ELECTRICITY MARKET DESIGN: Coordination, Pricing and Incentives

William W. Hogan

Mossavar-Rahmani Center for Business and Government John F. Kennedy School of Government Harvard University Cambridge, Massachusetts 02138

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The case of electricity restructuring presents examples of fundamental problems that challenge regulation of markets.

- Marriage of Engineering and Economics.
 - o Loop Flow.
 - Reliability Requirements.
 - o Incentives and Equilibrium.
- Devilish Details.
 - Retail and Wholesale Electricity Systems.
 - Market Power Mitigation.
 - Coordination for Competition.
- Jurisdictional Disputes.
 - US State vs. Federal Regulators.
 - European Subsidiarity Principle.

Consider three cases of interest that present difficult challenges for regulators. A focus on pricing illustrates an important thread of modeling and analysis. Constrained optimization provides a central organizing framework.

• Design Framework: "Locational Marginal Pricing"

LMP. Bid-based, security constrained economic dispatch.

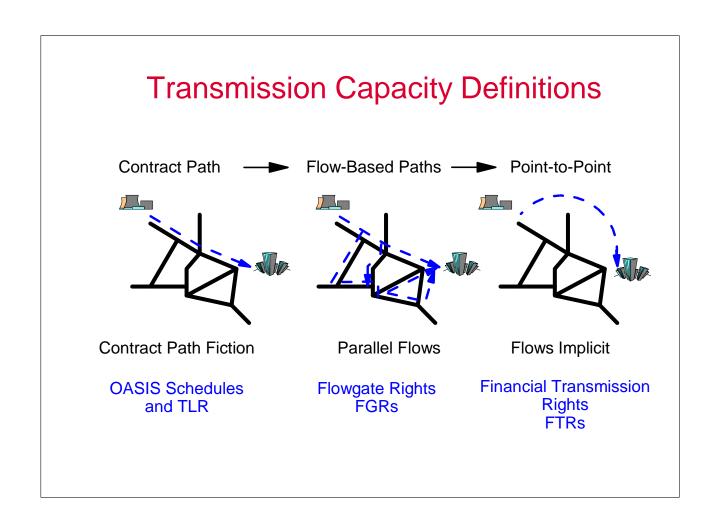
• Design Implementation: Scarcity Pricing

Better scarcity pricing to support resource adequacy.

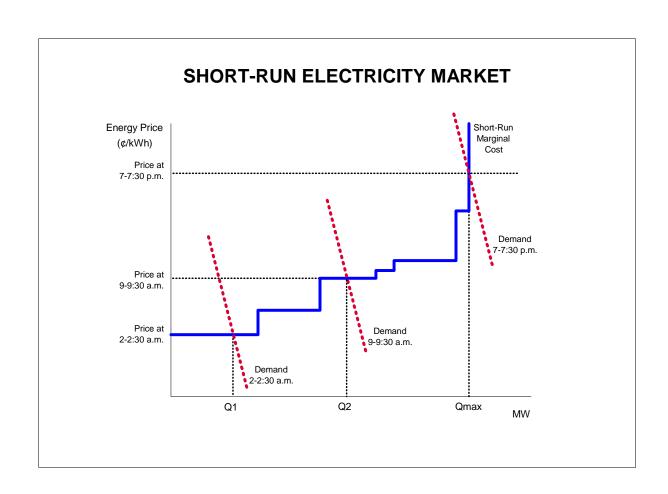
Design Limitation: Uplift Payments

Unit commitment and lumpy decisions. Coordination and bid guarantees.

Defining and managing transmission usage is a principal challenge in electricity markets.

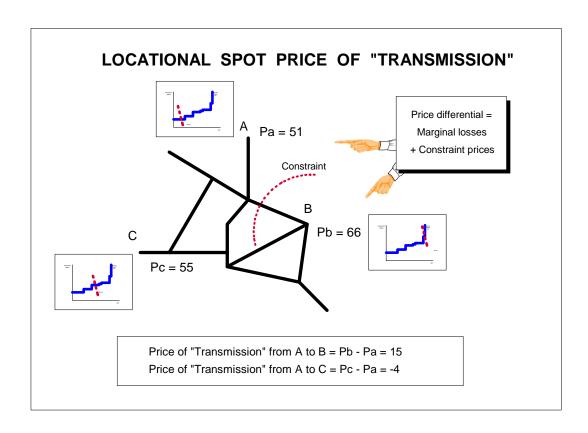


An efficient short-run electricity market determines a market clearing price based on conditions of supply and demand. Everyone pays or is paid the same price.



The natural extension of a single price electricity market is to operate a market with locational spot prices.

- It is a straightforward matter to compute "Schweppe" spot prices based on marginal costs at each location.
- Transmission spot prices arise as the difference in the locational prices.



NETWORK INTERACTIONS

Locational prices (\$/MWh) arise from the standard formulation of security constrained economic dispatch to balance generation and load at each location. For instance, in PJM there are several thousand locations with thousands of constraints for each of thousands of contingencies.

Bid-Based, Security-Constrained, Economic Dispatch

Max

$$d,g,x,y$$

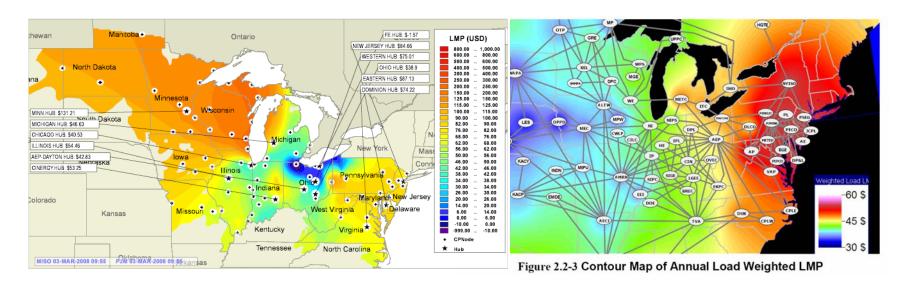
 d,g,x,y
 d,g,x,y
 $d-g=y$: p
 $d(x,y) \le 0$. : μ

PJM Real Time Hourly LMP Values for 20080224

							Range	551.94	550.57	23.80	127.90	126.10	21.06	138.60	137.61	16.42	
							Max	516.16	434.34	16.38	142.74	71.28	14.18	166.06	109.89	11.13	
							Average	69.79	- 5.18	-0.53	66.17	-4.88	-0.53	48.86	-2.22	-0.44	
							Min	-35.78	-116.23	-7.42	14.84	-54.82	-6.88	27.46	-27.72	-5.29	
	Start of Real	Time LMP	Data					100	100	100	1200	1200	1200	1800	1800	1800	
Node	Date	PnodeID	Name	Voltage	Equipm T	Гуре	Zone	TotalLM	Congesti I	Marginall	_ossPri _' TotalLMP	Congestic	MarginalLos	sPriceTotalLMP C	Congestic N	/larginalLoss/	Price
1	20080224	1	PJM-RT	0	Z	ZONE		75.90	0.34	0.06	71.84	0.20	0.06	51.63	0.07	0.04	
2	20080224	3	MID-ATI	_/APS	Z	ZONE		97.78	19.30	2.97	90.79	16.52	2.69	60.51	6.89	2.11	
3	20080224	51291	AECO		Z	ZONE		46.33	-33.86	4.69	91.28	15.17	4.53	48.86	-6.21	3.55	
4	20080224	8445784	AEP		Z	ZONE		43.55	-28.48	-3.47	32.42	-35.94	-3.22	37.52	-11.51	-2.49	
424	20080224	32406789	107 DIX	138 KV	TR76 34L	LOAD	COMED	41.23	-28.37	-5.90	32.16	-34.15	-5.27	35.61	-11.59	-4.32	
425	20080224	32406793	109 AP	138 KV	TR72 1:L	LOAD	COMED	42.72	-28.66	-4.12	33.46	-34.39	-3.73	36.73	-11.74	-3.05	
426	20080224	32406795	109 AP	138 KV	TR73 1:L	LOAD	COMED	42.69	-28.66	-4.15	33.43	-34.39	-3.76	36.71	-11.74	-3.07	
8075	20080224	49498	ZIONS\	115 KV	1B12 L	LOAD	METED	92.57	15.14	1.93	93.33	19.83	1.92	59.47	6.41	1.54	
8076	20080224	49499	ZIONS\	115 KV	2B12 L	LOAD	METED	92.57	15.14	1.93	93.33	19.83	1.92	59.47	6.41	1.54	
8077	20080224	32413125	ZUBER	138 KV	T1 L	OAD	AEP	40.57	-31.29	-3.64	32.11	-36.24	-3.23	36.19	-12.85	-2.48	
End of Real Time LMP Data																	

NETWORK INTERACTIONS

Locational spot prices for electricity exhibit substantial dynamic variability and persistent long-term average differences.

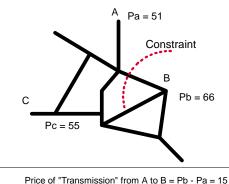


From MISO-PJM Joint and Common Market, http://www.jointandcommon.com/ for March 3, 2008, 9:55am. Projected 2011 annual average from 2006 Midwest ISO-PJM Coordinated System Plan.

NETWORK INTERACTIONS

A mechanism for hedging volatile transmission prices can be established by defining financial transmission rights to collect the congestion rents inherent in efficient, short-run spot prices.

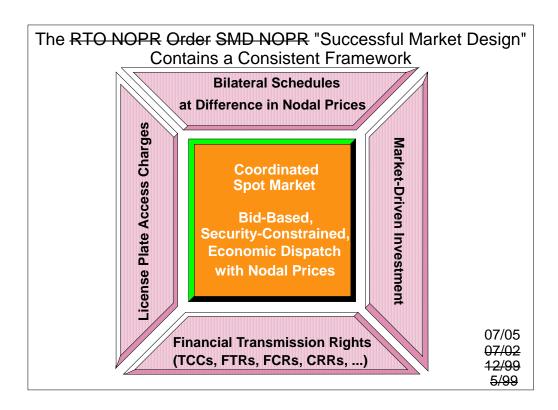
NETWORK TRANSMISSION FINANCIAL RIGHTS



Price of "Transmission" from A to C = Pc - Pa = 15

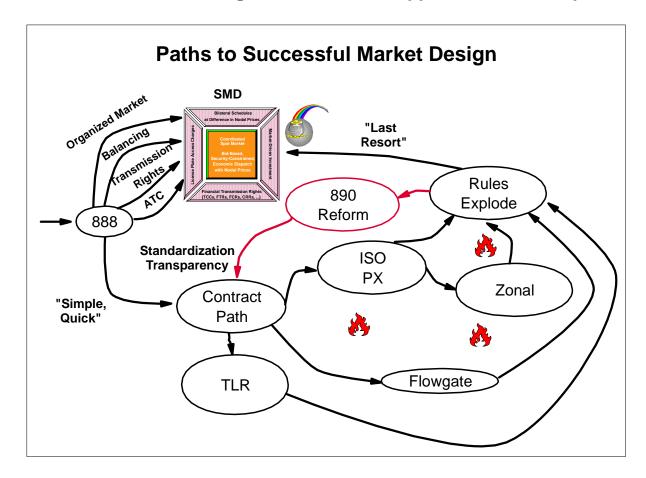
- DEFINE TRANSMISSION CONGESTION CONTRACTS BETWEEN LOCATIONS.
- FOR SIMPLICITY, TREAT LOSSES AS OPERATING COSTS.
- RECEIVE CONGESTION PAYMENTS FROM ACTUAL USERS; MAKE CONGESTION PAYMENTS TO HOLDERS OF CONGESTION CONTRACTS.
- TRANSMISSION CONGESTION CONTRACTS PROVIDE PROTECTION AGAINST CHANGING LOCATIONAL DIFFERENCES.

The example of successful central coordination, CRT, Regional Transmission Organization (RTO) Millennium Order (Order 2000) Standard Market Design (SMD) Notice of Proposed Rulemaking (NOPR), "Successful Market Design" provides a workable market framework that is working in places like New York, PJM in the Mid-Atlantic Region, New England, and the Midwest.

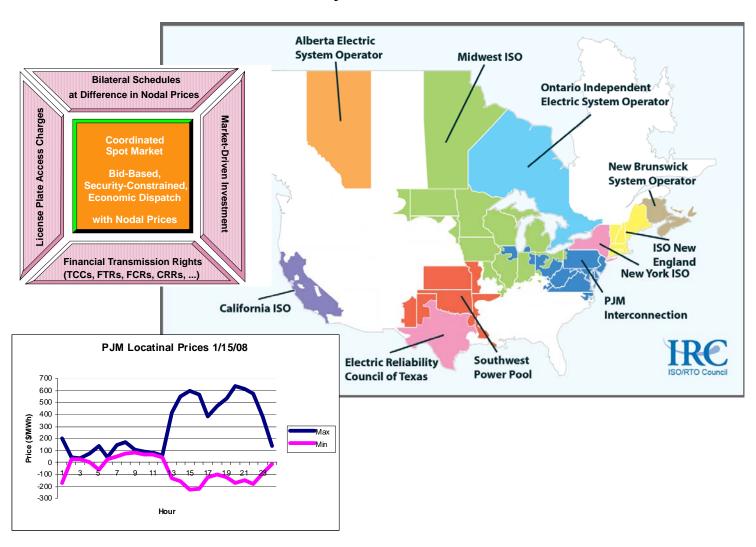


Poolco...OPCO...ISO...IMO...Transco...RTO... ITP...WMP...: "A rose by any other name ..."

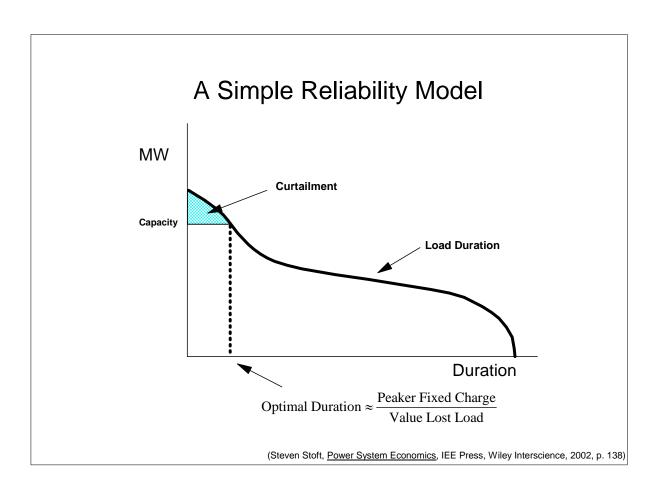
The path to successful market design can be circuitous and costly. The FERC "reforms" in Order 890 illustrate "path dependence," where the path chosen constrains the choices ahead. Can Order 890 be reformed to overcome its own logic? Or is FERC trapped in its own loop flow?



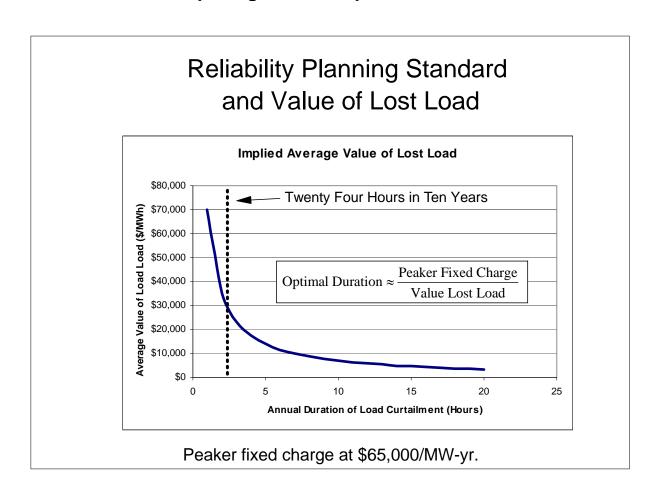
Regional transmission organizations (RTOs) and independent system operators (ISOs) have grown to cover 75% of US economic activity.



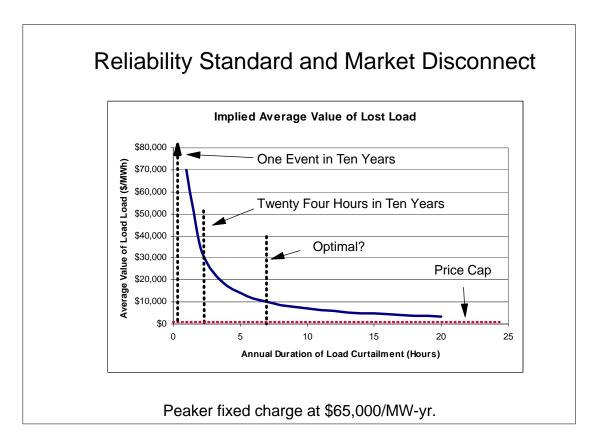
There is a simple stylized connection between reliability standards and resource economics. Defining expected load shedding duration, choosing installed capacity, or estimating value of lost load address different facets of the same problem.



The simple connection between reliability planning standards and resource economics illustrates a major disconnect between market pricing and the implied value of lost load.

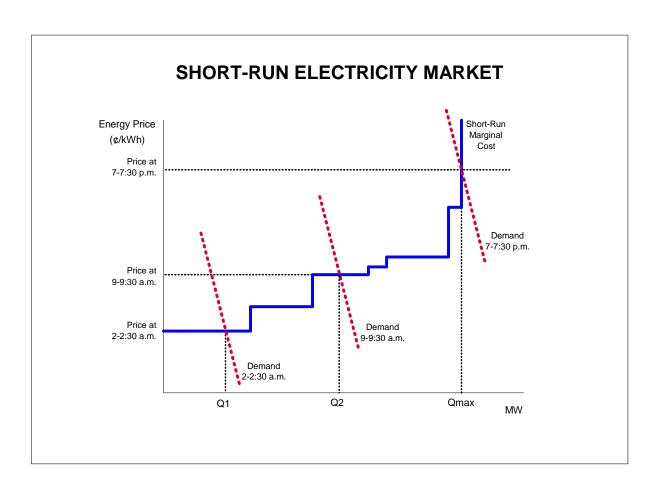


There is a large disconnect between long-term planning standards and market design. The installed capacity market analyses illustrate the gap between prices and implied values. The larger disconnect is between the operating reserve market design and the implied reliability standard.



Implied prices differ by orders of magnitude. (Price Cap $\approx \$10^3$; VOLL $\approx \$10^4$; Reliability Standard $\approx \$10^5$)

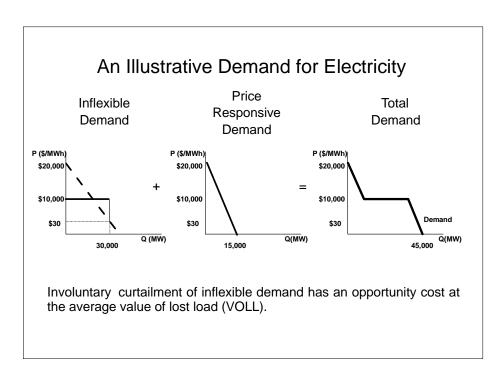
Early market designs presumed a significant demand response. Absent this demand participation most markets implemented inadequate pricing rules equating prices to marginal costs even when capacity is constrained. This produces a "missing money" problem. The big "R" regulatory solution calls for capacity mandates. The small "r" approach addresses the pricing problem.



A workable "energy only" market would eliminate the "missing money" problem and provide an alternative to the growing prescriptions of installed capacity markets. The concept is not that there should be no market interventions. But the interventions should not overturn the market.

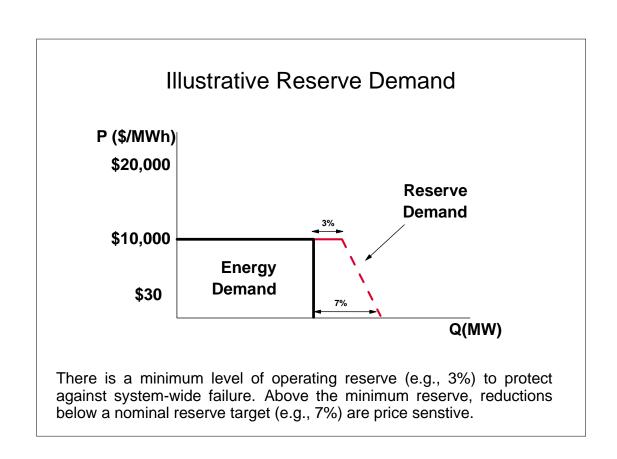
An "Energy Only" Market Outline

 Implicit demand for inflexible load would define the opportunity costs as the average value of lost load (VOLL).



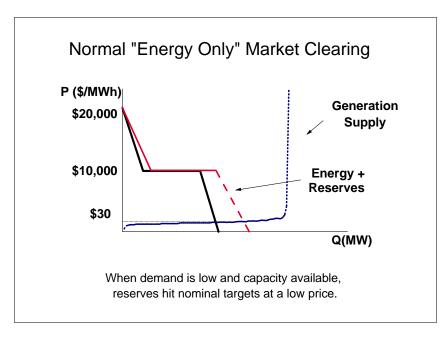
... An "Energy Only" Market Outline

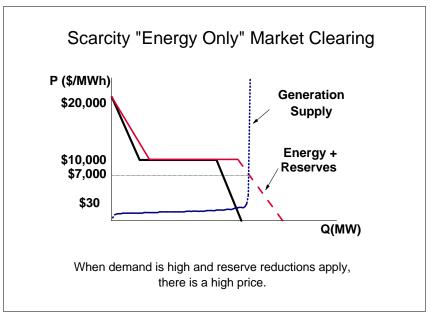
Operating reserve demand curve would reflect capacity scarcity.



... An "Energy Only" Market Outline

• Market clearing eliminates the "missing money."





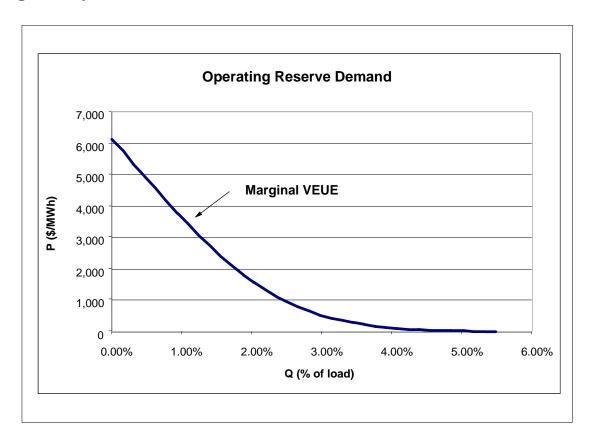
Operating reserve demand is a complement to energy demand for electricity. The probabilistic demand for operating reserves reflects the cost and probability of lost load. Pricing operating reserves could provide the missing money.

Example Assumptions

Expected Load (MW)	34000
Std Dev %	1.50%
Expected Outage %	0.45%
Std Dev %	0.45%

Expected Total (MW)	153
Std Dev (MW)	532.46
VOLL (\$/MWh)	10000

Under the simplifying assumptions, if the dispersion of the LOLP distribution is proportional to the expected load, the operating reserve demand is proportional to the expected load. Total value is of same magnitude as the cost of meeting load.

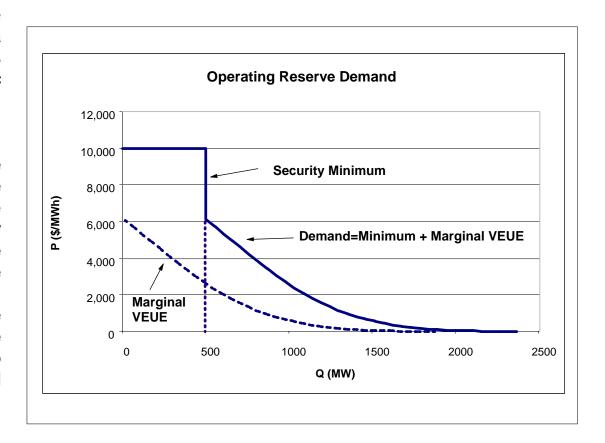


Existing market designs underprice scarcity and provide poor signals for investment. Hence we have the resource adequacy debate. A market approach would be reinforced by adopting an explicit operating reserve demand curve.

The maximum generation outage contingency quantity provides a vertical demand curve that adds horizontally to a probabilistic operating reserve demand curve.

If the security minimum will always be maintained over the monitored period, the VEUE price at r=0 applies. If the outage shocks allow excursions below the security minimum during the period, the VEUE starts at the security minimum.

A realistic operating reserve demand curve would address the missing money problem and help jump start greater demand participation.



Improved pricing through an explicit operating reserve demand curve raises a number of issues.

Demand Response: Better pricing implemented through the operating reserve demand curve would provide an important signal and incentive for flexible demand participation in spot markets.

Price Spikes: A higher price would be part of the solution. Furthermore, the contribution to the "missing money" from better pricing would involve many more hours and smaller price increases.

Practical Implementation: The NYISO and ISONE implementations dispose of any argument that it would be impractical to implement an operating reserve demand curve. The only issue is the level of the appropriate price.

Operating Procedures: Implementing an operating reserve demand curve does not require changing the practices of system operators. Reserve and energy prices would be determined simultaneously treating decisions by the operators as being consistent with the adopted operating reserve demand curve.

Multiple Locations: Transmission limitations mean that there are locational differences in the need for and efficacy of operating reserves. This would continue to be true with different demand curves for different locations.

Multiple Reserves: The demand curve would include different kinds of operating reserves, from spinning reserves to standby reserves.

Reliability: Market operating incentives would be better aligned with reliability requirements.

Market Power: Better pricing would remove ambiguity from analyses of high prices and distinguish (inefficient) economic withholding through high offers from (efficient) scarcity pricing derived from the operating reserve demand curve.

Hedging: The Basic Generation Service auction in New Jersey provides a prominent example that would yield an easy means for hedging small customers with better pricing.

Increased Costs: The higher average energy costs from use of an operating reserve demand curve do not automatically translate into higher costs for customers. In the aggregate, there is an argument that costs would be lower.

Energy dispatch is continuous but unit commitment requires discrete decisions. Bid-based, security constrained, combined unit commitment and economic dispatch presents a challenge in defining market-clearing prices.

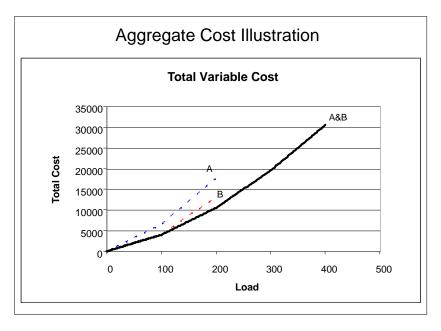
- Continuous convex economic dispatch
 - System marginal costs provide locational, market-clearing, linear prices.
 - Linear prices support the economic dispatch.
- Discrete, economic, unit commitment and dispatch
 - Start up and minimum load restrictions enter the model.
 - System marginal costs not always well-defined.
 - o There may be no linear prices that support the commitment and dispatch solution.
 - Linear Ramsey-Boiteux Prices:

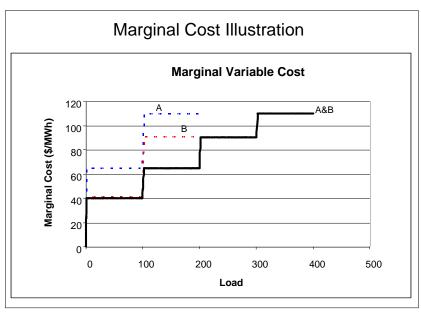
Theory, but no practice.

Two-part Energy and Uplift Charges:

Practice, but no theory.

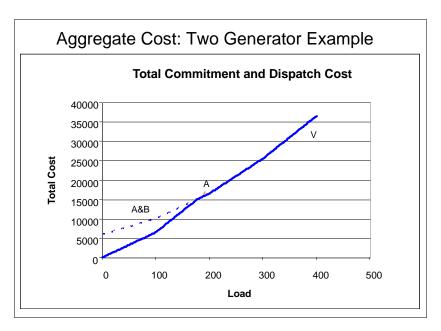
Energy dispatch is continuous, convex and yields linear prices.¹ A simplified example with two generating units illustrates the total and marginal costs.

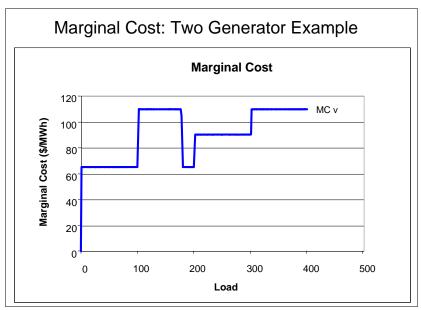




Paul R. Gribik, William W. Hogan, and Susan L. Pope, "Market-Clearing Electricity Prices and Energy Uplift," Harvard University, December 31, 2007, available at www.whogan.com.

Unit commitment requires discrete decisions. Now the second unit (B) has a startup cost.





Marginal cost-based linear prices cannot support the commitment and dispatch. The solution has been to make "uplift" payments to assure reliable and economic unit commitment.

Selecting the appropriate approximation model for defining energy and uplift prices involves practical tradeoffs. All involve "uplift" payments to guarantee payments for bid-based cost to participating bidders (generators and loads), to support the economic commitment and dispatch.

Uplift with Given Energy Prices=Optimal Profit – Actual Profit

Restricted Model (r)

- Fix the unit commitment at the optimal solution.
- Determine energy prices from the convex economic dispatch.

• Dispatchable Model (d)

- Relax the discrete constraints and treat commitment decisions as continuous.
- Determine energy prices from the relaxed, continuous, convex model.

Convex Hull Model (h)

- Select the energy prices from the Lagrangian relaxation (i.e., usual dual problem for pricing the joint constraints).
- Resulting energy prices minimize the total uplift.

Economic commitment and dispatch is a special case of a general optimization problem.

$$v(y) = \underset{x \in X}{Min} \qquad f(x)$$
s.t.
$$g(x) = y.$$

With price-taking bidders, uplift is the difference between actual and optimal profits.

Actual profits:
$$\pi(p, y) = py - v(y)$$

Optimal Profits: $\pi^*(p) = \sup_{z} \{pz - v(z)\}$
 $Uplift(p, y) = \pi^*(p) - \pi(p, y)$

Classical Lagrangian relaxation and pricing creates a familiar dual problem.

$$L(y, x, p) = f(x) + p(y - g(x))$$

$$\hat{L}(y, p) = \inf_{x \in X} \left\{ f(x) + p(y - g(x)) \right\}$$

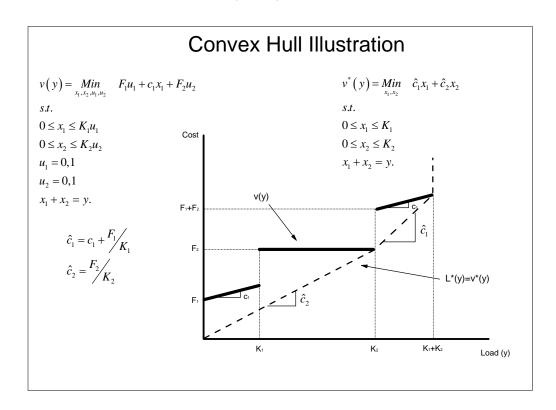
$$L^{*}(y) = \sup_{p} \hat{L}(y, p) = \sup_{p} \left\{ \inf_{x \in X} \left\{ f(x) + p(y - g(x)) \right\} \right\}$$

The optimal dual solution minimizes the uplift, and the "duality gap" is equal to the minimum uplift.²

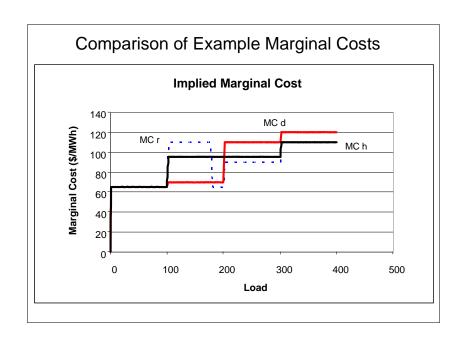
$$v(y)-L^*(y) = Inf_p Uplift(p, y).$$

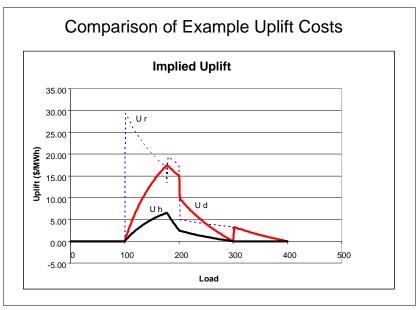
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The minimum uplift prices have an interpretation as the prices implied by the convex hull $(v^*(y))$ of the economic commitment and dispatch (v(y)), as well as the price solution for the dual for a standard Lagrangian relaxation formulation $(L^*(y))$.



Comparing illustrative energy pricing and uplift models.





Both the relaxed and convex hull models produce "standard" implied supply curve. The convex hull model produces the minimum uplift.

Alternative pricing models have different features and raise additional questions.

- Computational Requirements. Relaxed model easiest case, convex hull model the hardest. But not likely to be a significant issue.
- Network Application. All models compatible with network pricing and reduce to standard LMP in the convex case.
- Operating Reserve Demand. All models compatible with existing and proposed operating reserve demand curves.
- **Solution Independence.** Restricted model sensitive to actual commitment. Relaxed and convex hull models (largely) independent of actual commitment and dispatch.
- **Day-ahead and real-time interaction.** With uncertainty in real-time and virtual bids, expected real-time price is important, and may be similar under all pricing models.

William W. Hogan is the Raymond Plank Professor of Global Energy Policy, John F. Kennedy School of Government, Harvard University and a Director of LECG, LLC. This paper draws on work for the Harvard Electricity Policy Group and the Harvard-Japan Project on Energy and the Environment. The author is or has been a consultant on electric market reform and transmission issues for Allegheny Electric Global Market, American Electric Power, American National Power, Australian Gas Light Company, Avista Energy, Barclays, Brazil Power Exchange Administrator (ASMAE), British National Grid Company, California Independent Energy Producers Association, California Independent System Operator, Calpine Corporation, Canadian Imperial Bank of Commerce, Centerpoint Energy, Central Maine Power Company, Chubu Electric Power Company, Citigroup, Comision Reguladora De Energia (CRE, Mexico), Commonwealth Edison Company, Conectiv, Constellation Power Source, Coral Power, Credit First Suisse Boston, Detroit Edison Company, Deutsche Bank, Duquesne Light Company, Dynegy, Edison Electric Institute, Edison Mission Energy, Electricity Corporation of New Zealand, Electric Power Supply Association, El Paso Electric, GPU Inc. (and the Supporting Companies of PJM), Exelon, GPU PowerNet Pty Ltd., GWF Energy, Independent Energy Producers Assn, ISO New England, Luz del Sur, Maine Public Advocate, Maine Public Utilities Commission, Merrill Lynch, Midwest ISO, Mirant Corporation, JP Morgan, Morgan Stanley Capital Group, National Independent Energy Producers, New England Power Company, New York Independent System Operator, New York Power Pool, New York Utilities Collaborative, Niagara Mohawk Corporation, NRG Energy, Inc., Ontario IMO, Pepco, Pinpoint Power, PJM Office of Interconnection, PPL Corporation, Public Service Electric & Gas Company, PSEG Companies, Reliant Energy, Rhode Island Public Utilities Commission, San Diego Gas & Electric Corporation, Sempra Energy, SPP, Texas Genco, Texas Utilities Co, Tokyo Electric Power Company, Toronto Dominion Bank, TransÉnergie, Transpower of New Zealand, Westbrook Power, Western Power Trading Forum, Williams Energy Group, and Wisconsin Electric Power Company. The views presented here are not necessarily attributable to any of those mentioned, and any remaining errors are solely the responsibility of the author. (Related papers can be found on the web at www.whogan.com).