

# **Predatory accommodation in vertical contracting with externalities**



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# Introduction



- ⌘ Predatory pricing may cause injury to competition (Robinson-Patman Act)
- ⌘ However, Marx & Shaffer 1999 offer a contrasted view
- ⌘ BCP without exclusion and may be welfare improving (predatory accommodation)
- ⌘ Assumptions: sequential bargaining between 2 manufacturers and a common retailer, public contracts

# Introduction 2



- ⌘ Predatory accommodation: the first Manufacturer and the retailer jointly benefit from the presence of the second manufacturer
- ⌘ Here, simultaneous bargaining with externalities between manufacturers (oligopsonistic interaction on an upstream input market)
- ⌘ similar consequences: BMCP

# Introduction 3



- ⌘ Framework consistent with some stylized facts from Food Industry
- ⌘ Literature on oligopsonistic interaction between processors (Chen & Lent (1992), Wann & Sexton (1992), Alston & alii (1997), Hamilton & Sunding (1998), Hamilton (2002))

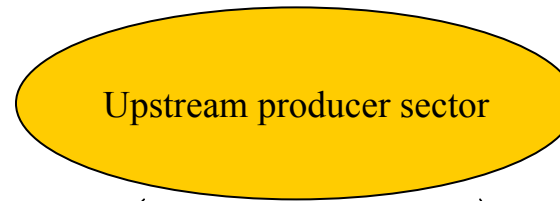
# Introduction 4



- ⌘ This paper: introduces oligopoly interaction with an imperfectly competitive retail sector
- ⌘ Extreme case: monopolist retailer
- ⌘ Simultaneous bargaining game between  $n$  Manufacturers and a common retailer
- ⌘ Extension of M&S in presence of externalities

# The model

*Competitive Agricultural Sector  
Homogenous product*



Inverse supply function

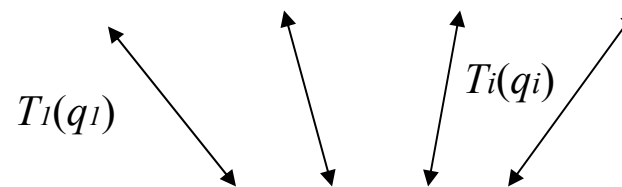
$$p_x = P_x(\sum_i x_i)$$

*n Manufacturers  
Oligopoly and oligopsony  
Differentiated products*



Processing Technology

$$q_i = f_i(x_i)$$



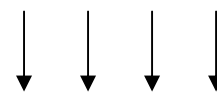
*Retailer  
Monopoly and monopsony*



Inverse demand function

$$q_i = P_i(\mathbf{q})$$

Final demand



# Cost function

Oligopsonistic competition implies **negative cost externalities**:

$$\partial C_i / \partial q_j > 0$$

Procurement cost depends on the other manufacturers' purchases:

$$C_i(\mathbf{q}) = \left[ P_x \left( \sum_i f_i^{-1}(q_i) \right) \right] f_i^{-1}(q_i)$$

# Main assumptions

A1 :  $R(\mathbf{q})$  is continuous, twice differentiable and concave,

A2 :  $C_i(\mathbf{q})$  is continuous, twice differentiable and convex,  $\forall i = 1, \dots, n$ ,

A3 : There are gains from trading all goods, i.e.  $\exists \mathbf{q} \in \mathbb{R}_+^n$  such that  $R(\mathbf{q}) - \sum_i C_i(\mathbf{q}) > 0$

where  $R(\mathbf{q})$  is the revenue function

$$R(\mathbf{q}) = \sum_i P_i(\mathbf{q})q_i$$



# Profits



⌘ Manufacturer profits

$$\pi^i = T_i - C_i(\mathbf{q})$$

⌘ Retailer profit

$$\pi^R = R(\mathbf{q}) - \sum_i T_i$$

# Bargaining over contracts



## ⌘ Timing:

1. Retailer negotiates a contract  $T_i(q_i)$  with each  $M_i$  simultaneously
2. Manufacturers compete to buy the raw product and process the goods
3. The retailer resells the differentiated goods to final consumers

## ⌘ Focus on equilibria where all products are sold

## ⌘ Assumptions:

1. Bargaining between R and  $M_i$  maximizes joint profit, taking as given all other contracts
2. Each player earns its disagreement payoff plus a share of the incremental gain to trade (with proportion  $\lambda_i$  to  $M_i$ )

# Simultaneous bargaining

- ⌘ Multiple equilibria in contracts
- ⌘ Restriction to two-parts tariffs

$$T_i(q_i) = \begin{cases} w_i q_i - F_i, & q_i > 0 \\ 0, & q_i = 0 \end{cases}, \forall i = 1 \dots n$$

- ⌘ Joint profit of  $M_i$  and R:

$$\Pi^i = \sum_i [P_i(\mathbf{q})q_i] - C_i(\mathbf{q}) - \sum_{j \neq i} T_j$$

# Simultaneous bargaining 2

⌘ Retailing stage:

$$\mathbf{q}(\mathbf{w}) \in \arg \max_{q_1, \dots, q_n} \pi^R = \sum_i [(P_i(\mathbf{q}) - w_i)q_i + F_i]$$

⌘ Bargaining stage:

$$\max_{w_i} \Pi^i = P_i(\mathbf{q}(\mathbf{w}))q_i(\mathbf{w}) - C_i(\mathbf{q}(\mathbf{w})) + \sum_{j \neq i} [(P_j(\mathbf{q}(\mathbf{w})) - w_j)q_j(\mathbf{w}) + F_j]$$

# Main results

**Proposition 1** *In a simultaneous bilateral bargaining equilibrium with two-parts tariffs, wholesale prices are given implicitly by*

$$w_i - \frac{\partial C_i}{\partial q_i} = \sum_{j \neq i} \gamma_{ji} \frac{\partial C_i}{\partial q_j}, \quad \forall i = 1, \dots, n. \quad (5)$$

where  $\gamma_{ji} = \frac{\partial q_j / \partial w_i}{\partial q_i / \partial w_i}$  with  $|\gamma_{ji}| \in [0, 1]$ . Moreover, if products are imperfect substitutes (complements), then wholesale price is below (above) marginal cost ( $w_i - \frac{\partial C_i}{\partial q_i} < (>) 0, \forall i$ ).

# Main results 2



- ⌘ Intuition: decreasing  $w_i$  amounts to decrease rivals' quantities and hence its own procurement cost  
« reducing its own cost » strategy
- ⌘ Cost externalities irrelevant if independent demands
- ⌘ More compelling when products are less differentiated
- ⌘ Assuming symmetry, below average cost pricing (with substitutes) iff there is few differentiation

$$1 + \sum_{j \neq i} \gamma_{ji} < 0$$

# Main results 3



**Proposition 2** *In a simultaneous bilateral bargaining equilibrium with two-parts tariffs, joint profit of all manufacturers and the retailer is not maximized.*

⌘ Optimal internal price for the integrated structure:

$$w_i = \sum_j \frac{\partial C_j}{\partial q_i}$$

# Main results 4

**Proposition 3** *In a simultaneous bilateral bargaining equilibrium with two-parts tariffs, the equilibrium payoff to manufacturer  $M_i$ , for any  $i$ , is:*

$$\pi^i = \lambda_i [\Pi - \Pi_{-i} - \Delta_{-i}]$$

Scale effect

*while the equilibrium payoff to the retailer is:*

Equilibrium joint profit without  $M_i$

Equilibrium joint profit with  $M_i$

$$\pi^R = \left(1 - \sum_i \lambda_i\right) \Pi + \sum_i \lambda_i \Pi_{-i} + \sum_i \lambda_i \Delta_{-i}$$

where  $\Delta_{-i} = \sum_{j \neq i} [w_j q_j - C_j(\mathbf{q})] - \sum_{j \neq i} [w_j \hat{q}_j - C_j(\hat{\mathbf{q}}_{-i})]$ .



# Optimal fee



$$F_i = \left[ w_i - \frac{C_i(\mathbf{q})}{q_i} \right] q_i - \lambda_i [\Pi - \Pi_{-i} - \Delta_{-i}]$$

⌘ If the retailer has all the bargaining power ( $\lambda_i=0$ ) and if  $w_i$  is between MC and AC, then  $F_i > 0$

# Sequential Bargaining

- ⌘ Extension of Marx and Shaffer (1999) to the presence of externalities
- ⌘ 2 manufacturers negotiate sequentially with the retailer
- ⌘  $M_1$  is the first to negotiate
- ⌘ Proposition 1 obviously applies to  $M_2$

$$w_2^* = \frac{\partial C_2}{\partial q_2} + \gamma_{12} \frac{\partial C_2}{\partial q_1}$$

# Sequential bargaining 2

## ⌘ Optimal contract for $M_1$ :

**Proposition 4** *At the equilibrium with sequential bilateral negotiations, the wholesale price*

*for  $M_1$  is given by:*

$$w_1^* - \frac{\partial C_1}{\partial q_1} = (1 - \lambda_2)(1 - \eta) \frac{\partial C_2}{\partial q_1} + \gamma_{21} \frac{\partial C_1}{\partial q_2} - \frac{\lambda_2}{\frac{\partial q_1}{\partial w_1}} (q_1^* - \hat{q}_1) \quad (13)$$

*Internalization effect*

*Marx and Shaffer's rent shifting effect*

where  $\gamma_{ji} = \frac{\partial q_j}{\partial w_i} / \frac{\partial q_i}{\partial w_j}$  and  $\eta = \gamma_{21} \gamma_{12}$ .

*« Reducing its own cost » effect*

# Sequential bargaining 3

- ⌘ M&S rent-shifting effect: non positive if substitutes  $q_1^* < \hat{q}_1$

Increase in retailer disagreement payoff with  $M_2$

But also increase joint profit with  $M_2$  that weakens bargaining position of R

First effect dominates as long as  $\lambda_2 > 0$

-> below marginal cost pricing

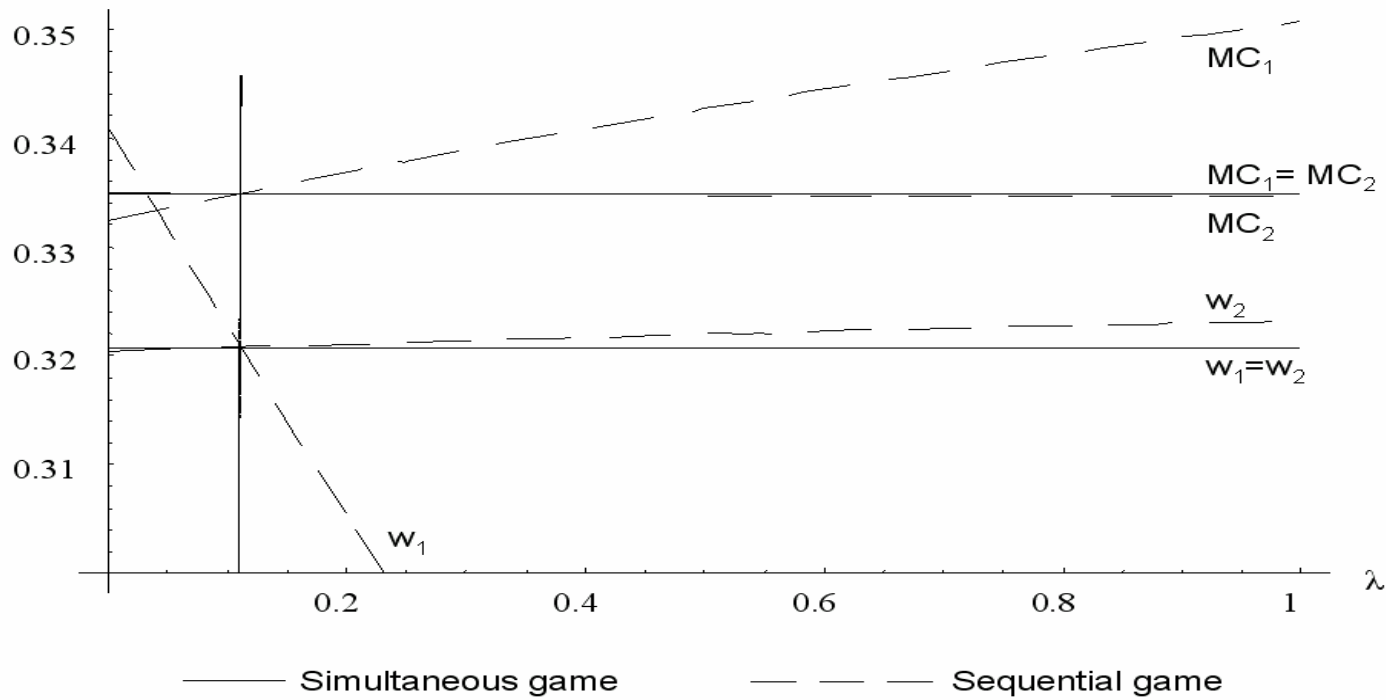
- ⌘ Internalization effect is non negative -> above marginal cost pricing

Incentives to partially internalize the negative externality of  $q_1$  on  $C_2$

- ⌘ Two effects towards BMCP

- ⌘ One effect towards AMCP

# Wholesale pricing



For  $M_1$ , for low  $\lambda$  internalization effect overcomes the two other effects (rent-shifting and cost reduction)

For high values, the rent shifting effect becomes dominant and BMCP appears

# Surplus analysis

## ⌘ Simultaneous bargaining

BMCP may be welfare improving compared to MCP

For instance,

*Proposition 5* Assume that  $n = 2$ . Consider (symmetric) linear demand functions,  $P_i(q_i, q_j) = \alpha - q_i - \nu q_j$  where  $0 \leq \nu \leq 1$  as well as a linear supply function  $P_x = \delta + \phi(x_i + x_j)$ . In addition, consider a Leontieff (constant return to scale) technology where  $q_i = kx_i$ . Then, below marginal cost pricing is always welfare improving compared to marginal cost pricing.

# Surplus analysis with simultaneous bargaining

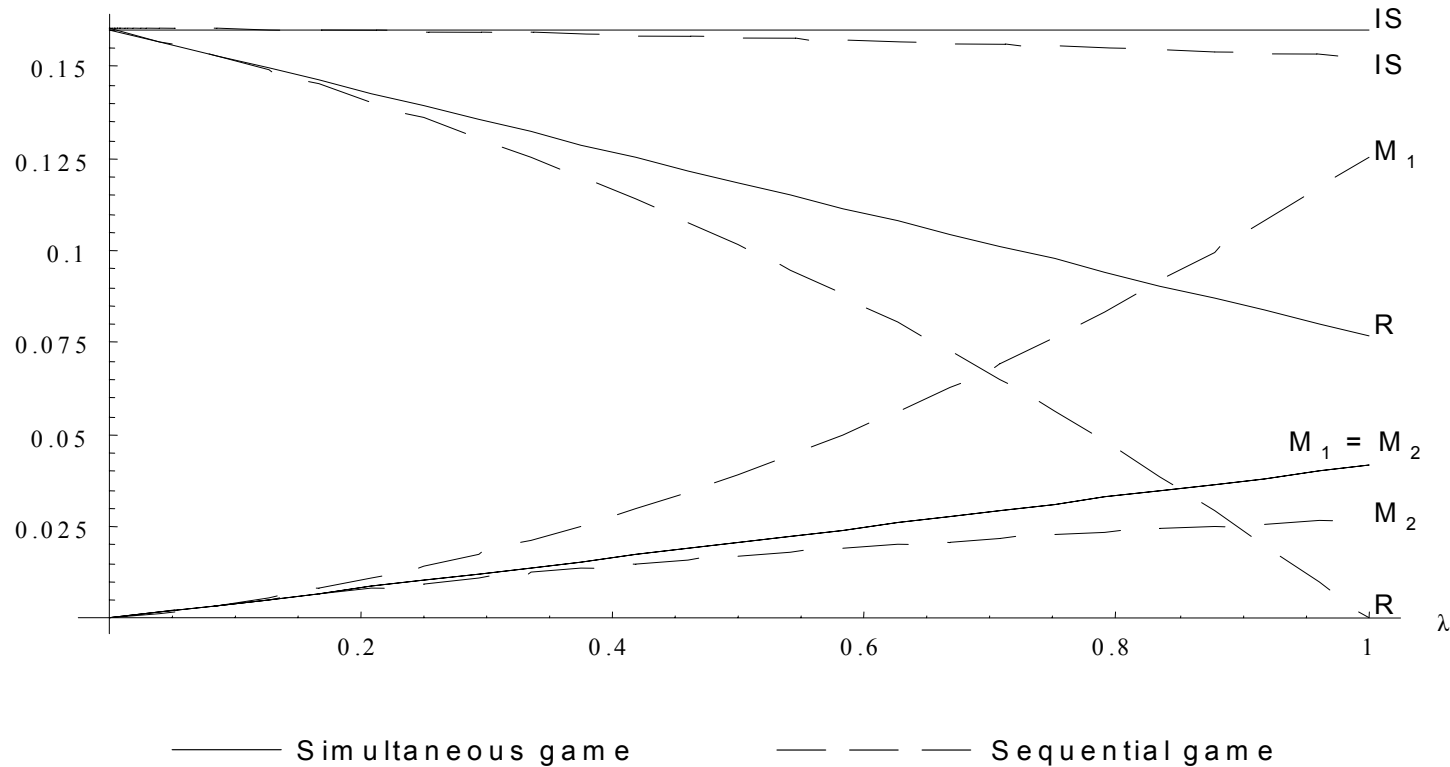
TABLE 1: Comparisons between below-cost pricing, marginal cost pricing and integrated

	vertical structure		
	MCP	BMCP*	IVSP*
$PS$	0.0123	+4.06%	-7.32%
$IS$	0.1605	-0.19%	+0.12%
$CS$	0.0494	+3.85%	-7.08%
$W$	0.2222	+0.95%	-1.85%
$(w_i - \frac{\partial C_i}{\partial q_i})/w_i$	0.00%*	-4.41%**	+7.50%**
Average cost	0.3055	+0.36%	-4.12%
$w_i$	0.3333	-3.75%	+7.14%
$P_i$	0.6666	-0.93%	+1.80%

\*: These values are in percentage of MCP. \*\*: These percentages indicate the value of ratios.

# Surplus analysis

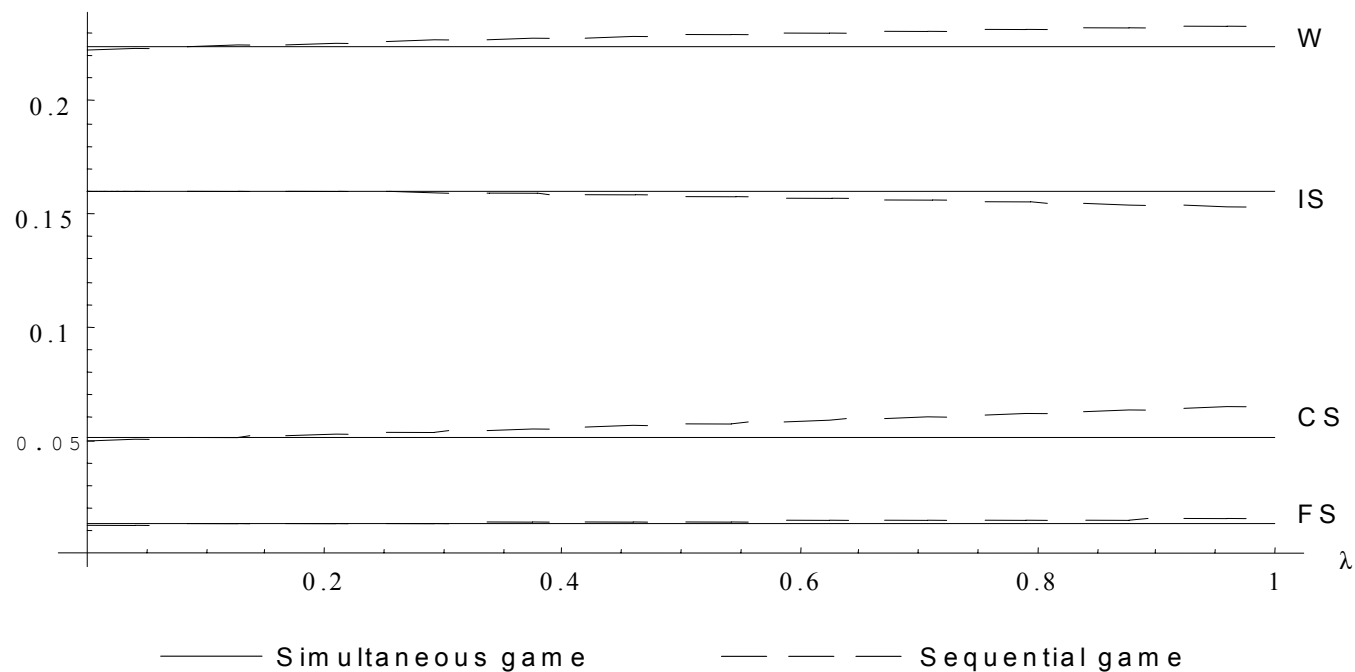
Balanced case:  $\lambda = \lambda_1 = \lambda_2$



The monopolist retailer always gains a strictly positive profit.  
 In the sequential game, the industry surplus decreases.  
 Being the first to negotiate is preferred by both manufacturers .  
 The retailer would most often play a simultaneous game



# Surplus analysis 2



Consumers and upstream producers benefit from a strong bargaining power for manufacturers (increasing competition effect leads to increase in input price but low final price for product 1 which overcomes increase in product 2 price)

A strong bargaining power for the retailer implies a higher size of industry surplus

Overall, welfare increases with manufacturers' bargaining power

# An unbalanced case

TABLE 3: Market equilibrium, profits and welfare in the unbalanced case

$\lambda_1 = 1, \lambda_2 = 0$	$PS$	$IS$	$CS$	$W$	$\pi^R$	$\pi^1$	$\pi^2$
Simultaneous game	1.28	16.02	5.13	22.42	11.85	4.17	0
Sequential game with $M_1$ first	-3.1%	0.1%	-2.7%	-0.7%	5.5%	-15.3%	-
Sequential game with $M_2$ first	19.5%	-4.6%	27.1%	4.1%	6.1%	-35.0%	-
$\lambda_1 = 1, \lambda_2 = 0$	$\frac{(w_1 - MC_1)}{w_1}$	$\frac{(w_2 - MC_2)}{w_2}$	$w_1$	$w_2$	$P_1$	$P_2$	
Simultaneous game	-4.4%	-4.4%	32.08	32.08	66.04	66.04	
Sequential game with $M_1$ first	2.5%	-4.6%	6.3%	-0.1%	1.5%	-0.03%	
Sequential game with $M_2$ first	-3.5%	-80.5%	0.7%	-39.4%	0.2%	-9.6%	

The retailer would prefer to negotiate with  $M_2$  first (internalization effect disappears while rent-shifting effect is maximal)

$M_1$  would prefer simultaneous bargaining while retailer would prefer sequential bargaining

# Conclusion



⌘ Oligopsonistic behaviour and bargaining over contracts with a monopolist retailer

BMCP as a rule in the substitute case and may be welfare improving

⌘ Inefficiency result for the industry

Degree of inefficiency depends on the form of contracts

⌘ Extension of M&S in the sequential case

# Extensions



⌘ Comparative statics: in progress

Transmission of shocks at the upstream level,  
processing level and demand level on prices and  
surplus sharing

⌘ More general contracts:

Non linear pricing, market share contracts

⌘ More than one retailer: in progress

Links with multiprincipals-multiagents literature