





# Some Economics of Seasonal Gas Storage

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#### ROADMAP

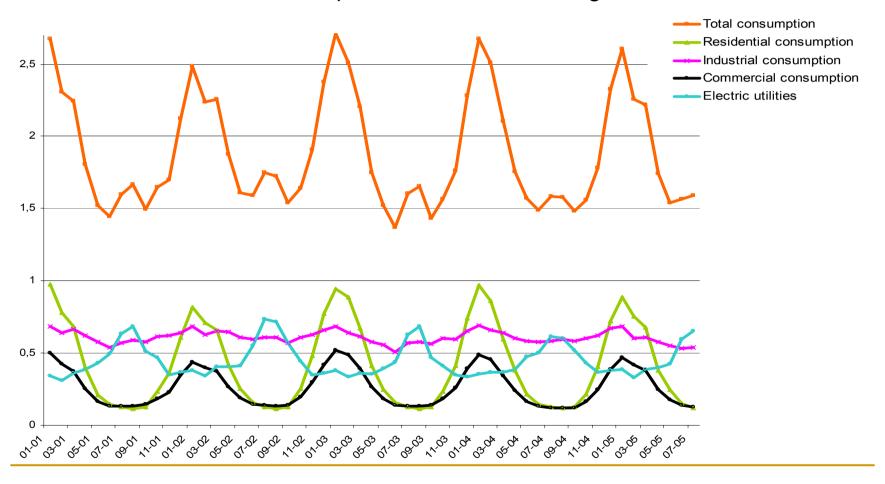
- Some data on the US Gas Industry
- Motivation of the paper
- Related literature
- The model
  - competitive storage
  - limit cycles
  - exhaustible supply
- Policy analysis: storage and domestic interest
- Estimation of the model
  - Evaluation of the impact on storage, prices and welfare of the various policies evoked
- Conclusions

# The US Gas Industry

- US: major player in the gas industry at the world level
  - Second producer, first importer
- Production sector: rather competitive
  - There are about 8,000 gas producers, ranging from small operators to major international oil companies
  - □ The five largest producers account for around 25% of total US output.
- Data reliable and publicity available (main source: EIA)

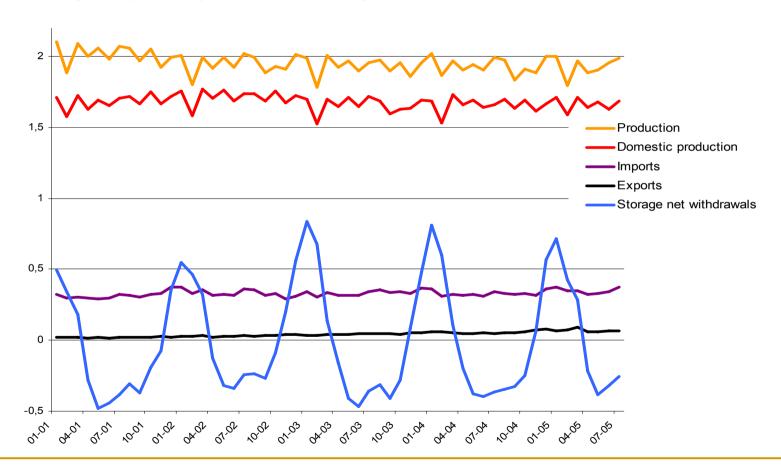
# Consumption

- Weather is the primary driver of gas consumption.
- Electric utilities' consumption is counter-cyclical, but overall the yearly cycle alternates between winter peaks and summer troughs



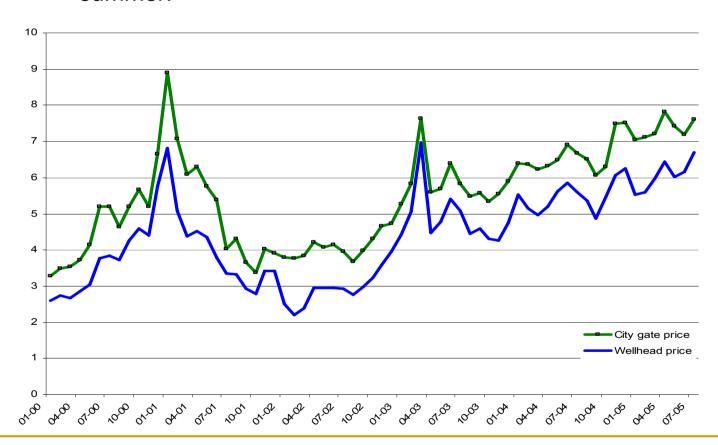
#### Production

- Extraction from gas wells as well as imports are flat
  - storage plays a key role in balancing seasonal and short-term loads



#### Prices

- Seasonality of the price is hardly visible
  - Over the last twenty years, the average price over the winter is significantly higher than the average price during the previous summer.



# Motivation of the paper

- Our paper aims at analyzing in a coherent framework the gas industry by focusing on the economics of seasonal storage, including long-run trends and the impact of public policies.
  - Marked seasonal patterns and considerable storage activity deserve specific theoretical development.
    - years are split into two seasons;
    - stockpiling in summer and withdrawal in winter is shown to be consistent with random shocks and with exhaustibility of natural gas.

#### Related literature

#### Storage

- "Supply of storage" models (Kaldor, 1939, Working, 1948, Brennan, 1958)
  - role of storage when the economy experiences unexpected shocks;
  - convenience yield: an embedded timing option, whose value is null for predictable variations like seasonal effects

#### Seasonal storage

- Seasonal effects have been considered as a theoretical issue that can be treated in general purpose models (Brennan, 1960, Williams and Wright, 1991, Routledge et al., 2000).
- Few exceptions: Samuelson (1966), Pyatt (1978), Lowry et al. (1987)

#### Renewed interest for energy markets:

- Pindyck (2002): structural approach to various energy commodities markets that might fail to capture important phenomena linked to demand flexibility.
- Modjtahedi and Movassagh (2005): seasonal effects have been filtered in a way that offers no guarantee on the consistency of the estimates.
- Uría and Williams (2005): seasonal effects limit the responsiveness of injection decisions in California to the futures market.
- Byers (2006), Mu (2007), Serletis et al. (2007): finance approach.

in all these empirical papers, seasonal effects are more evoked as an encumbrance than as an object of study

#### Public policies

- Buffer stocks used by public agencies to stabilize prices (Waugh, 1944, Oi, 1961, Massel, 1969).
- Trade models (for example, Hueth and Schmitz, 1972, Just et al., 1977, Devadoss, 1992): public market interventions to protect national interests from imported price fluctuations.
- Williams and Wright (1991): very complex dynamic stochastic models that make the characterization of the effectiveness and efficiency of public interventions quite rough.

# The model: definitions and assumptions

- Time is discrete and infinite.
- A year is composed of two six-month periods; it starts with summer S
  and ends with winter W.
- A period is denoted by yσ for year and season.
- The year after y is denoted y+1, whereas the season that follows  $y\sigma$  is  $n(y\sigma)$  where n is for next, e.g. n(yS)=yW and n(yW)=(y+1)S
- $n^m(y\sigma)$  and  $n^{-m}(y\sigma)$  with m a positive integer, indicate the mth period forward and backward respectively.

- $Cons_{y\sigma}[\cdot]$ : consumption strictly decreasing with respect to the price function at period  $y\sigma$
- Prod<sub>yσ</sub>[·]: domestic and foreign production (imports) at period yσ; non-decreasing with respect to the price
  - □ for all  $y\sigma$ ,  $Cons_{y\sigma}[\cdot]$  and  $Prod_{y\sigma}[\cdot]$  cross only once for some  $p^{\circ}_{y\sigma}>0$
- Excess supply function

$$\triangle_{y\sigma}[\cdot] = \operatorname{Prod}_{y\sigma}[\cdot] - \operatorname{Cons}_{y\sigma}[\cdot].$$

- To characterize the difference between summer and winter, we only need p <sup>o</sup><sub>yw</sub>≥p <sup>o</sup><sub>yS</sub> and p <sup>o</sup><sub>yw</sub>≥p <sup>o</sup><sub>(y+1)S</sub>
  - These weak restrictions stress the importance of seasonal effects (higher prices in winters) without assuming that the yearly cycle is repeated over time

- Storage is assumed to be a competitive activity with constant returns to scale up to the maximum capacity K.
  - □ the unit storage charge is  $\kappa_{v\sigma} \ge c$  = marginal storage cost
  - $\Box$  the interest rate from one period to the next is r.
- With positive storage  $G_{y\sigma}$ , there are 2 fundamental equations:
- the *no-arbitrage condition*

$$G_{y\sigma} > 0 \Rightarrow \frac{p_{n(y\sigma)}}{1+r} = p_{y\sigma} + \kappa_{y\sigma}.$$

2. conservation of matter

$$\triangle_{y\sigma}[p_{y\sigma}] = G_{y\sigma} - G_{n^{-1}(y\sigma)}.$$

Transversality Condition

$$\lim_{i \to +\infty} \frac{p_{n^i(y\sigma)}}{(1+r)^i} = 0.$$

### Competitive equilibrium

**Definition 1 (Competitive Equilibrium)** A competitive equilibrium starts in period 0S, with some stocks  $G_{0S}$ ; it is a sequence of prices  $p_{y\sigma}$ ,  $\kappa_{y\sigma}$  with a storage policy  $G_{y\sigma} \geq 0$  such that, for all  $y\sigma$  after 0S

$$\begin{cases} if \frac{p_{n(y\sigma)}}{1+r} < p_{y\sigma} + c \text{ then } G_{y\sigma} = 0; \\ if \frac{p_{n(y\sigma)}}{1+r} = p_{y\sigma} + c \text{ then } 0 \le G_{y\sigma} \le K; \\ if \frac{p_{n(y\sigma)}}{1+r} = p_{y\sigma} + \kappa_{y\sigma} \text{ with } \kappa_{y\sigma} > c \text{ then } G_{y\sigma} = K; \\ \triangle_{y\sigma}[p_{y\sigma}] = G_{y\sigma} - G_{n^{-1}(y\sigma)}; \\ \lim_{i \to +\infty} \frac{p_{n^{i}(y\sigma)}}{(1+r)^{i}} = 0. \end{cases}$$

 Price-taking behavior of the agents, strictly increasing excess supply functions, linearity of the storage technology: the competitive equilibrium maximizes total surplus

- If the economy starts with huge reserves, it will experience a drainage phase of several years and will then follow the cyclical dynamics.
- Prices start low and increase steadily season after season (no-arbitrage eq.).
- Once the stocks are exhausted, the seasonal dynamics consists of stockpiling in summer and depleting reservoirs in winter
  - $\Rightarrow$  conservation of matter and the no-arbitrage condition give the unique solution  $(p_{yS},p_{yW})$

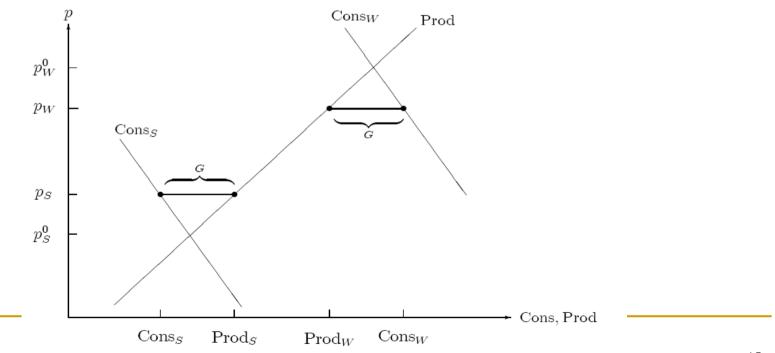


Figure 4: Unconstrained Competitive Storage.

#### Transition and limit cycles

Restricting the rate at which supply and demand change over time, we prove the convergence to seasonal pattern

- $N[p] \equiv (1+r)(p+c)$  denotes the price attained after one season of unconstrained positive stockholding.
  - $\Box$  Consistently,  $N^m[p]$  denotes the price attained after m seasons of uninterrupted stockholding.

**Definition 2** The economy is said to be regular if for all season  $\sigma$ , all year y and for all price p

$$\Delta_{(y+1)\sigma}[N^2[p]] \ge \Delta_{y\sigma}[p].$$

Proposition 1 (Convergence to seasonal pattern) If the economy is regular, then in any competitive equilibrium, storage becomes seasonal (stocks are empty each year at the end of winter) in finite time and remains so.

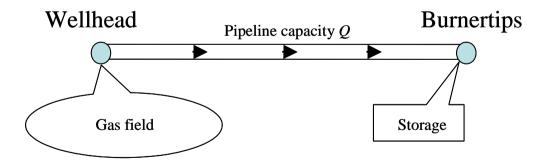
#### Extension 1: shocks

Idea: if the shocks are limited (support is bounded), then there is no possible state of the economy in which speculators store at the end of the winter for the coming summer

- Assume that season specific shocks impact the excess supply function (i.e. demand and supply) and that this shock is known only at the beginning of the season.
  - decisions taken one season before were ignorant of the magnitude of the current shock, whereas decisions taken during the season takes it into account
- First step: solve the equilibrium in which the year starts and finishes with empty stocks.
- Second step: search for conditions under which storage from winter to summer is never desirable in any realization of the possible states of nature.
  - ⇒stockout at the end of winters is systematic

## Extension 2: Cycles and trends with exhaustible supply

- Natural gas is an exhaustible resource.
- Production is determined by intertemporal arbitrage as exposed in Hotelling (1931) and by the transportation capacity from gas fields to the consumers.



- We show that the equilibrium is never stationary (except if production and consumption become null) and the economy crosses three significantly different phases:
  - the beginning (low prices): the economy follows a trend at the wellhead, but is cyclical at the consumption place; the pipeline is congested; positive storage
  - the transition (intermediate prices): as in the previous case, but with the pipeline congested in winter only
  - the end (high prices): prices grow more slowly at B than at Wh; no storage - only imports
    - A slightly more realistic description would be a model in which fields are increasingly costly or increasingly far from the consumption region as depletion goes on.
- The first phase is particularly relevant for economies that depend highly on energy imports. Price observed at the local level may well be stationary for a while, even if the world price follows the Hotelling rule.

# Policy Analysis

- As from 1978, in the US, progressive market liberalization
- Energy Policy Act of 2005
  - moderating the recurrence and severity of "boom and bust" cycles while meeting increasing demand at reasonable prices
  - proposals to ensure adequate domestic energy supply and infrastructure.
- Public interventions
  - Gas price cap (temporary or emergency measure)
  - Excise tax

# Price cap

Price ceilings succeed in reducing prices, but storage is discouraged.

**Proposition 2** With a non-extreme price ceiling  $((1+r)\cdot(p_S^0+c)<\overline{p}< p_W)$ ,

- 1. Storage  $\overline{G}$ , seasonal prices  $\overline{p}_W = \overline{p}$  and  $\overline{p}_S = \frac{\overline{p}}{1+r} c$  decrease as  $\overline{p}$  decreases; consumers are rationed in winter;
- 2. A price cap slightly below the unconstrained competitive winter price increases consumers' surplus.

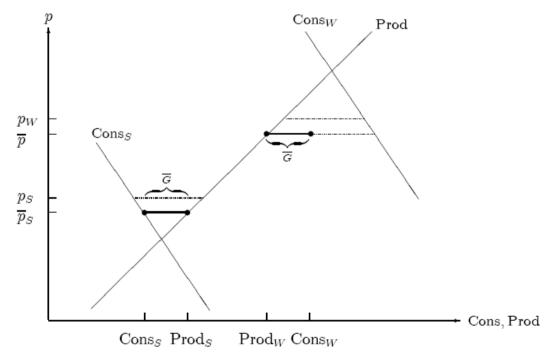


Figure 6: Competitive Storage with Price Ceiling

## Optimal allocation

We characterize the optimal policy in the interest of the residents

The government maximises the intertemporal consumer surplus

$$U_S[q_S^C] - m_S + \frac{U_W[q_W^C] - m_W}{1 + r},$$

- $\cup$   $U_S$  and  $U_W$  are increasing and concave utility functions
- $q_{\sigma}^{C}$  season  $\sigma$  gas consumption
- We distinguish domestic and foreign production (imports)
- Storage is assumed to be domestic.

#### At the optimum:

- consumers' marginal utilities equal domestic marginal costs;
- consumers' intertemporal MRS satisfies the no-arbitrage equation
- each period, the government exerts monopsony power on foreign producers.

**Proposition 3** Compared to the competitive allocation, consumption, domestic production and imports at each period decrease. There are economies in which storage is smaller and others in which it is greater.

⇒ Storage may be greater with the optimal policy than under laissez-faire.

□ The allocation maximizing domestic surplus can be sustained with tariffs on imports each season

$$\begin{array}{ll} \text{Domestic prices:} & p_S = U_S'[q_S^C] = C_S'[q_S^D], \\ & p_W = U_W'[q_W^C] = C_W'[q_W^D]. \\ \text{Import prices:} & p_S^I = p_S^I[q_S^I], \\ & p_W^I = p_W^I[q_W^I]. \\ \text{Tariffs:} & \tau_S = p_S^{I\prime}[q_S^I]q_S^I > 0, \\ & \tau_W = p_W^{I\prime}[q_W^I]q_W^I > 0. \end{array}$$

Tariffs are just the wedge between domestic and import prices.

(natural gas imported from Algeria and other sources must still pay a small merchandise processing fee to the US custom services!)

## Estimation of the model

- Based on the stochastic version of the model
- The observed variables per season are:

 $\Delta_{y\sigma}$ : variation of the stock;

 $p_{y\sigma}$ : average gas price;

 $Y_{y\sigma}$ : GDP;

 $T_{y\sigma}$ : average temperature.

where season average temperature and GDP are exogenous controls

$$\mathbf{Z}_{yW} = (T_{yW} \ Y_{yW})'$$
  $\mathbf{Z}_{yS} = (T_{yS} \ Y_{yS})'$ 

- ☐ The equilibrium involves, for each year, four equations:
  - 1. excess supply in summer
  - 2. excess supply in winter
  - 3. price arbitrage
  - 4. annual balance.
- ☐ We use the following linear specification

$$\begin{array}{lcl} \Delta_{yS} & = & \beta_1^0 + \beta_{1p} p_{yS} + (\beta_{1T} \ \beta_{1Y}) \mathbf{Z}_{yS} + \varepsilon_{y1} \\ \Delta_{yW} & = & \beta_2^0 + \beta_{2p} p_{yW} + (\beta_{2T} \ \beta_{2Y}) \mathbf{Z}_{yW} + \varepsilon_{y2} \\ E p_{yW} & = & \beta_3^0 + \beta_{3p} p_{yS} \\ \Delta_{yW} & = & \beta_4^0 + \beta_{4\Delta} \Delta_{yS} + \varepsilon_{y4} \end{array}$$

#### We test the following restrictions:

- 1. Total annual excess supply is null on average:  $\beta_4^0=0$  and  $\beta_{4\Delta}=-1$
- 2. Weak interannual effects:  $\Delta_{yS} + \Delta_{yW}$  is not correlated with  $\Delta_{(y+1)S}$
- 3. Higher current prices increase excess supply:  $eta_{1p} \geq 0$  and  $eta_{2p} \geq 0$
- 4. Higher temperatures in summer decrease excess supply and higher temperatures in winter increase excess supply

$$\beta_{1T} \leq 0$$
 and  $\beta_{2T} \geq 0$ 

- GDP affects demand and then has a negative impact on excess supply  $\beta_{1Y} \leq 0$  and  $\beta_{2Y} \leq 0$
- 6. Indirect estimation of r and c: r as  $\widehat{eta}_{3p} 1$  c as  $\widehat{eta}_3^0/\widehat{eta}_{3p}$

- A "year" *y* is composed of two six-month periods and starts with the "summer" (accumulation period) and finishes with the "winter" (drainage period).
- Using monthly data, we calculated the two consecutive six-month periods that maximize the variability of the stock variation (smoothing the cycle the least possible) over the sample.
- The best aggregates we find are 2nd and 3rd quarters for the summer, 4th quarter and subsequent 1st quarter for the winter.
  - Price and temperature averages as well as GDP are calculated for the same periods.
- The dataset covers April 1986 (year in which deregulation started) to March 2005.
- Winter price is modelled as follows:  $p_{yW} = \beta_3^0 + \beta_{3p} p_{yS} + \varepsilon_{y3}$ ,
- We use 3SLS

#### Estimation results:

- □ Test 1 (annual cycle): passed in a first round  $\beta_4^0 = 0$  and  $\beta_{4\Delta} = -1$
- Test 2 (low catch up effects): correlation -.299 and standard error .185 (prob of .126 under the null hypothesis)
- Tests 3, 4 and 5 (impact of prices, temperature and GDP) are passed.
- The estimates for the interest rate is r=10%; no significant evidence of the impact of storage unit cost
- ⇒ Overall, the theory we exposed is not contradicted by the data.

Equation	Coeff.	St. Err.	z	P >  z	
$\Delta_{yS} = \cdots$					
Constant	$1.57 \times 10^{7}$	$6.82 \times 10^{6}$	2.30	.022	
$p_{yS}$	$2.50 \times 10^{5}$	$1.46 \times 10^{5}$	1.72	.086	
$Y_{yS}$	-35.4	93.2	-0.38	.705	
$T_{yS}$	$-2.29 \times 10^{5}$	$1.05 \times 10^{5}$	-2.18	.029	
$\Delta_{yW} = \cdots$					
Constant	$-5.51 \times 10^{6}$	$1.78 \times 10^{6}$	-3.08	.002	
$p_{yW}$	$2.58 \times 10^{5}$	$1.10 \times 10^{5}$	2.33	.020	
$Y_{yW}$	-336	91.6	-3.66	.000	
$T_{yW}$	$1.35 \times 10^{5}$	$4.76 \times 10^{4}$	2.84	.005	
$p_{yW} = \cdots$					
Constant	168	.181	-0.93	.351	
$p_{yS}$	1.10	.068	$1.47^{*}$	.144*	
*Tested against 1.					

Table 1. Core equations of the seasonal storage model.

# Evaluation of welfare effects of price policies

- Estimation of domestic production and net imports
  - Productive capacity: number of wells
- Sample: from 1993 to 2005, the period between 1986 and 1992 having a strong influence on the estimates.
  - In accordance with economic intuition, the implied price elasticity of demand is negative and domestic production appears to be less priceelastic than imports.
- We reason on the average year (sample average temperature, GDP, number of wells).
  - Linear demand and supply functions are integrated to give linearquadratic utility and cost functions.

#### Three scenarios:

- 1. Pure competition.
- The optimal price cap for residents (consumers and domestic producers) with winter efficient rationing
- The residents' optimum: optimal tariffs, associated equilibrium prices and quantities (no rationing)
- The total maximum surplus is set by convention to 0, other surplus are given as differences with the maximum.

- The optimal price cap is overall less distortionary than optimal tariffs
  - these latter are nevertheless, by definition, more attractive for the residents.
- The optimal tariffs are very large (about \$7 per MMcf) and do more than halve the import price.
  - This effect is due to the relative inflexibility of imports.
- The price cap discourages storage, as predicted, and more than tariffs, whose effect is ambiguous in theory.

Scenario	Perfect comp.	Opt. price cap	Opt. tariffs
Total surp./year	0	-1.06	-1.84
Dom. surp./year	-12.7	-11.5	-10.4
Stocks $(10^6)$	1.65	1.47	1.60
Summer			
Import price	2.49	1.29	1.23
Domestic price	2.49	1.29	7.51
Tariff	0	0	6.28
Winter			
Import price	2.56	1.6	0.91
Domestic price	2.56	1.6	8.08
Tariff	0	0	7.16

Table 2. Comparison of three price policies.

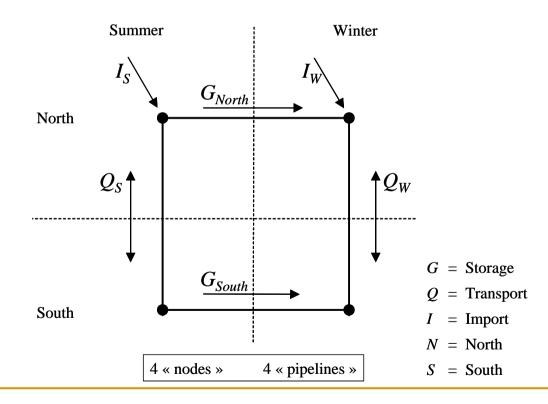
Quantities in MMcf, prices in \$/MMcf, surpluses in M\$.

# Conclusions

- The model enabled us to expose a comprehensive view of the seasonal natural gas markets.
- The estimates based on the US data over 1986-2005 were used to calculate the potential surplus gains the country could achieve.
- Given the relatively low values found and the uncertainty attached to the parameters, no intervention through tariffs is a defensible policy.
  - This is in line with the current US policy.
    - Gas has typically been very lightly taxed compared to oil, "not only because it is not much used in transport but also to encourage a shift on dependence away from oil" (Newbery, 2005).
    - When a state wants to exert monopsony power, it only distorts import price leaving unaffected the national ones.

#### Extensions

- Our model is focused on liberalized gas markets, but it can be used as a building block when one considers regulatory issues such as
  - access to storage (allocation of scarcity rents)
  - transportation charges and nodal prices.



# **Descriptive Statistics**

Variable	Unit	Mean	Std. Dev.	Min.	Max.
$GDP_S$	B\$	8313	1439	6262	10846
$GDP_W$	B\$	8317	1436	6265	10838
Wells	#	307129.7	49949.19	241527	401480
$T_S$	°F	62.77842	.6637795	61.57	63.88
$T_W$	°F	44.41	.145406	41.97	46.71
$\Delta_S$	MMcf	1638388	325292.7	1160000	2262996
$\Delta_W$	MMcf	-1649048	294352.6	-2323528	-1163000
Dom. prod. $S$	MMcf	9331938	621662	7970839	$1.01 \times 10^{7}$
Dom. prod. $W$	MMcf	9600006	303795	8898230	$1.01 \times 10^{7}$
Net imp. S	MMcf	1282275	453669	469932	1930174
Net imp. $W$	MMcf	1164139	505577	261408	1819766
$p_S$	$\$/\mathrm{Mef}$	2.46	1.13	1.46	5.42
pW	$\$/\mathrm{Mef}$	2.53	1.22	1.56	5.57

Table 3. Descriptive statistics.

Note: MMcf = one million cubic feet, Mcf = one thousand cubic feet. GDP in annual value.

#### A.5 Production and imports

Equation	Coeff.	St. Err.	Z	P >  z
Summer dom. prod.				
Constant	$8.60 \times 10^{6}$	$9.18 \times 10^{5}$	9.37	.000
$p_{yS}$	$-1.40 \times 10^{5}$	$1.27 \times 10^{5}$	-1.10	.280
Wells	4.59	3.66	1.25	.217
Summer net imp.				
Constant	$1.05  imes 10^6$	$1.44 \times 10^{5}$	7.29	.000
$p_{yS}$	$2.08 \times 10^{5}$	$4.66  imes 10^4$	4.46	.000
Winter dom. prod.				
Constant	$1.08 \times 10^{7}$	$6.47 \times 10^{5}$	16.71	.000
$p_{yW}$	9070	$8.47 \times 10^{4}$	0.11	.915
Wells	-3.18	2.58	-1.23	.226
Winter net imp.				
Constant	$1.19 \times 10^{6}$	$1.31 \times 10^{5}$	9.09	.000
$p_{yW}$	$1.92 \times 10^{5}$	$4.03  imes 10^4$	4.78	.000

Table 4. Domestic production and imports.