


# Dynamics of Compatibility under Switching Cost

Doh-shin Jeon (TSE)

Domenico Menicucci (University of Firenze)

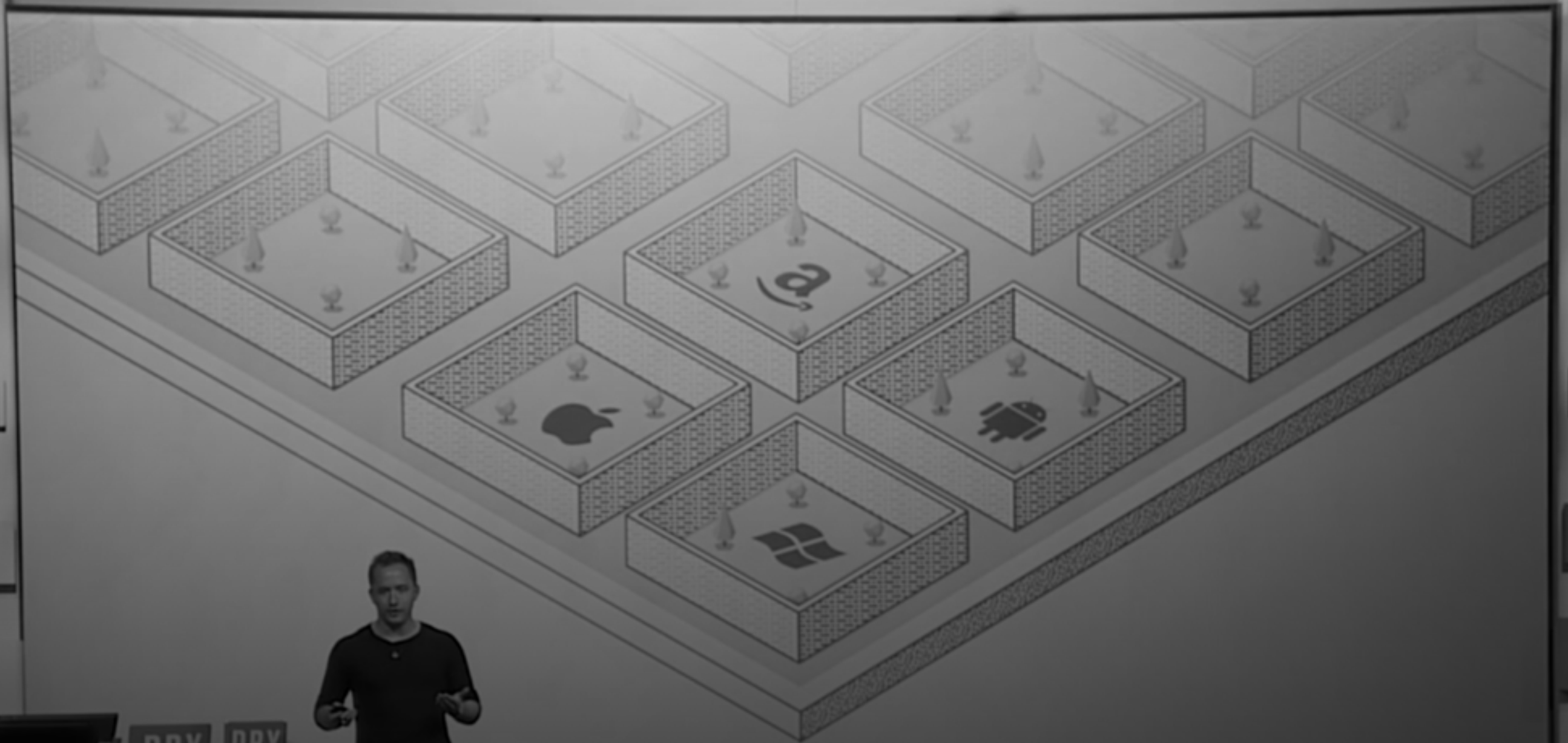
Nikrooz Nasr (TSE)

Toulouse, January 8 2016

A black and white photograph of Larry Page, CEO of Google, speaking into a microphone. He is wearing a dark suit and tie. The background is dark and out of focus.

*"The Internet was made in universities and it was designed to interoperate. And as we've commercialized it, we've added more of an island-like approach to it, which I think is a somewhat a shame for users."*

— Larry Page CEO of Google Alphabet



*"Consumers are trapped in each platform."*

— Drew Houston CEO of Dropbox

# Walled garden

## I Personal computing (AAPL, GOOG, MSFT)

- *lock-in* consumers by making it hard to *transfer data* (health data, apps, music, log-in info ...) to another platform or by providing some *benefits exclusively* to those who use everything from the same ecosystem (continuity, notification sync, ...)

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- enterprises would incur a huge cost if they wish to transfer their data from one vendor to another due to incompatible technologies

## III Advertising (GOOG, FB)

- marketers are forced to buy and measure through the platform, if they want to integrate their own data (first-party/third-party) with the platform's.

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## IV Messaging (GOOG, FB, TWTR, AAPL, WeChat, Line)

- users can't connect to other platforms or use their services.

## V Publishers (FB, GOOG, SnapChat, AAPL)

- different format of content for each platform

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## Our approach

- we consider a ***dynamic*** (two-period) model: consumers should upgrade products or renew subscriptions
- we show that symmetric firms have an incentive to choose ***incompatibility*** in both periods if
  - the weight of the second-period payoff is large enough
  - the switching cost is significant

# Model

**2 Firms**  $\in \{A, B\}$

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- **A two-dimensional Hoteling model:** a mass one of consumers are uniformly distributed over a square
- **Unit demand:** Marginal cost is large enough that a consumer buys only one between  $A_j$  and  $B_j$  for given  $j = x,y$
- **Full coverage:**  $v^e$  (expected value per product) is large enough
- Linear transportation cost  $t = t_x = t_y$

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**2nd Period**

- At the end of period one, a consumer discovers the true value of the product she consumed;  $v \sim U[v^e - 1/2, v^e + 1/2]$
- A **switching cost** of  $s > 0$  per product; homogenous for all consumers
- **Poaching:** behavior-based price discrimination
- Common discount factor;  $\delta > 0$

# Stage game for each period

- 1. Compatibility choice:** each platform simultaneously chooses between compatibility and incompatibility. If at least one firm chooses incompatibility, incompatibility prevails
- 2. Pricing:** each platform simultaneously chooses prices
- 3. Consumers** make purchase decisions

# Second-period poaching competition

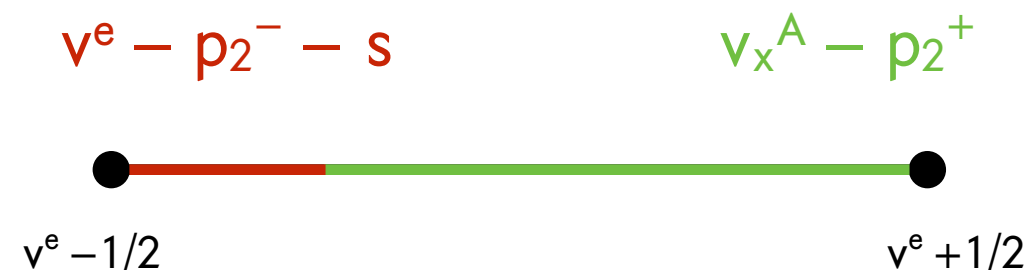
## Lemma 1. **Compatibility in period two**

- Four submarkets:  $A_x$ ,  $B_x$ ,  $A_y$ ,  $B_y$
- In each submarket, say  $A_x$ , because of the switching cost, one is dominant (**A**) and the other (**B**) is dominated

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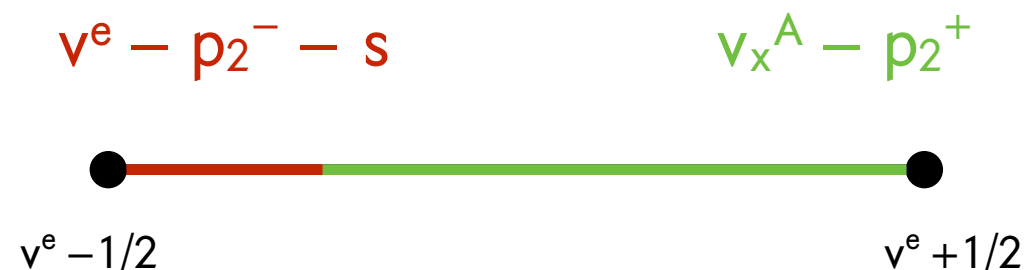
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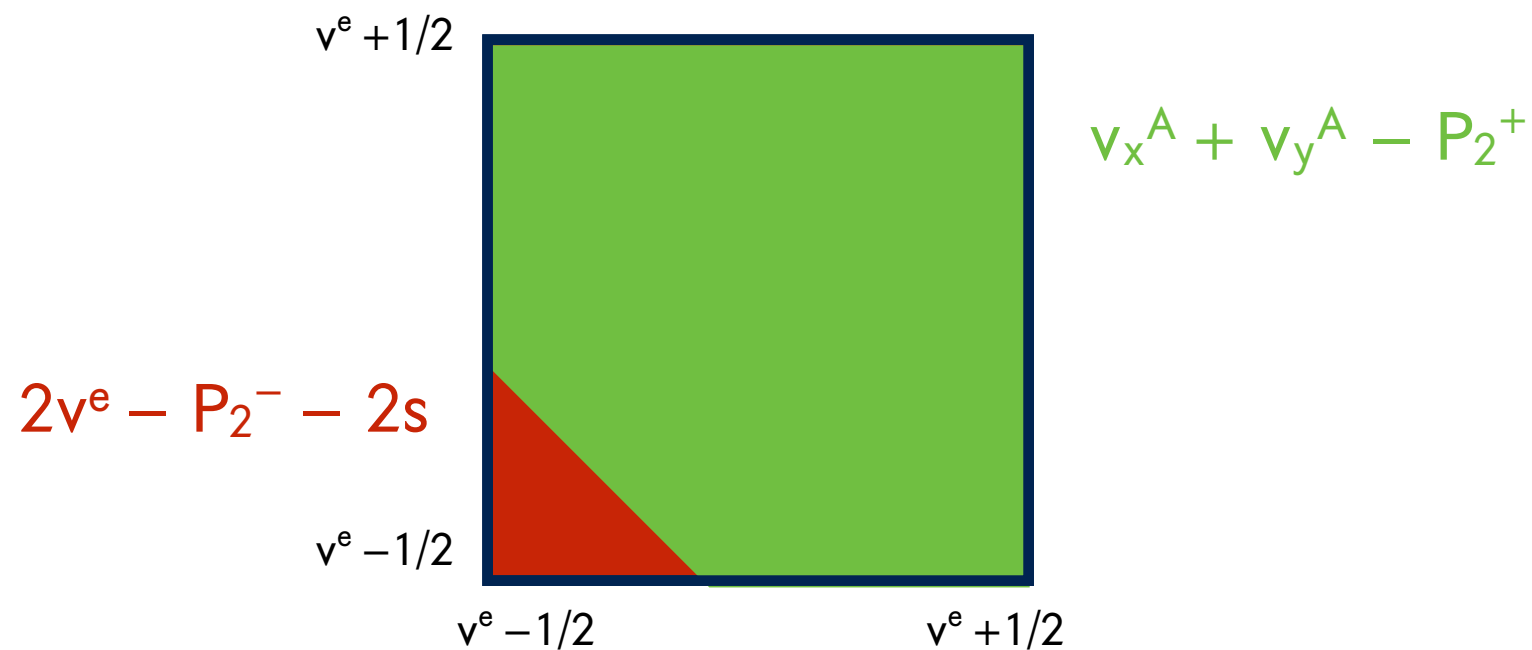
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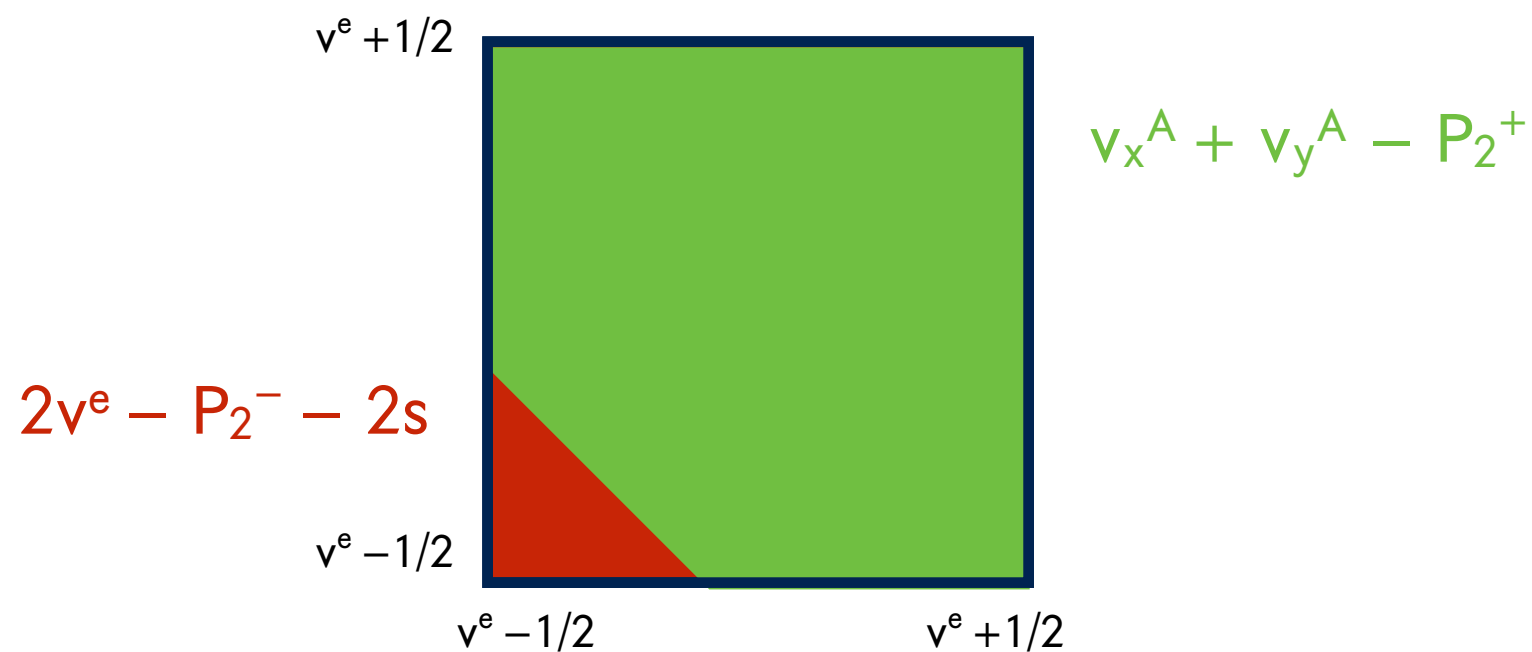
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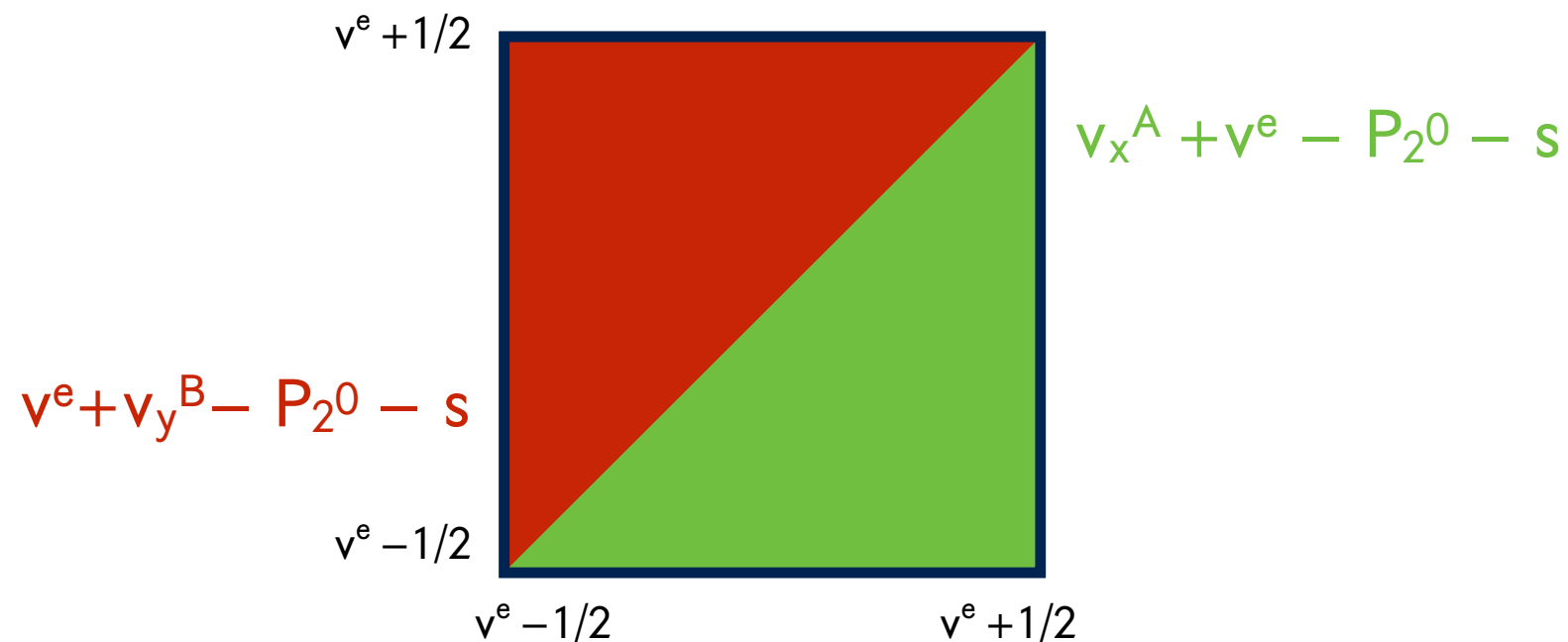
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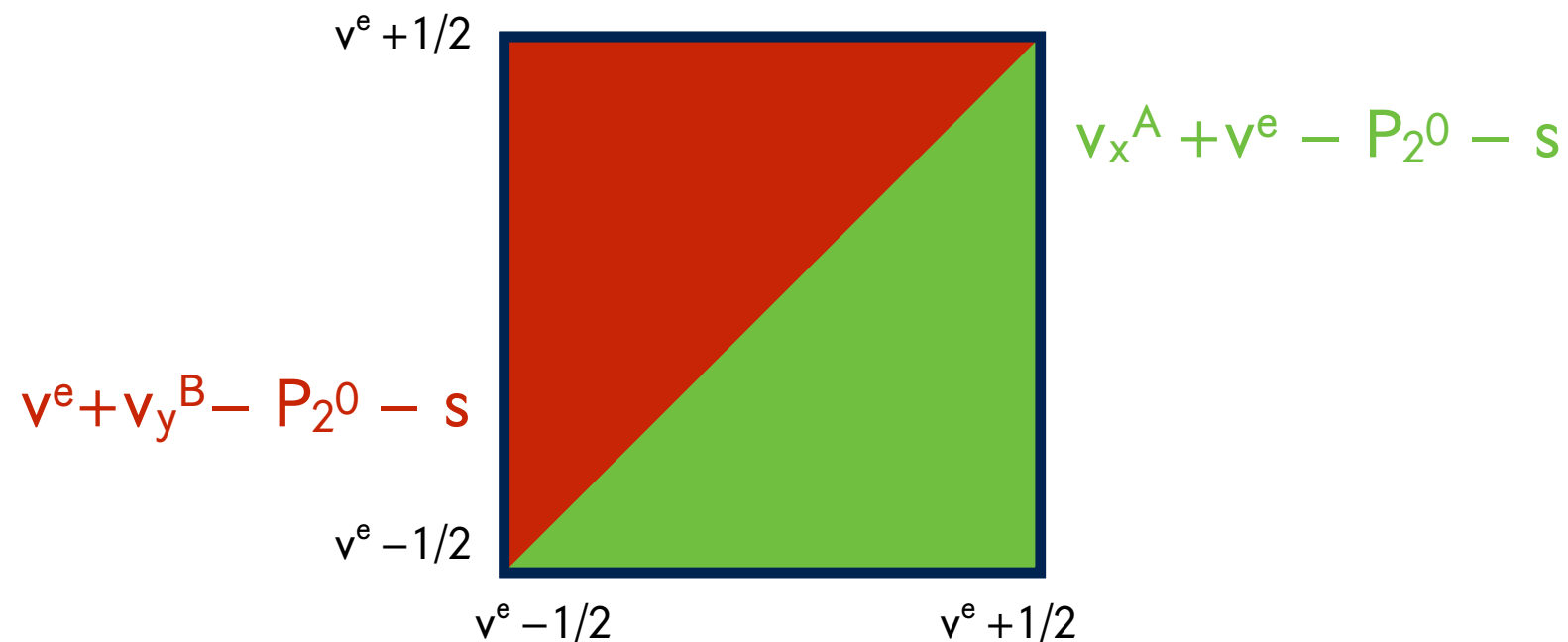
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# Second-period poaching competition

Corollary. **Hurkens-Jeon-Menicucci (2013)**

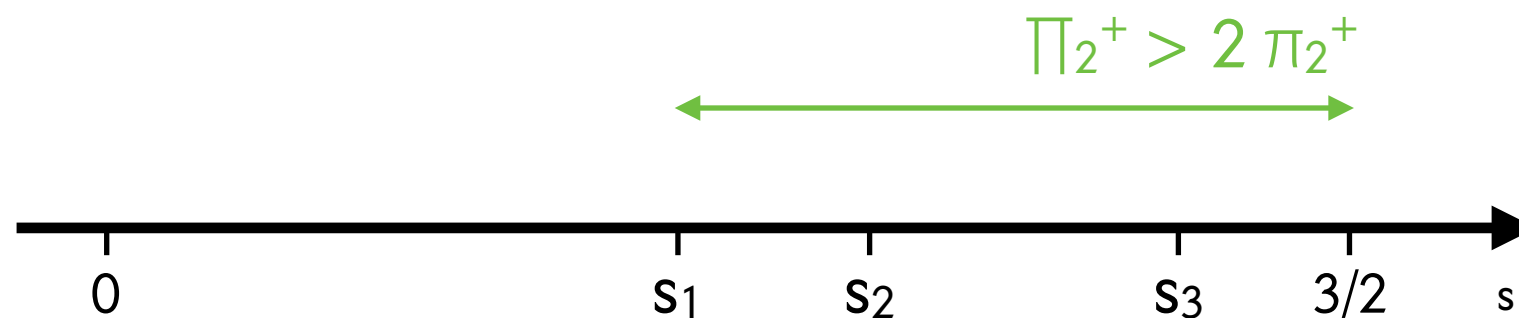
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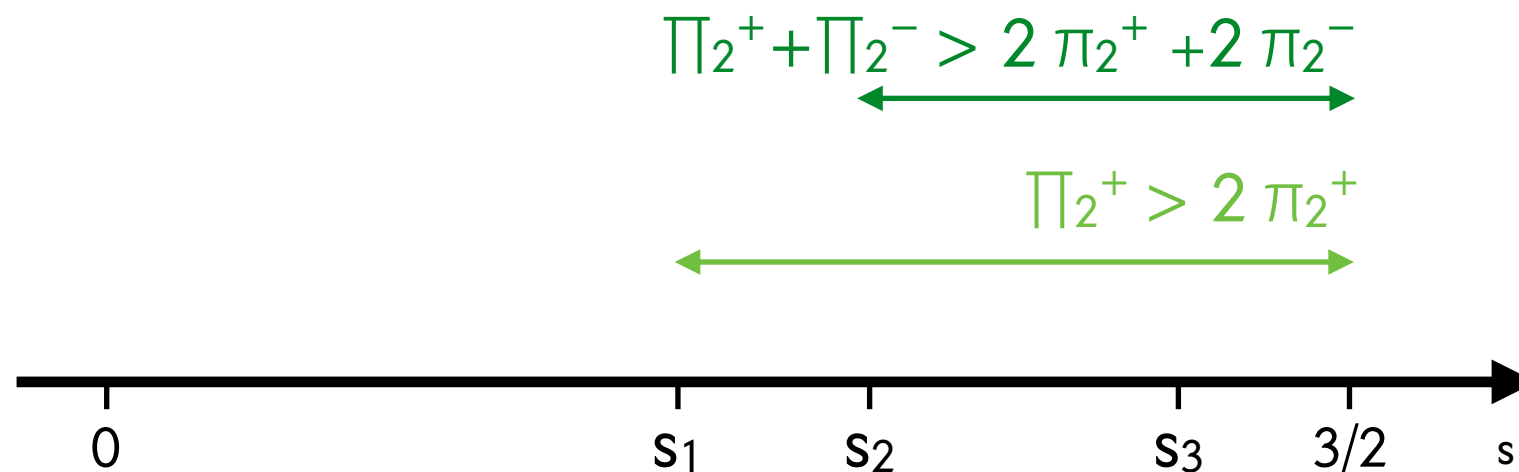




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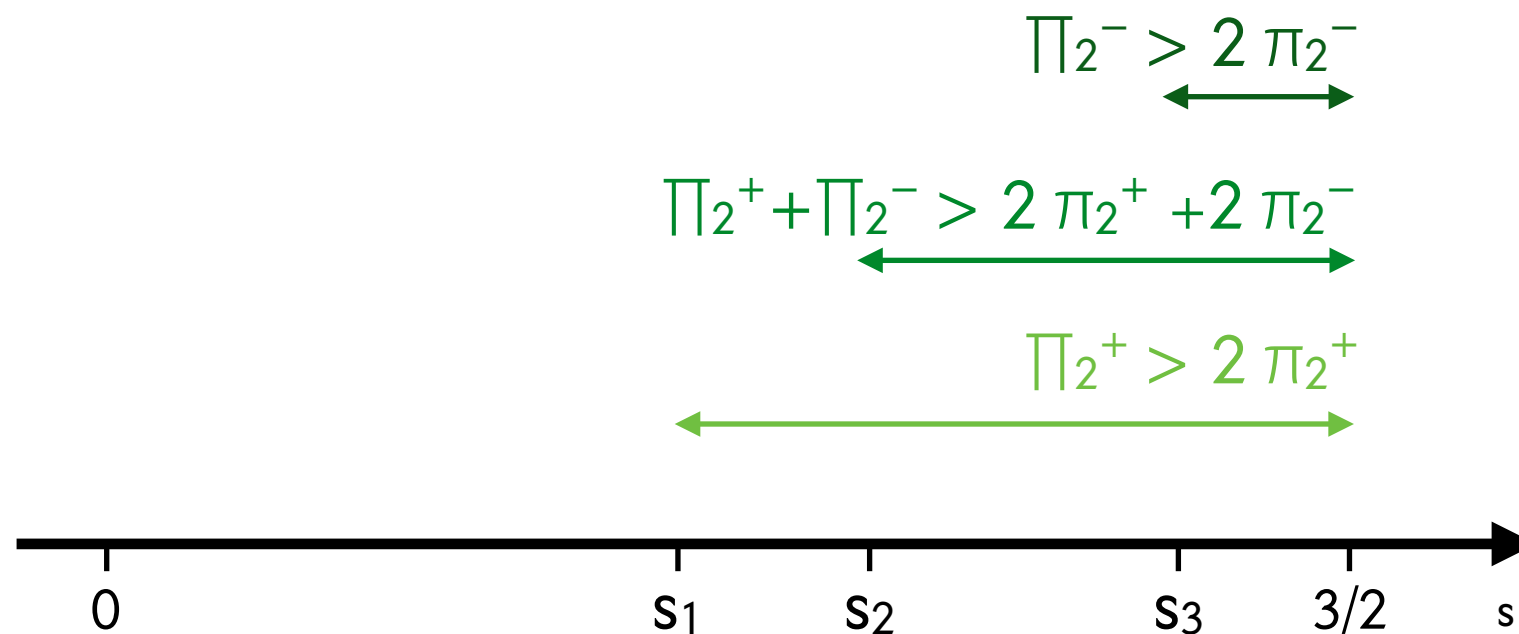
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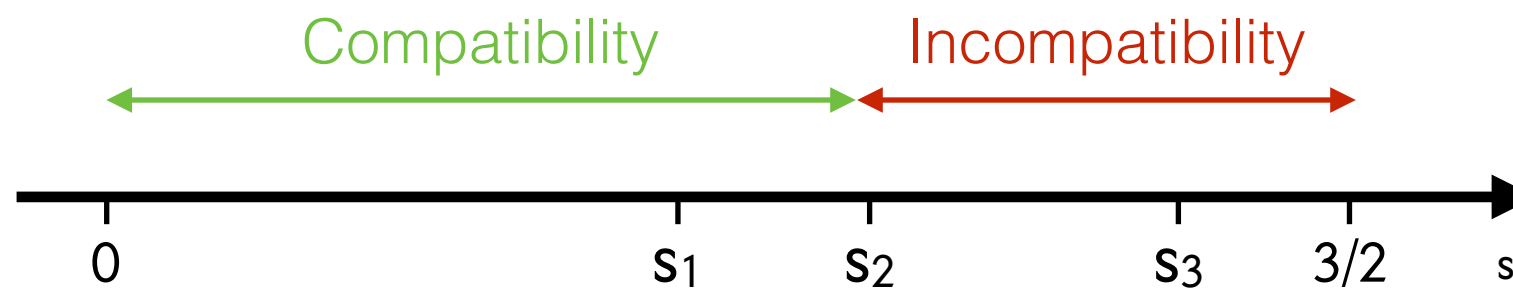
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# Second-period compatibility choice

(given **symmetric** first-period market shares)

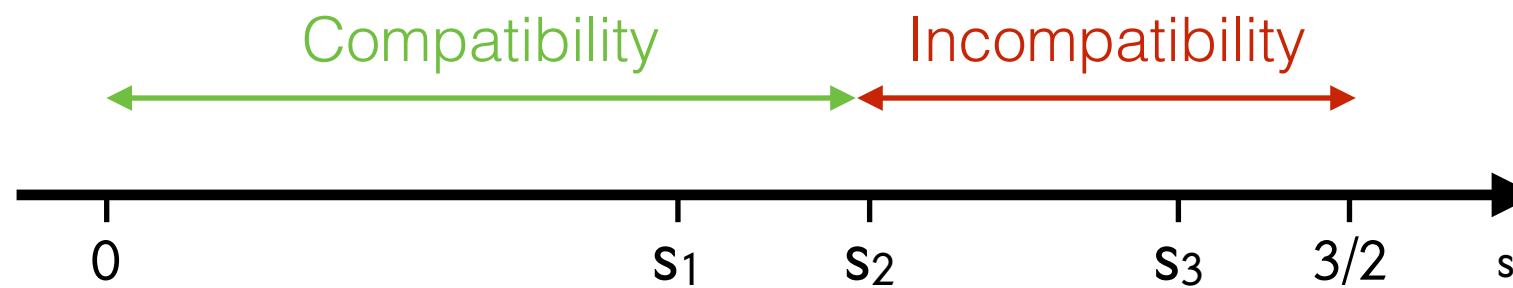
Lemma 4. **Given incompatibility in 1st period**



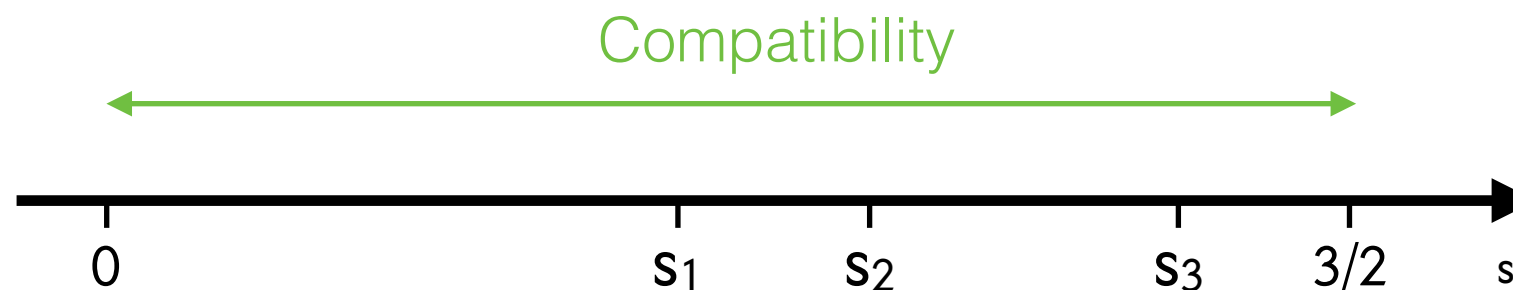
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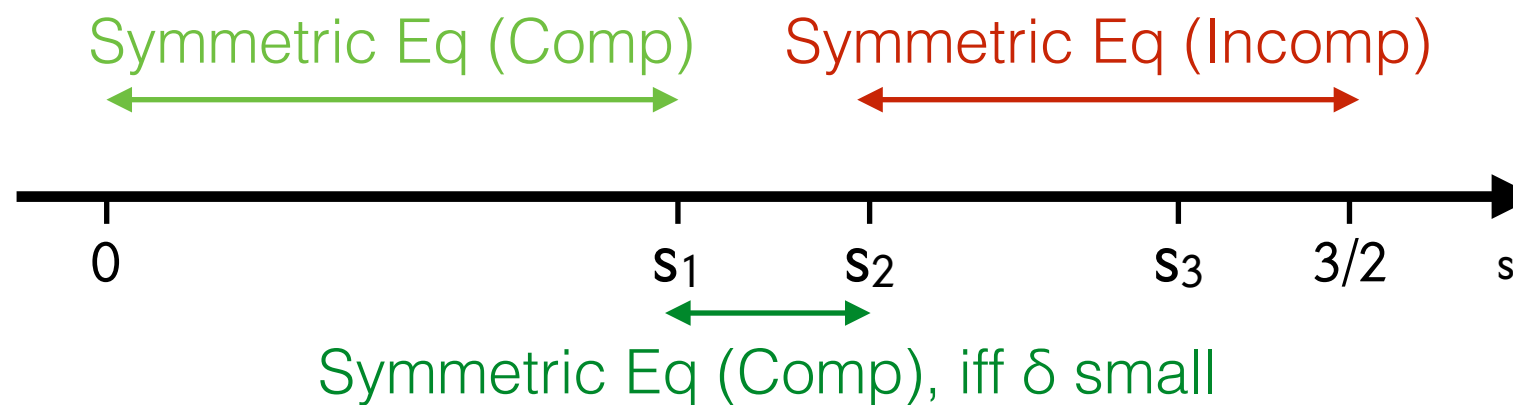


Lemma 5. **Given compatibility in 1st period**



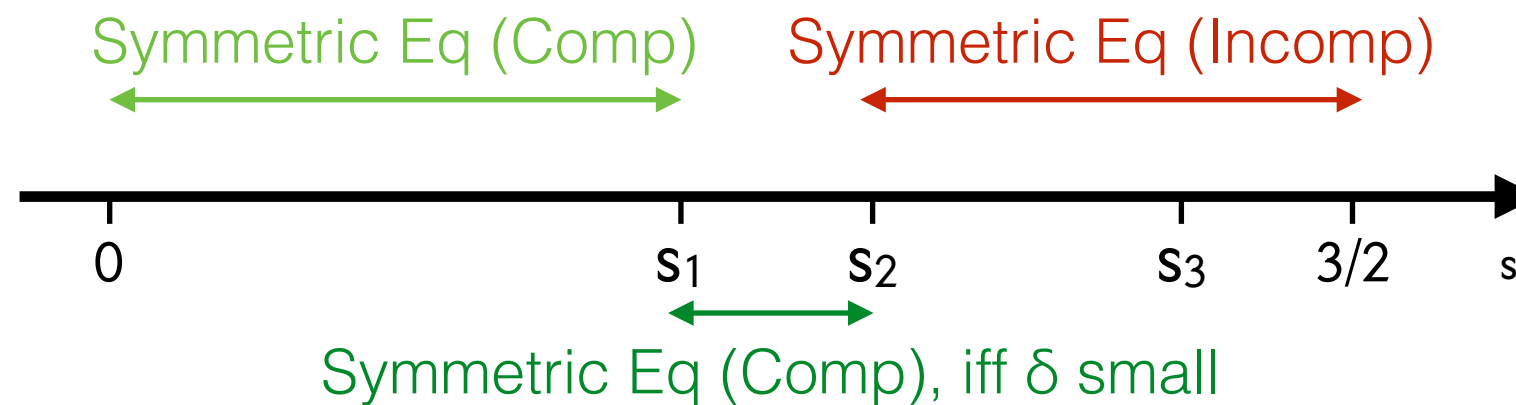
# First-period pricing equilibrium

Propositions 1 & 2. **Given incompatibility in 1st period**

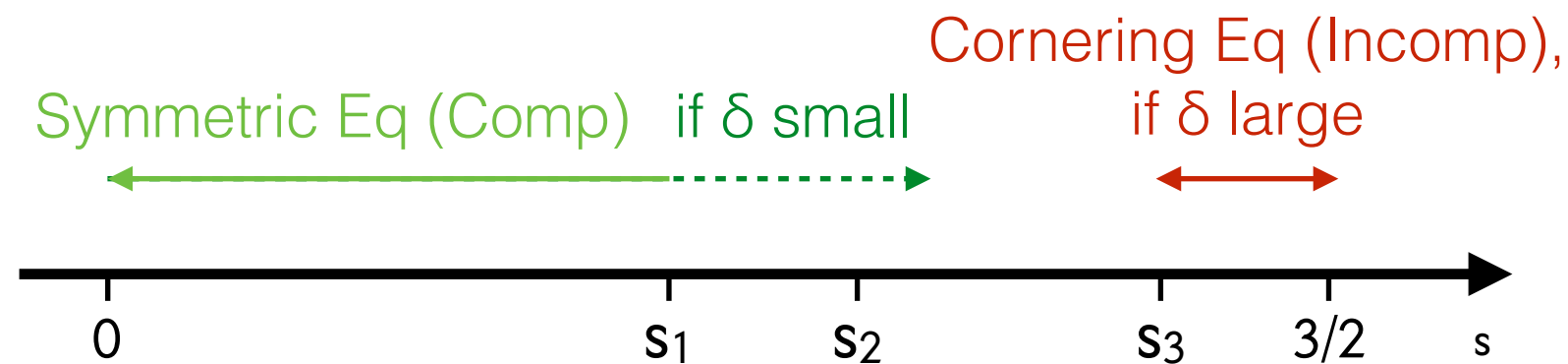


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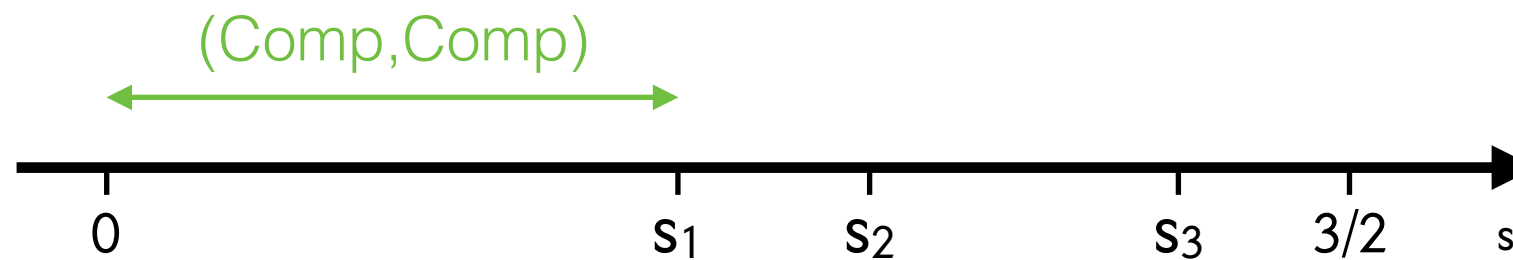


Propositions 3 & 4. **Given compatibility in 1st period**



# Main result

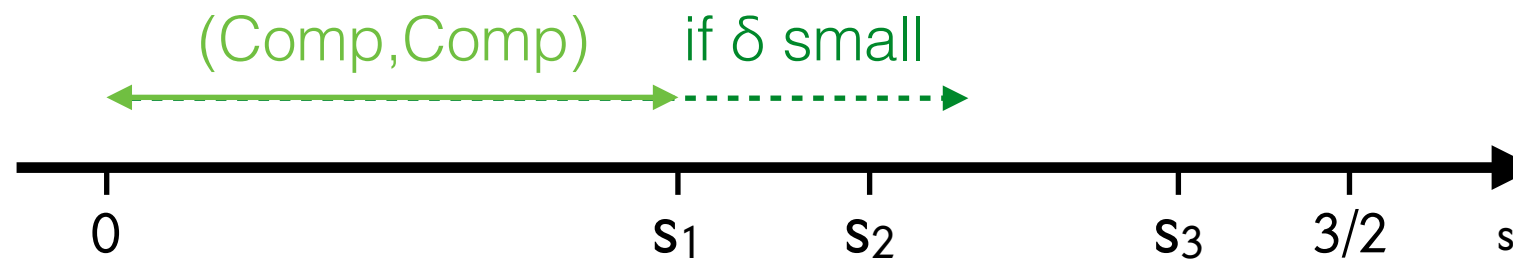
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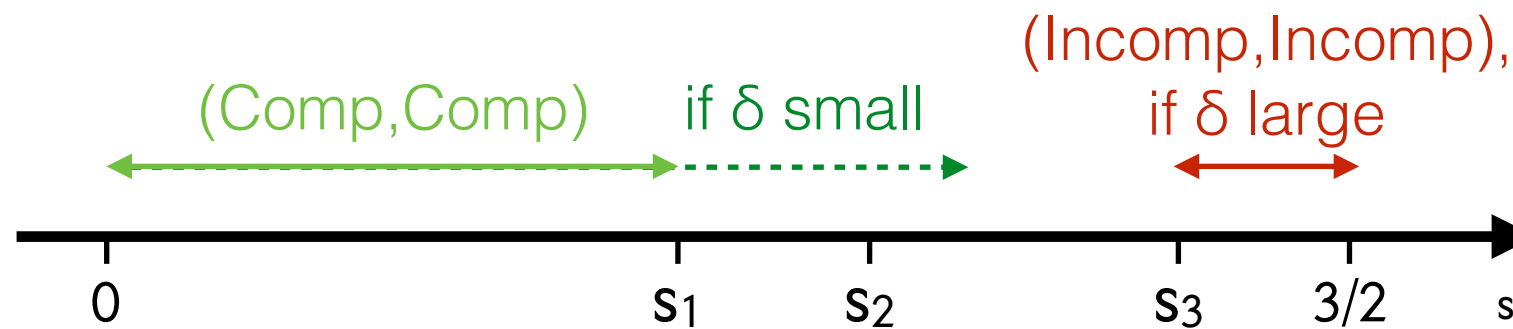


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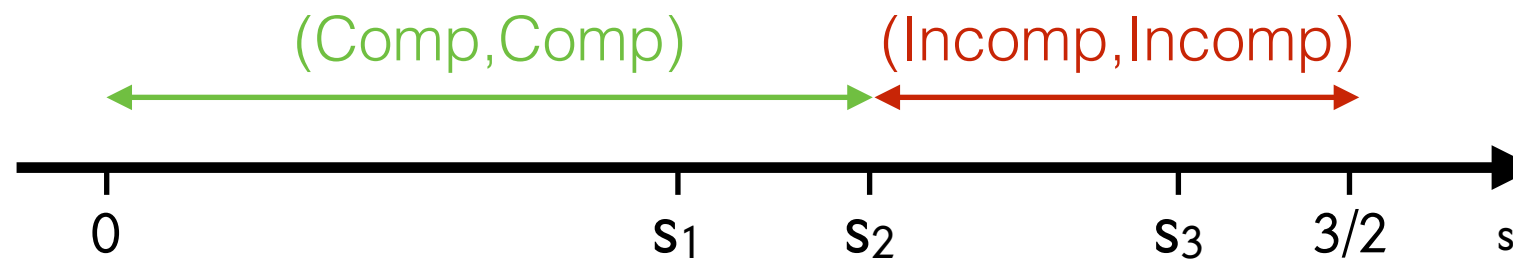
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- **$\delta$  small:** Prop 5 generalised Matutes and Régibeau (1988), since second-period profits are relatively unimportant.
- **$\delta$  large, and  $s$  large:** Matutes and Régibeau (1988) is reversed. Even if the first-period incompatibility intensifies competition in 1st period, the firms choose it as this leads to the second-period incompatibility which softens competition in period two.

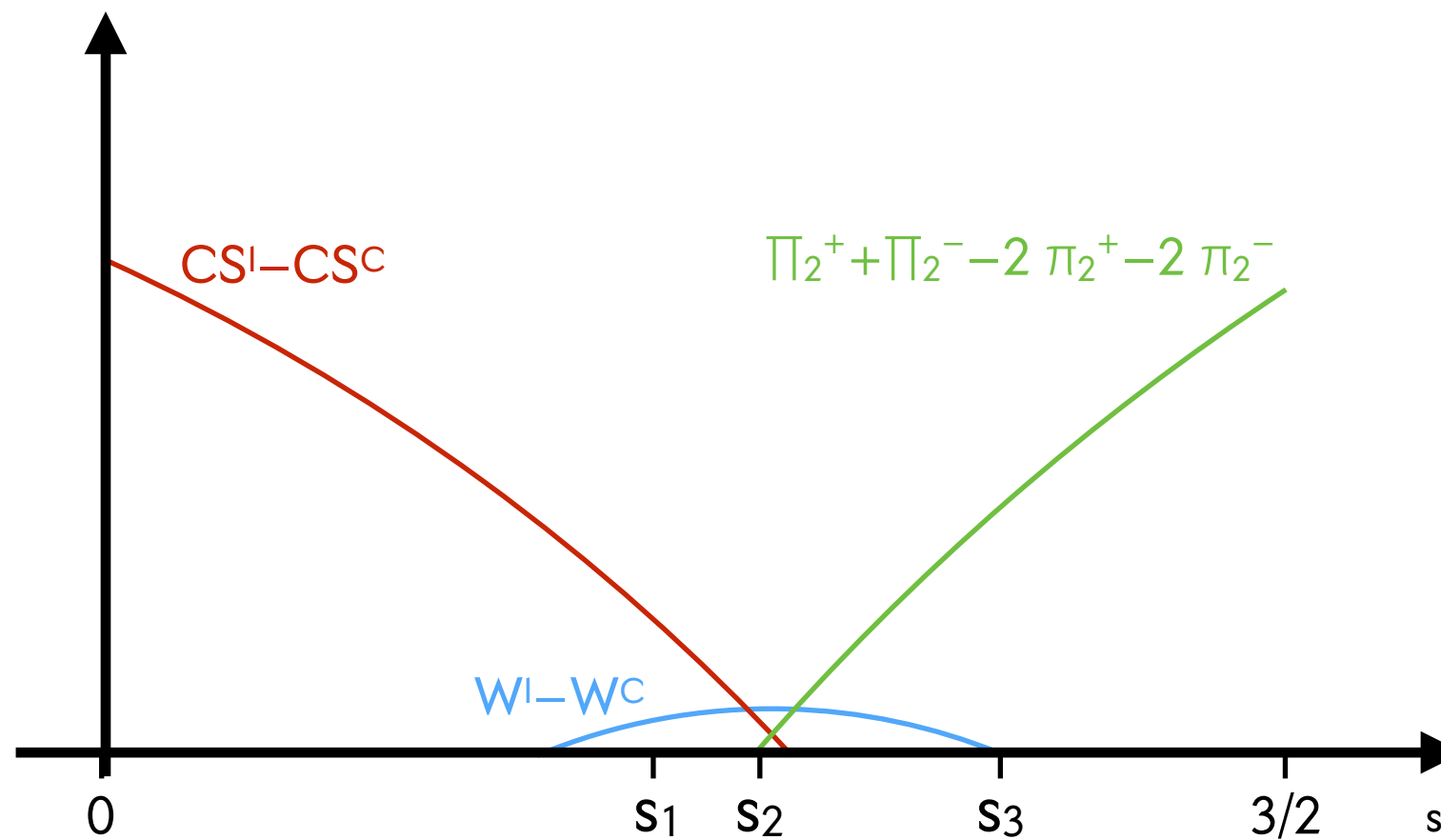
# Non-negative prices

Proposition 6. **For  $\delta$  large enough**



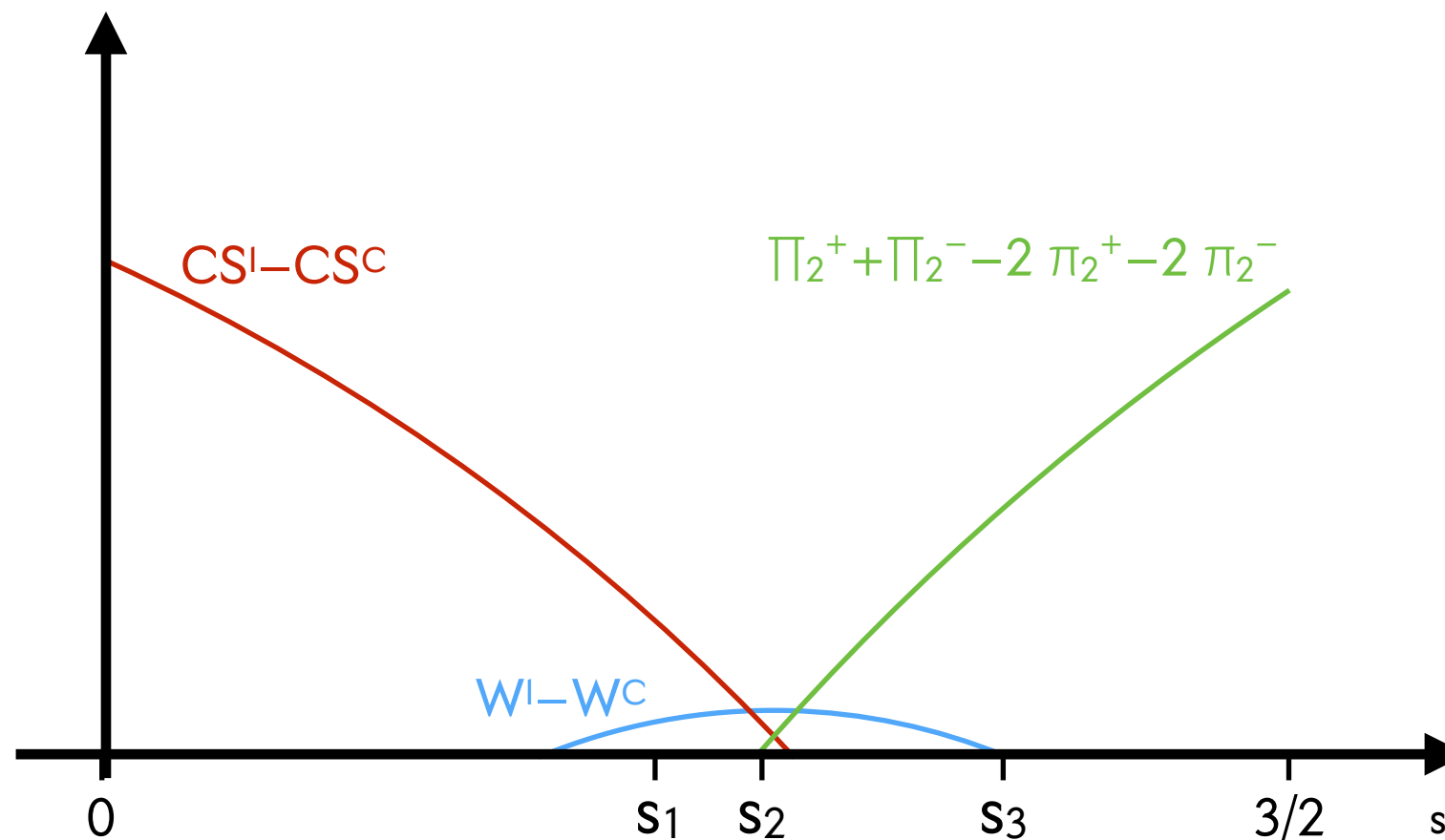
- Each firm charges **zero** price for in the first period.

# CS and welfare: non-negative pricing



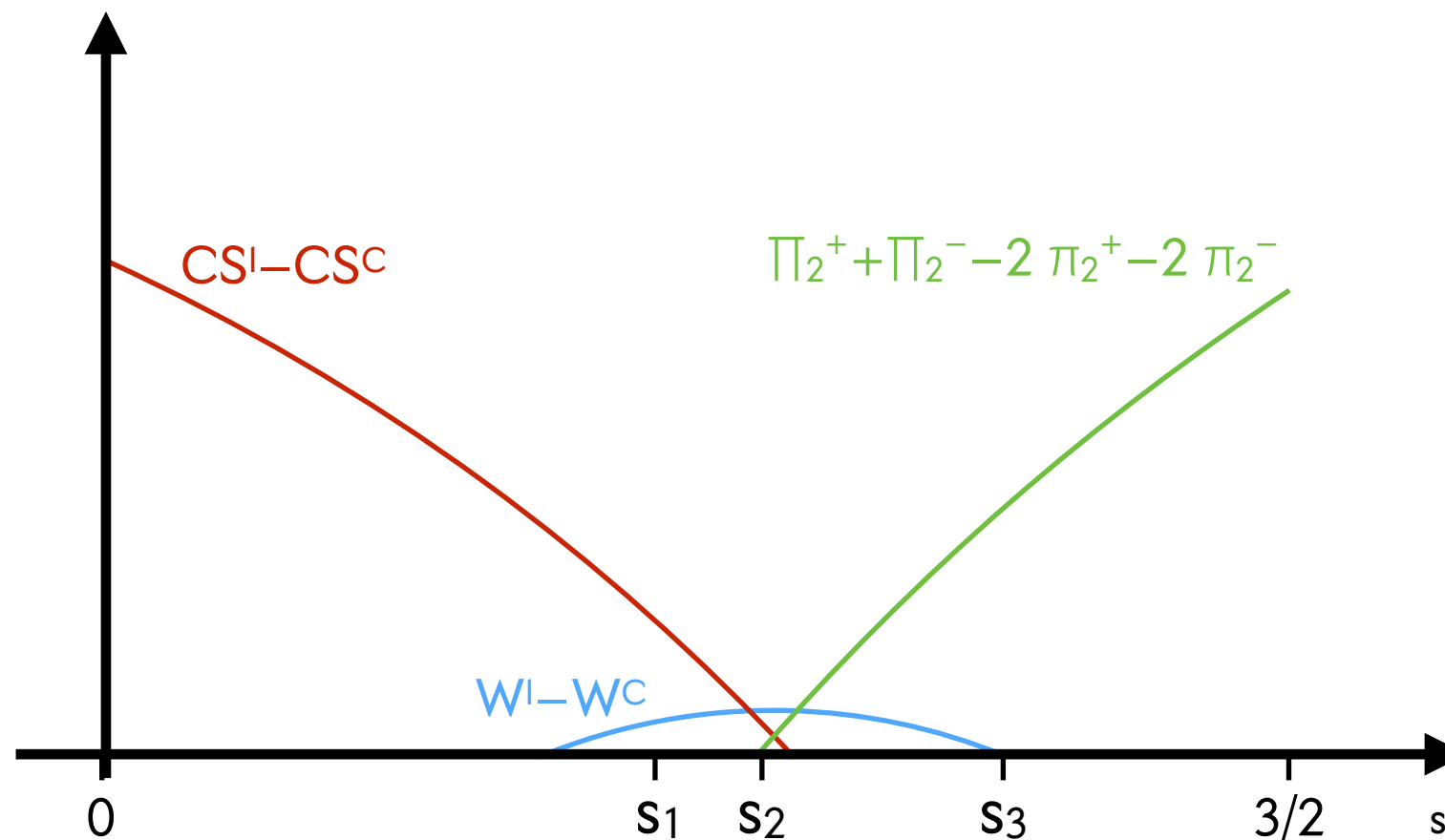
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- $s$  small enough because consumers can make switching decision only at the system level
- $s$  high enough, no switching is socially optimal, but under incompatibility more poaching arises.

# Conclusion

- Consumers' product-specific investment makes lock-in very likely
- Then, we find that platforms choose incompatibility today to soften future competition; intensive competition will be followed by weak competition
- Internet platforms behave like islands
- This hurts consumers and is likely to reduce welfare