

Patent policy, patent pools, and the accumulation of claims in sequential innovation

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- **Innovation is cumulative**
 - ★ Issue: how to divide revenues from a chain of inventions among different innovators
 - ★ Patents: transfer from future innovators to current innovators
- **Multiple license fees (*patent thickets*)**
 - ★ Biomedical research: *MSP1 malaria vaccine* (licenses on 39 patent families)
 - ★ Biotechnology: *β -carotene enriched rice* (40 license fees)
 - ★ Software:
 - Patents may cover algorithms and techniques
 - One program uses thousands of algorithms
 - MPEG2 (DVD): 136 U.S. patents
 - Patent pools

Motivation

- Patent thickets and incentives to innovate
- Previous literature: monopolistic ownership of complementary assets is bad
 - ★ **Cournot (1838):** perfectly competitive producer of Brass using Copper and Zinc as perfect complement inputs
 - Cost of producing B higher when C and Z are sold by two different monopolist
 - ★ **Complementary Monopoly:** market outcome gets worse as the number of p.c. inputs increases
 - ★ **Patent Pools:** concentration of ownership of complementary assets leads to welfare improving outcomes
- Static models: inputs already exist

What we do

- Dynamic model of sequential innovation with endogenous formation of patent thickets
- **Questions:**
 - i. What is the net effect of patents on innovation activity?
 - ii. What is the optimal innovation policy?
 - iii. What is the effect of patent pools in a dynamic setting with endogenous innovation?

Relation with literature

Introduction

Motivation

What we do

Literature

The model

Optimal
innovation

Optimal Patent
Length

Conclusions

- **Sequential Innovation**
Scotchmer 1991, 1996; Chang 1995; Green-Scotchmer 1995
- **Complementary Monopoly**
Cournot 1838; Sonnenschein 1968; Bergstrom 1978; Chari-Jones 2000
- **Patent Pools**
Shapiro 2001; Lerner-Tirole 2004
- **Dynamic Models of Cumulative Innovation**
O'Donoghue, Scotchmer and Thisse 1998; Hopenhayn, Llobet and Mitchell 2006

- Dynamic model in discrete time
- Potentially infinite periods
- Each period: one potential innovator
 - ★ Sequence of innovations: $n = 1, 2, 3 \dots$
 - ★ Each innovation is based on all previous inventions
 - ★ There may be several trials for each innovation: $j = 1, 2, 3 \dots$
- Deterministic innovation: cost of R&D = ε
- **Value of idea** $n, j = v_{nj} \sim U[0, 1]$. Private information
- Innovators capture full social surplus
- **We study:**
 - ★ Patents, no-patents and patent pools
 - ★ Optimal innovation policy
 - ★ Optimal patent length

Innovation with Patents I

Introduction

The model

Set-up

Patents

No patents and

Patent pools

Comparison

Optimal

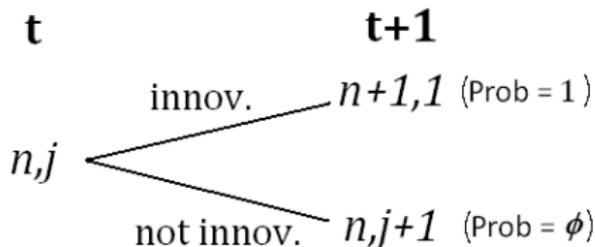
innovation

Optimal Patent

Length

Conclusions

- Innovator
 - ★ pays license fees to previous innovators
 - ★ collects license fees from future innovators
- **Markov Perfect Equilibrium**



- At stage n, j :
 1. Past innovators set license fees, $\{p_{n,j}^i\}_{i=1}^{n-1}$.
 2. Nature extracts $v_{n,j}$ from $U[0, 1]$.
 3. Innovator decides to innovate or not.
- ϕ : degree of scarcity of ideas.

Innovation with Patents II

- Revenues of patent holder i at stage n, j :

$$R_{n,j}^i = Pr_{n,j} (p_{n,j}^i + \beta R_{n+1,1}^i) + (1 - Pr_{n,j}) \phi \beta R_{n,j+1}^i$$

- Innovator will innovate if

$$v_{n,j} + \beta R_{n+1,1}^n \geq \varepsilon + \sum_{i=1}^{n-1} p_{n,j}^i$$

- Probability of innovation:

$$Pr_{n,j} = Prob \left(v_{n,j} \geq \varepsilon + \sum_{i=1}^{n-1} p_{n,j}^i - \beta R_{n+1,1}^n \right)$$

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Introduction

The model

Set-up

Patents

No patents and

Patent pools

Comparison

Optimal

innovation

Optimal Patent

Length

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- Solution

★ Equilibrium: $Pr_{n,j} = Pr_n \quad \forall j$

★ Resulting probabilities:

$$Pr_{n+1}^2 = \frac{1 - \phi\beta}{\beta} \left(Pr_n - \frac{1 - \varepsilon}{n} \right) + \frac{n-1}{n} \phi Pr_n^2,$$

★ Decreasing sequence.

★ Converges to 0 as $n \rightarrow \infty$.

Innovation without Patents and Innovation with Patent Pool

Introduction

The model

Set-up

Patents

No patents and
Patent pools

Comparison

Optimal
innovation

Optimal Patent
Length

Conclusions

- **Without Patents:**

- ★ No license payments.
- ★ Innovator appropriates θv_n , with $\theta \in (0, 1)$

- **Patent Pools:**

- ★ Past innovators form a pool.
- ★ Pool maximizes joint profits of current members.
- ★ Pool takes into account cross-price derivatives.
- ★ New innovators enter the pool after innovating.

Comparison

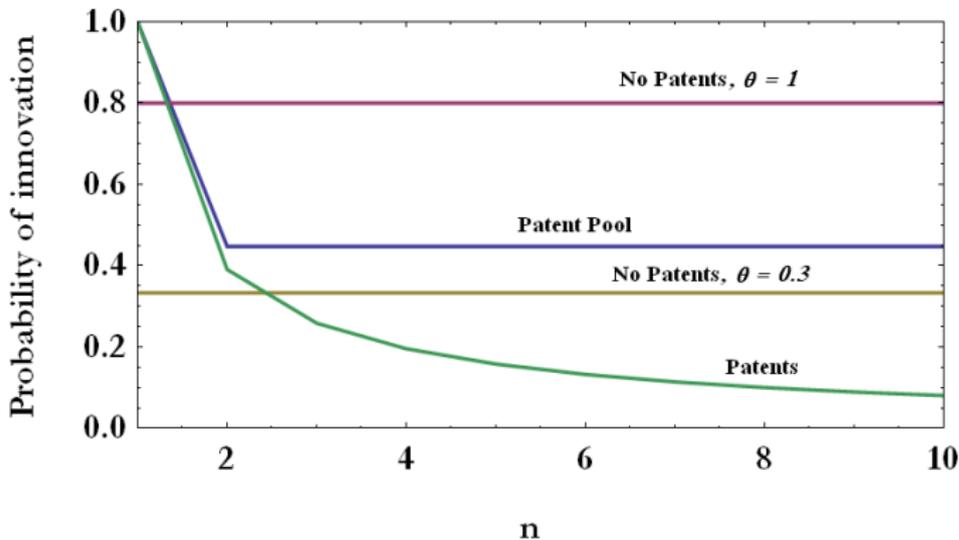


Figure: Probability of Innovation

- Patent Pools are dynamically unstable.
- Patent Pool outcome can be replicated:
 - ★ Innovators sell complete patent rights.
 - ★ Competition between patent holders and original innovators.
- Innovation with patents and pools is higher than in static case.

Optimal Innovation I

Introduction

The model

Optimal
innovation

Optimal Transfers

Optimal Patent
Length

Conclusions

Proposition 1: Socially Optimal Innovation.

Innovation n, j should be performed if and only if $v_{n,j} \geq \underline{v}^*$, where

$$\underline{v}^* = \begin{cases} 0 & \text{if } \varepsilon \leq \frac{\beta}{2} \frac{1-\phi}{1-\beta\phi}, \\ \frac{\beta - 1 + \sqrt{1 - \beta\phi} \sqrt{1 - 2\beta(1-(1-\phi)\varepsilon - \phi/2)}}{\beta(1-\phi)} & \text{if } \varepsilon > \frac{\beta}{2} \frac{1-\phi}{1-\beta\phi}. \end{cases}$$

Optimal Innovation II

Introduction

The model

Optimal
innovation

Optimal Transfers

Optimal Patent
Length

Conclusions

- Some innovations with value $v_{n,j} < \varepsilon$ should be performed.
- Innovation is suboptimal in the three cases.
- No-Patents: dynamic externality.
- Patents and Patent Pools: asymmetric information, market power.

Optimal Transfers

Introduction

The model

Optimal
innovation

Optimal Transfers

Optimal Patent
Length

Conclusions

- Can reach the first best by decentralizing innovation decision and implementing a tax-subsidy scheme
- Innovator n, j pays transfer t_n to innovator $n - 1$ if she decides to innovate.
- Gets transfer t_{n+1} from innovator $n + 1$.

Proposition 2: Optimal transfer is constant and equal to

$$t^* = \frac{(\underline{v}^* - \varepsilon)(1 - \phi\beta)}{1 - \beta(1 + \phi - \underline{v}^*)}$$

- Optimal transfer is **always negative** (opposite as patents)

Optimal Patent Length

Finite Patents:

- Patents last for L periods.
- $\phi = 0$ (only one trial per innovation) $\beta = 1$.
- Innovator captures $\psi(L) v_n$
- Stationary Equilibrium Probability of Innovation:

$$Pr = \frac{L + 1 - \sqrt{(L - 1)^2 + 4L\varepsilon/\psi(L)}}{2L}.$$

Optimal Patent Length

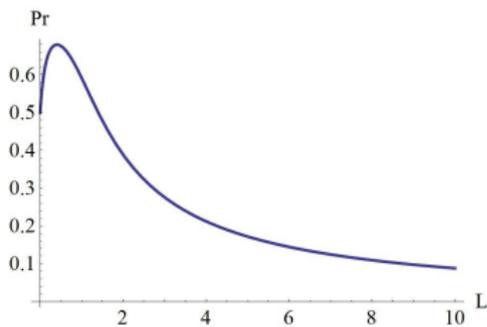
Introduction

The model

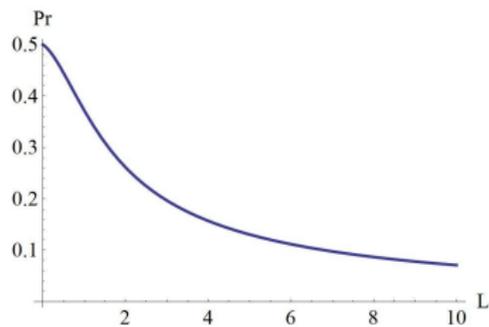
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Length

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(a) $\psi_0 = 0.2, \varepsilon = 0.1, \gamma = 1$



(b) $\psi_0 = 0.2, \varepsilon = 0.1, \gamma = 0.1$

$$\psi(L) = 1 - \frac{1 - \psi_0}{(L + 1)^\gamma}$$

Conclusions

- With patents, probability of innovation declines fast as the sequence of inventions advances. Theoretical support of anticommons hypothesis.
- Patent pools improve welfare with respect to uncoordinated pricing. Innovation activity is higher than in the static case.
- Innovation is suboptimal under the three regimes because of dynamic externalities, asymmetric information and market power.
- Tax-subsidy scheme can achieve first best
- Optimal patent length: short patents.