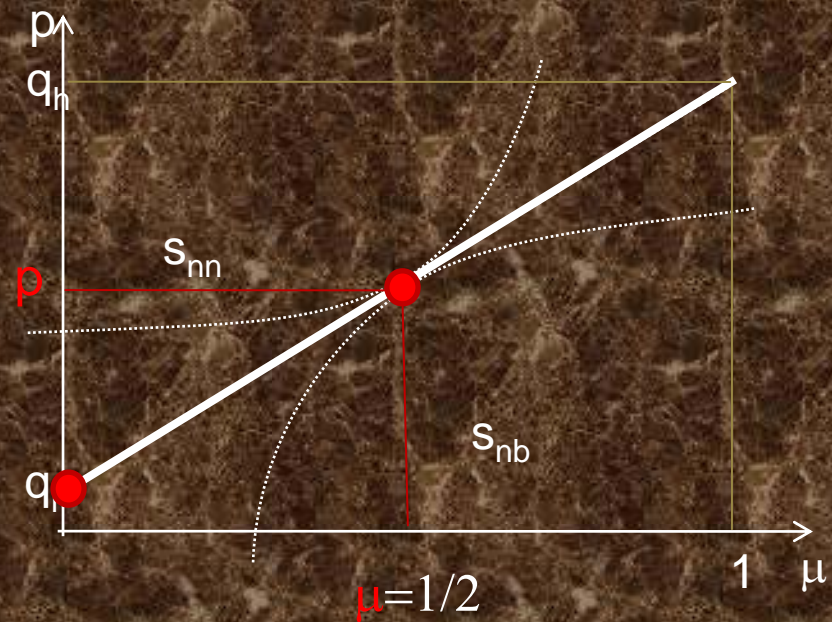
▣ $\lambda > 1/2$



▣ $p_c = (q_h - q_l)(c_h - q_l) / \Delta q$

▣ randomization degenerated

▣ $\lambda < 1/2$



▣ $p_c = \Delta q / 4$

▣ actual randomization

Seller certification

- ▣ q_h -seller certifies to prove q_h and price $p=q_h$.
- ▣ $\Pi_h(p_c)=q_h-c_h-p_c$
- ▣ $\Pi_l(p_c)=q_l$
- ▣ Optimal $p_c=q_h-c_h$
- ▣ In Eq: $\Pi_h=0$; $\Pi_l=q_l$
- ▣ $\Pi_c=\lambda(q_h-c_h-c_c)$

Comparison

- ▣ Certifier's profit larger with seller certification.
 - ▣ Welfare?
 - no certification
 - ▣ q_h good not sold / no certification costs
 - buyer certification
 - ▣ q_l good not always sold / probabilistic certification
 - seller certification
 - ▣ All goods always sold / probabilistic certification
- buyer certification maximizes welfare

Conclusions

- ▣ Certification by informed party better for
 - certifier
 - welfare
 - no need for governmental intervention
- ▣ Certification by informed party:
 - signaling high quality
- ▣ Certification by uninformed party:
 - inspection game